



DAAD Summerschool Curitiba 2011

Aspects of Large Scale High Speed Computing Building Blocks of a Cloud
Storage Networks

2: Virtualization of Storage: RAID, SAN and Virtualization

Christian Schindelbauer

Technical Faculty

Computer-Networks and Telematics

University of Freiburg

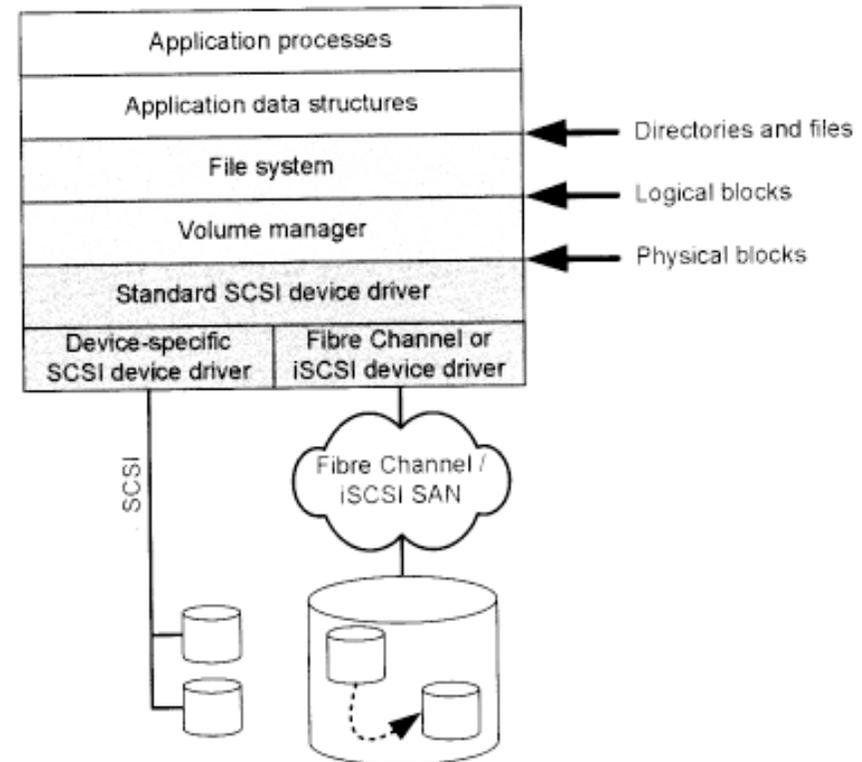
Volume Manager

▶ Volume manager

- aggregates physical hard disks into virtual hard disks
- breaks down hard disks into smaller hard disks
- Does not provide files system, but enables it

▶ Can provide

- resizing of volume groups by adding new physical volumes
- resizing of logical volumes
- snapshots
- mirroring or striping, e.g. like RAID1
- movement of logical volumes



From: Storage Networks Explained, Basics and Application of Fibre Channel SAN, NAS, iSCSI and InfiniBand, Troppens, Erkens, Müller, Wiley

- Physical volume (PV)
 - hard disks, RAID devices, SAN
- Physical extents (PE)
 - Some volume managers split PVs into same-sized physical extents
- Logical extent (LE)
 - physical extents may have copies of the same information
 - are addressed as logical extent
- Volume group (VG)
 - logical extents are grouped together into a volume group
- Logical volume (LV)
 - are a concatenation of volume groups
 - a raw block devices
 - where a file system can be created upon

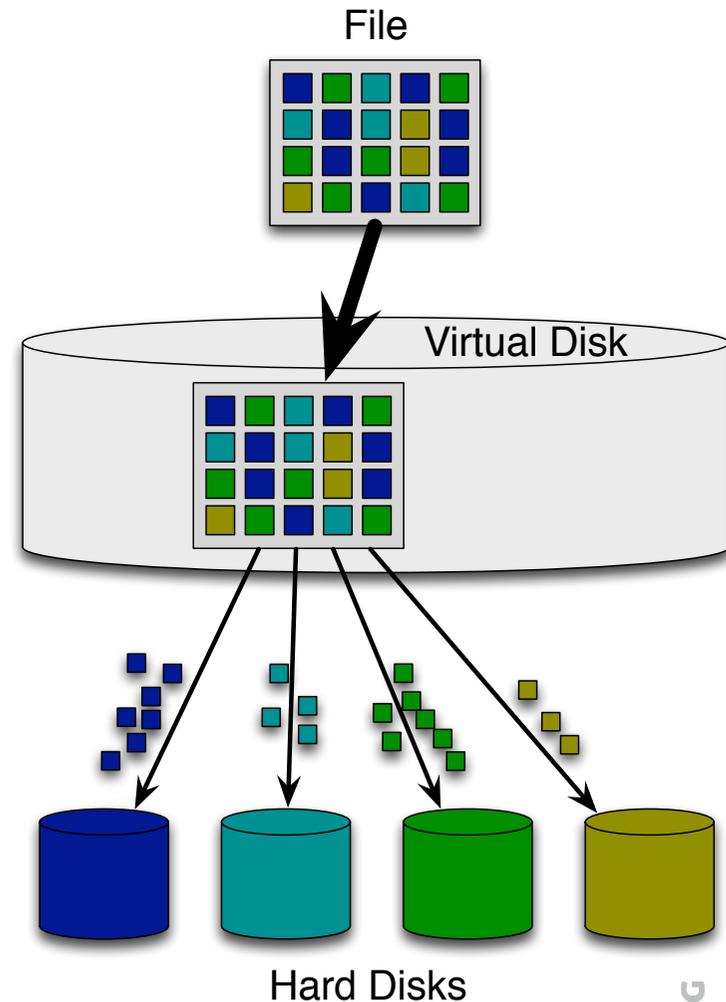
Concept of Virtualization

▶ Principle

- A virtual storage constitutes handles all application accesses to the file system
- The virtual disk partitions files and stores blocks over several (physical) hard disks
- Control mechanisms allow redundancy and failure repair

