



