▶ Control

- Virtualization server assigns data, e.g. blocks of files to hard disks (address space remapping)
- Controls replication and redundancy strategy
- Adds and removes storage devices

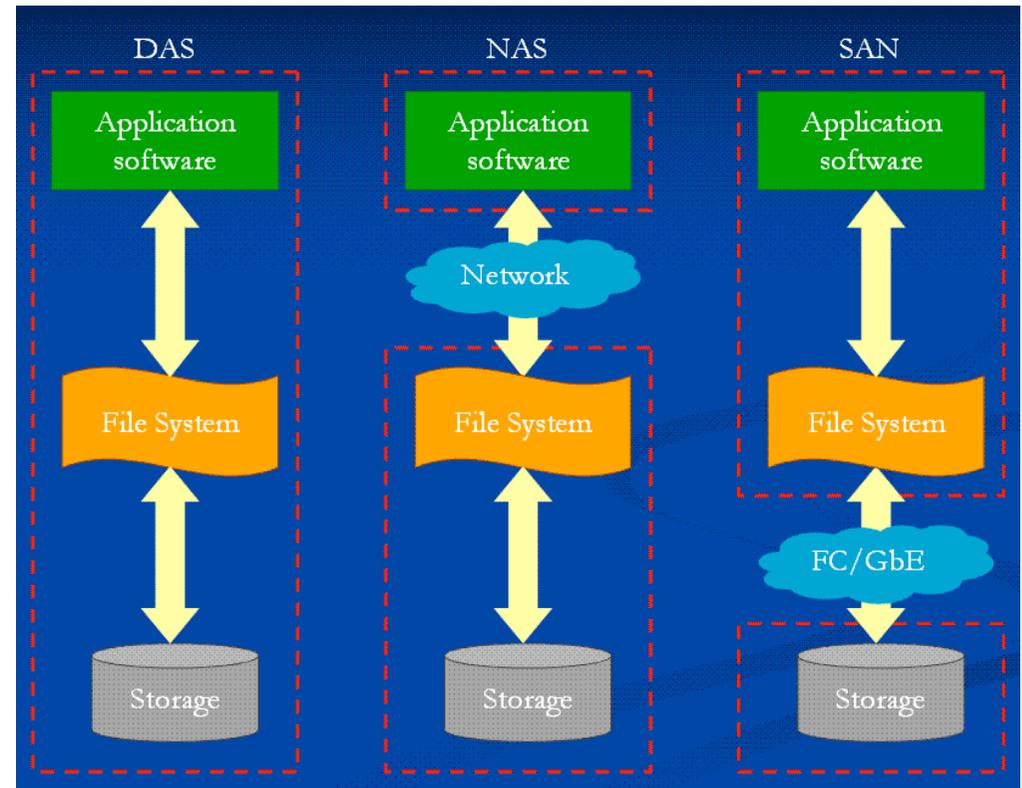


- Capabilities
 - Replication
 - Pooling
 - Disk Management
- Advantages
 - Data migration
 - Higher availability
 - Simple maintenance
 - Scalability
- Disadvantages
 - Un-installing is time consuming
 - Compatibility and interoperability
- Complexity of the system
- Classic Implementation
 - Host-based
 - Logical Volume Management
 - File Systems, e.g. NFS
 - Storage devices based
 - RAID
 - Network based
 - Storage Area Network
- New approaches
 - Distributed Wide Area Storage Networks
 - Distributed Hash Tables
 - Peer-to-Peer Storage

- Virtual Block Devices
 - without file system
 - connects hard disks
- Advantages
 - simpler storage administration
 - more flexible
 - servers can boot from the SAN
 - effective disaster recovery
 - allows storage replication
- Compatibility problems
 - between hard disks and virtualization server

► Networking

- FCP (Fibre Channel Protocol)
 - SCSI over Fibre Channel
- iSCSI (SCSI over TCP/IP)
- HyperSCSI (SCSI over Ethernet)
- ATA over Ethernet
- Fibre Channel over Ethernet
- iSCSI over InfiniBand
- FCP over IP

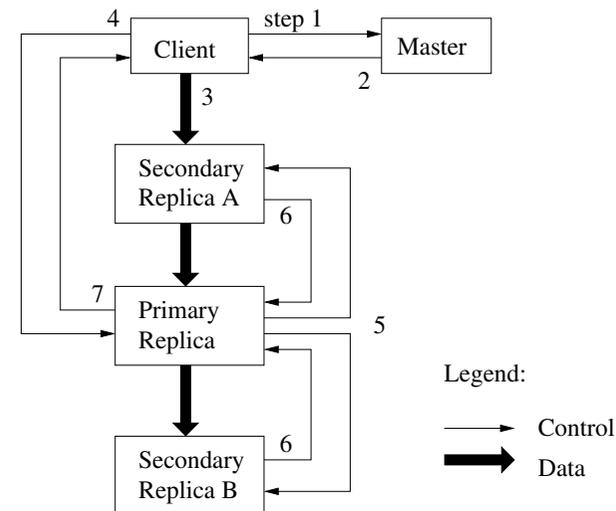
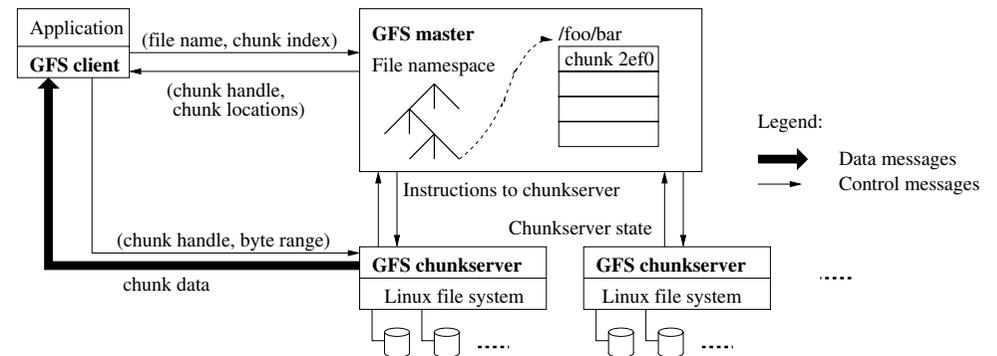


http://en.wikipedia.org/wiki/Storage_area_network

- File system for concurrent read and write operations by multiple computers
 - without conventional file locking
 - concurrent direct access to blocks by servers
- Examples
 - Veritas Cluster File System
 - Xsan
 - Global File System
 - Oracle Cluster File System
 - VMware VMFS
 - IBM General Parallel File System

- aka. Network File System
- Supports sharing of files, tapes, printers etc.
- Allows multiple client processes on multiple hosts to read and write the same files
 - concurrency control or locking mechanisms necessary
- Examples
 - Network File System (NFS)
 - Server Message Block (SMB), Samba
 - Apple Filing Protocol (AFP)
 - Amazon Simple Storage Service (S3)

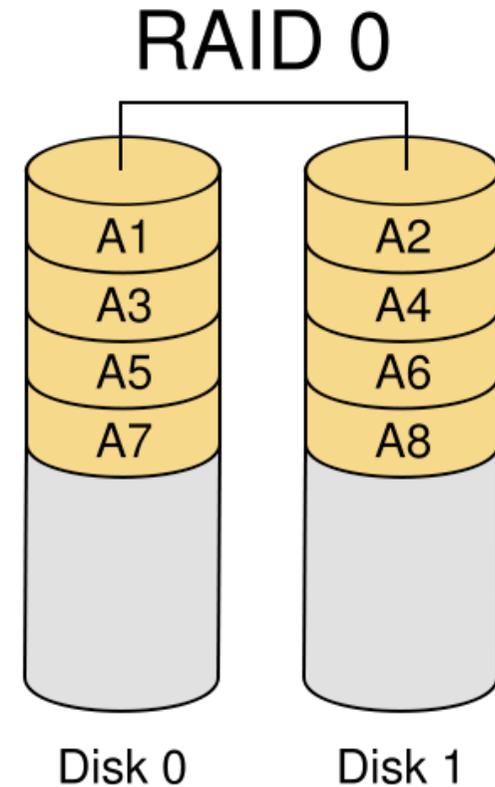
- ▶ **Example: Google File System**
- ▶ **File system on top of other file systems with builtin virtualization**
 - System built from cheap standard components (with high failure rates)
 - Few large files
 - Only operations: read, create, append, delete
 - concurrent appends and reads must be handled
 - High bandwidth important
- ▶ **Replication strategy**
 - chunk replication
 - master replication



- Redundant Array of Independent Disks
 - Patterson, Gibson, Katz, „A Case for Redundant Array of Inexpensive Disks“, 1987
- Motivation
 - Redundancy
 - error correction and fault tolerance
 - Performance (transfer rates)
 - Large logical volumes
 - Exchange of hard disks, increase of storage during operation
 - Cost reduction by use of inexpensive hard disks

Raid 0

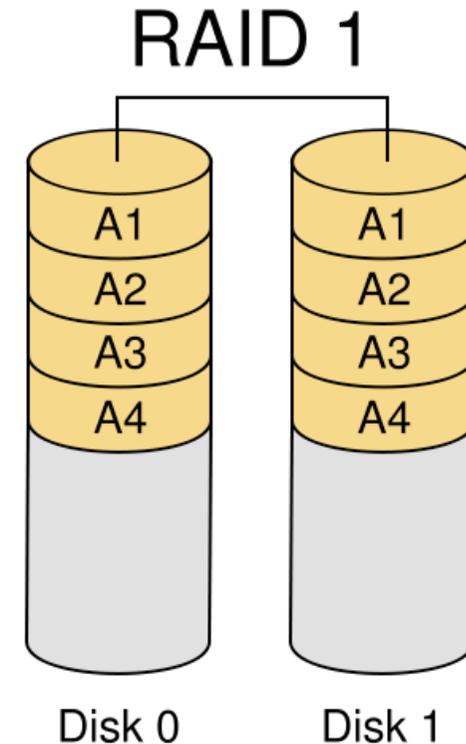
- ▶ **Striped set without parity**
 - Data is broken into fragments
 - Fragments are distributed to the disks
- ▶ **Improves transfer rates**
- ▶ **No error correction or redundancy**
- ▶ **Greater risk of data loss**
 - compared to one disk
- ▶ **Capacity fully available**



<http://en.wikipedia.org/wiki/RAID>

Raid 1

- ▶ **Mirrored set without parity**
 - Fragments are stored on all disks
- ▶ **Performance**
 - if multi-threaded operating system allows split seeks then
 - faster read performance
 - write performance slightly reduced
- ▶ **Error correction or redundancy**
 - all but one hard disks can fail without any data damage
- ▶ **Capacity reduced by factor 2**



<http://en.wikipedia.org/wiki/RAID>

- Hamming Code Parity
- Disks are synchronized and striped in very small stripes
- Hamming codes error correction is calculated across corresponding bits on disks and stored on multiple parity disks
- not in use

Raid 3

▶ **Striped set with dedicated parity (byte level parity)**

- Fragments are distributed on all but one disks
- One dedicated disk stores a parity of corresponding fragments of the other disks

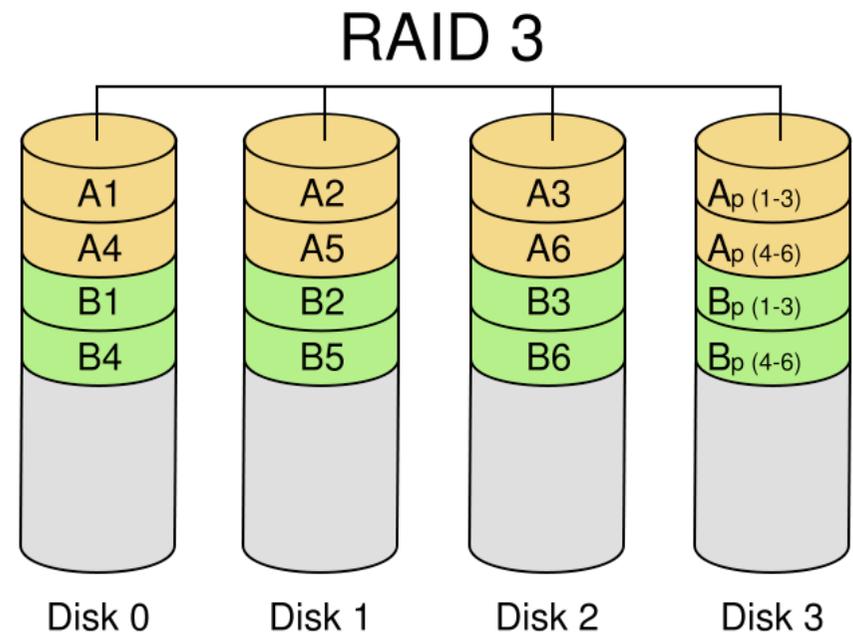
▶ **Performance**

- improved read performance
- write performance reduced by bottleneck parity disk

▶ **Error correction or redundancy**

- one hard disks can fail without any data damage

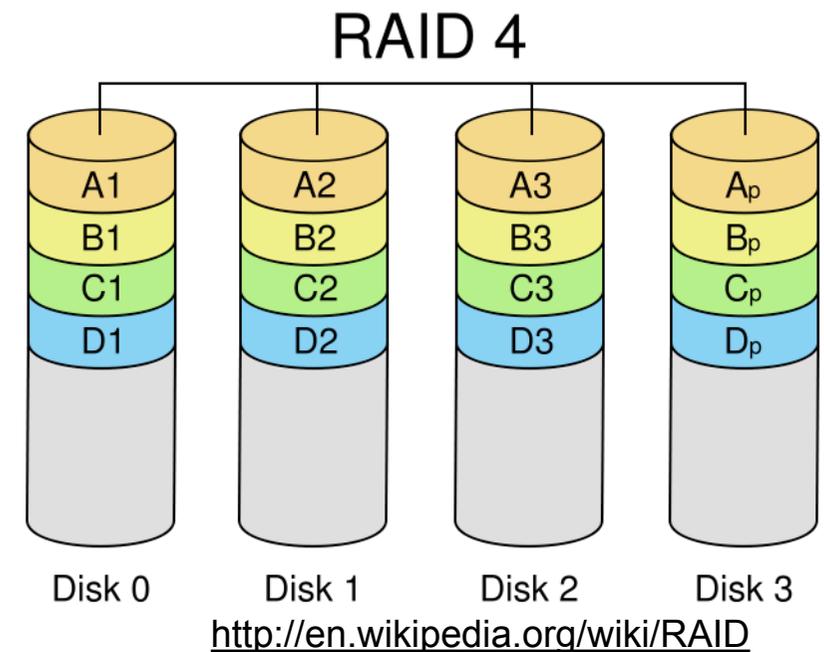
▶ **Capacity reduced by 1/n**



<http://en.wikipedia.org/wiki/RAID>

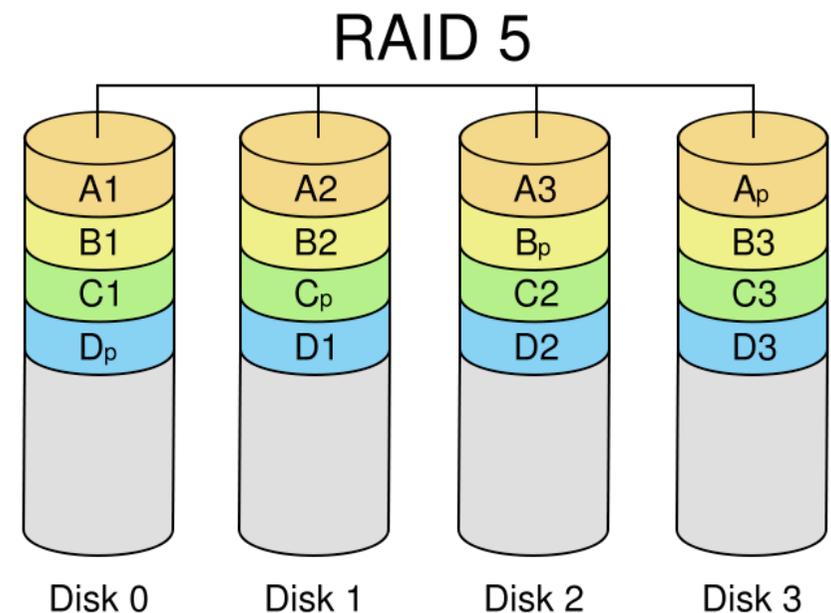
Raid 4

- ▶ **Striped set with dedicated parity (block level parity)**
 - Fragments are distributed on all but one disks
 - One dedicated disk stores a parity of corresponding blocks of the other disks on I/O level
- ▶ **Performance**
 - improved read performance
 - write performance reduced by bottleneck parity disk
- ▶ **Error correction or redundancy**
 - one hard disks can fail without any data damage
- ▶ **Hardly in use**



Raid 5

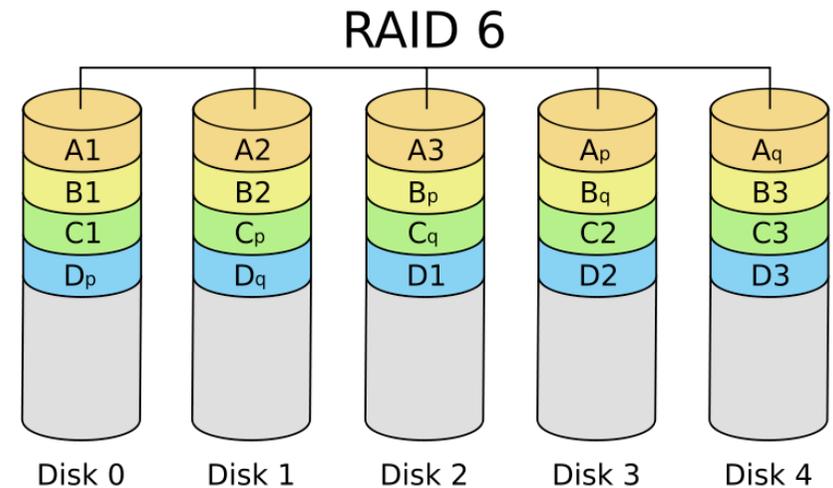
- ▶ **Striped set with distributed parity (interleave parity)**
 - Fragments are distributed on all but one disks
 - Parity blocks are distributed over all disks
- ▶ **Performance**
 - improved read performance
 - improved write performance
- ▶ **Error correction or redundancy**
 - one hard disks can fail without any data damage
- ▶ **Capacity reduced by 1/n**



<http://en.wikipedia.org/wiki/RAID>

Raid 6

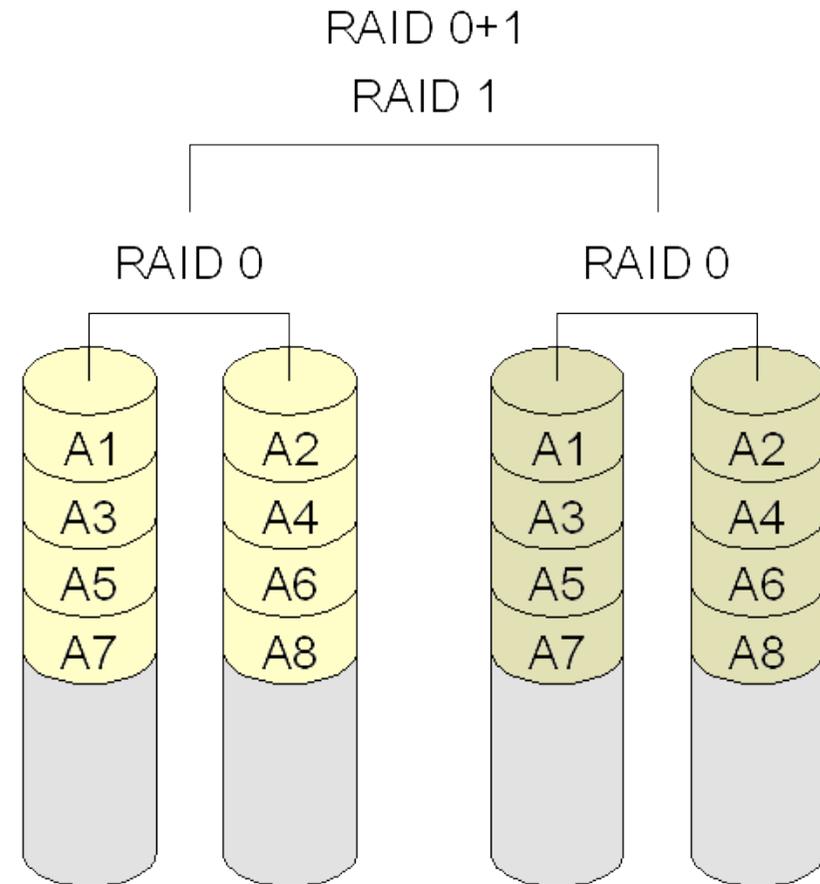
- ▶ **Striped set with dual distributed parity**
 - Fragments are distributed on all but two disks
 - Parity blocks are distributed over two of the disks
 - one uses XOR other alternative method
- ▶ **Performance**
 - improved read performance
 - improved write performance
- ▶ **Error correction or redundancy**
 - two hard disks can fail without any data damage
- ▶ **Capacity reduced by 2/n**



<http://en.wikipedia.org/wiki/RAID>

RAID 0+1

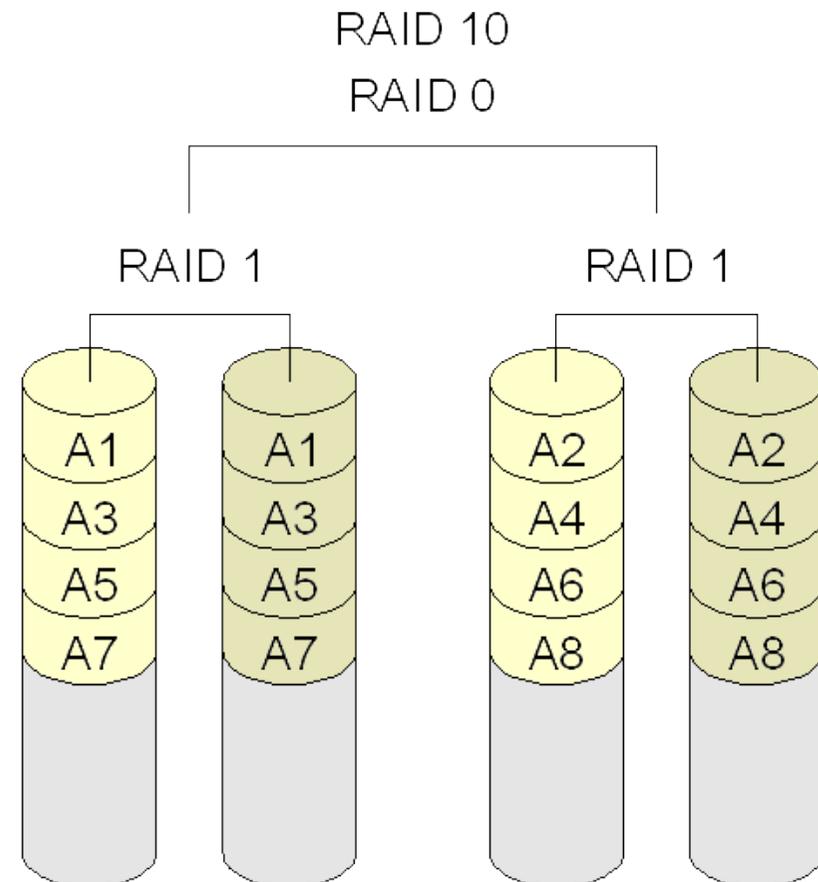
- ▶ **Combination of RAID 1 over multiple RAID 0**
- ▶ **Performance**
 - improved because of parallel write and read
- ▶ **Redundancy**
 - can deal with any single hard disk failure
 - can deal up to two hard disk failure
- ▶ **Capacity reduced by factor 2**



<http://en.wikipedia.org/wiki/RAID>

RAID 10

- ▶ **Combination of RAID 0 over multiple RAID 1**
- ▶ **Performance**
 - improved because of parallel write and read
- ▶ **Redundancy**
 - can deal with any single hard disk failure
 - can deal up to two hard disk failure
- ▶ **Capacity reduced by factor 2**



<http://en.wikipedia.org/wiki/RAID>

- More:
 - RAIDn, RAID 00, RAID 03, RAID 05, RAID 1.5, RAID 55, RAID-Z, ...
- Hot Swapping
 - allows exchange of hard disks during operation
- Hot Spare Disk
 - unused reserve disk which can be activated if a hard disk fails
- Drive Clone
 - Preparation of a hard disk for future exchange indicated by S.M.A.R.T

RAID Waterproof Definitions



Standalone



Cluster



Hot swap



RAID 0



RAID 1



RAID 5



RAID 0+1

- A Tutorial on Reed-Solomon Coding for Fault-Tolerance in RAID-like Systems, James S. Plank , 1999
- The RAID-6 Liberation Codes, James S. Plank, FAST'08, 2008

Principle of RAID 6

▶ **Data units D_1, \dots, D_n**

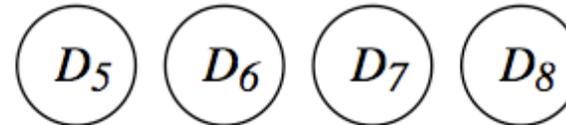
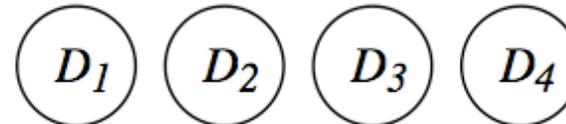
- w : size of words
 - $w=1$ bits,
 - $w=8$ bytes, ...

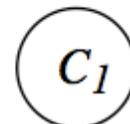
▶ **Checksum devices C_1, C_2, \dots, C_m**

- computed by functions
 $C_i = F_i(D_1, \dots, D_n)$

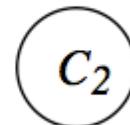
▶ **Any n words from data words and check words**

- can decode all n data units





$$C_1 = F_1(D_1, D_2, D_3, D_4, D_5, D_6, D_7, D_8)$$



$$C_2 = F_2(D_1, D_2, D_3, D_4, D_5, D_6, D_7, D_8)$$

Principle of RAID 6

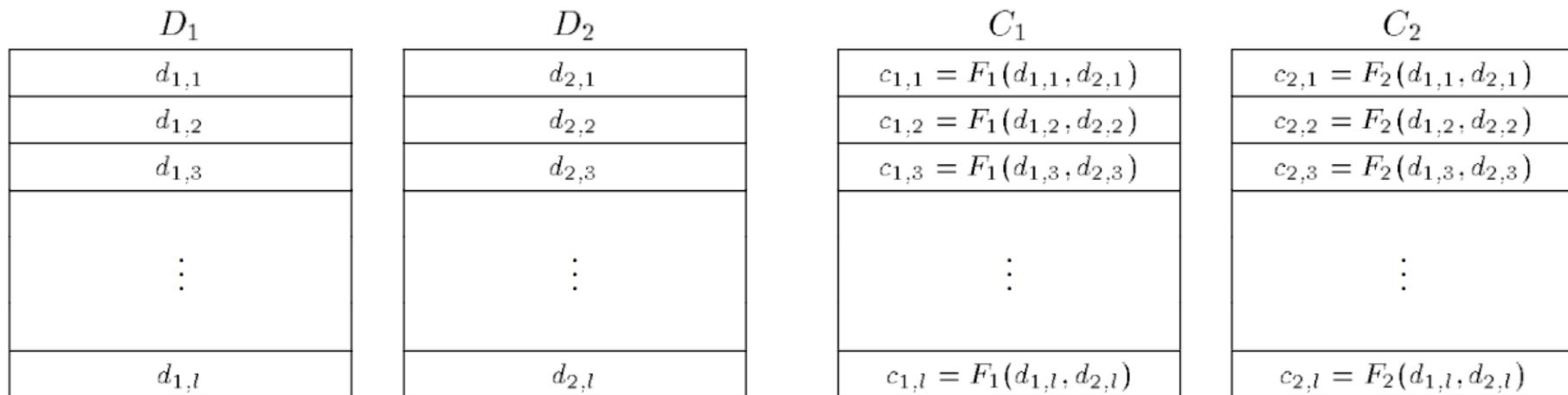


Figure 2: Breaking the storage devices into words ($n = 2, m = 2, l = \frac{8k}{w}$)

- Encoding
 - Given new data elements, calculate the check sums
- Modification (update penalty)
 - Recompute the checksums (relevant parts) if one data element is modified
- Decoding
 - Recalculate lost data after one or two failures
- Efficiency
 - speed of operations
 - check disk overhead
 - ease of implementation and transparency



Reed-Solomon

- RAID 6 Encodings

Vandermonde-Matrix

$$\begin{bmatrix} f_{1,1} & f_{1,2} & \dots & f_{1,n} \\ f_{2,1} & f_{2,2} & \dots & f_{2,n} \\ \vdots & \vdots & & \vdots \\ f_{m,1} & f_{m,2} & \dots & f_{m,n} \end{bmatrix} \begin{bmatrix} d_1 \\ d_2 \\ \vdots \\ d_n \end{bmatrix} =$$

$$\begin{bmatrix} 1 & 1 & 1 & \dots & 1 \\ 1 & 2 & 3 & \dots & n \\ \vdots & \vdots & \vdots & & \vdots \\ 1 & 2^{m-1} & 3^{m-1} & \dots & n^{m-1} \end{bmatrix} \begin{bmatrix} d_1 \\ d_2 \\ \vdots \\ d_n \end{bmatrix} = \begin{bmatrix} c_1 \\ c_2 \\ \vdots \\ c_m \end{bmatrix}$$

A Tutorial on Reed-Solomon Coding for Fault-Tolerance
in RAID-like Systems, James S. Plank , 1999

Complete Matrix

$$\begin{bmatrix}
 1 & 0 & 0 & \dots & 0 \\
 0 & 1 & 0 & \dots & 0 \\
 \vdots & \vdots & \vdots & & \vdots \\
 0 & 0 & 0 & \dots & 1 \\
 1 & 1 & 1 & \dots & 1 \\
 1 & 2 & 3 & \dots & n \\
 \vdots & \vdots & \vdots & & \vdots \\
 1 & 2^{m-1} & 3^{m-1} & \dots & n^{m-1}
 \end{bmatrix}
 \begin{bmatrix}
 d_1 \\
 d_2 \\
 \vdots \\
 d_n
 \end{bmatrix}
 =
 \begin{bmatrix}
 d_1 \\
 d_2 \\
 \vdots \\
 d_n \\
 c_1 \\
 c_2 \\
 \vdots \\
 c_m
 \end{bmatrix}$$

A Tutorial on Reed-Solomon Coding for Fault-Tolerance
in RAID-like Systems, James S. Plank , 1999

- $GF(2^w)$ = Finite Field over 2^w elements
 - Elements are all binary strings of length w
 - $0 = 0^w$ is the neutral element for addition
 - $1 = 0^{w-1}1$ is the neutral element for multiplication
- $u + v$ = bit-wise Xor of the elements
 - e.g. $0101 + 1100 = 1001$
- $a \cdot b$ = product of polynomials modulo 2 and modulo an irreducible polynomial q
 - i.e. $(a_{w-1} \dots a_1 a_0) (b_{w-1} \dots b_1 b_0) =$
 $((a_0 + a_1x + \dots + a_{w-1}x^{w-1})(b_0 + b_1x + \dots + b_{w-1}x^{w-1}) \bmod q(x)) \bmod 2$

Example: $GF(2^2)$

Generated Element of $GF(4)$	Polynomial Element of $GF(4)$	Binary Element b of $GF(4)$	Decimal Representation of b
0	0	00	0
x^0	1	01	1
x^1	x	10	2
x^2	$x + 1$	11	3

+	0 = 00	1 = 01	2 = 10	3 = 11
0 = 00	0	1	2	3
1 = 01	1	0	3	2
2 = 10	2	3	0	1
3 = 11	3	2	1	0

$$q(x) = x^2 + x + 1$$

*	0 = 0	1 = 1	2 = x	3 = x+1
0 = 0	0	0	0	0
1 = 1	0	1	2	3
2 = x	0	2	3	1
3 = x+1	0	3	1	2

$$2 \cdot 3 = x(x+1) = x^2 + x = 1 \pmod{x^2 + x + 1} = 1$$

$$2 \cdot 2 = x^2 = x + 1 \pmod{x^2 + x + 1} = 3$$

- Irreducible polynomials cannot be factorized
 - counter-example: $x^2+1 = (x+1)^2 \pmod{2}$
- Examples:
 - $w=2$: x^2+x+1
 - $w=4$: x^4+x+1
 - $w=8$: $x^8+x^4+x^3+x^2+1$
 - $w=16$: $x^{16}+x^{12}+x^3+x+1$
 - $w=32$: $x^{32}+x^{22}+x^2+x+1$
 - $w=64$: $x^{64}+x^4+x^3+x+1$

- Powers laws
 - Consider: $\{2^0, 2^1, 2^2, \dots\}$
 - $= \{x^0, x^1, x^2, x^3, \dots\}$
 - $= \exp(0), \exp(1), \dots$
- $\exp(x+y) = \exp(x) \exp(y)$
- Inverse: $\log(\exp(x)) = x$
 - $\log(x \cdot y) = \log(x) + \log(y)$
- $x \cdot y = \exp(\log(x) + \log(y))$
 - Warning: integer addition!!!
- Use tables to compute exponential and logarithm function

Example: GF(16)

$$q(x) = x^4 + x + 1$$

x	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
exp(x)	1	x	x ²	x ³	1+x	x+x ²	x ² +x ³	1+x+x ³	1+x ²	x+x ³	1+x+x ²	x+x ² +x ³	1+x+x ² +x ³	1+x ² +x ³	1+x ³	1
exp(x)	1	2	4	8	3	6	12	11	5	10	7	14	15	13	9	1

x	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
log(x)	0	1	4	2	8	5	10	3	14	9	7	6	13	11	12

- $5 \cdot 12 = \exp(\log(5) + \log(12)) = \exp(8 + 6) = \exp(14) = 9$
- $7 \cdot 9 = \exp(\log(7) + \log(9)) = \exp(10 + 14) = \exp(24) = \exp(24 - 15) = \exp(9) = 10$

Example: Reed Solomon for GF[2⁴]

- Compute carry bits for three hard disks by computing

$$F = \begin{bmatrix} 1^0 & 2^0 & 3^0 \\ 1^1 & 2^1 & 3^1 \\ 1^2 & 2^2 & 3^2 \end{bmatrix} = \begin{bmatrix} 1 & 1 & 1 \\ 1 & 2 & 3 \\ 1 & 4 & 5 \end{bmatrix}$$

- $F D = C$
 - where D is the vector of three data words
 - C is the vector of the three parity words
- Store D and C on the disks

- Encoding
 - Time: $O(k n)$ $GF[2^w]$ -operations for k check words and n disks
- Modification
 - like Encoding
- Decoding
 - Time: $O(n^3)$ for matrix inversion
- Ease of implementation
 - check disk overhead is minimal
 - complicated decoding



DAAD Summerschool Curitiba 2011

Aspects of Large Scale High Speed Computing Building Blocks of a Cloud
Storage Networks

2: Virtualization of Storage: RAID, SAN and Virtualization

Christian Schindelbauer

Technical Faculty

Computer-Networks and Telematics

University of Freiburg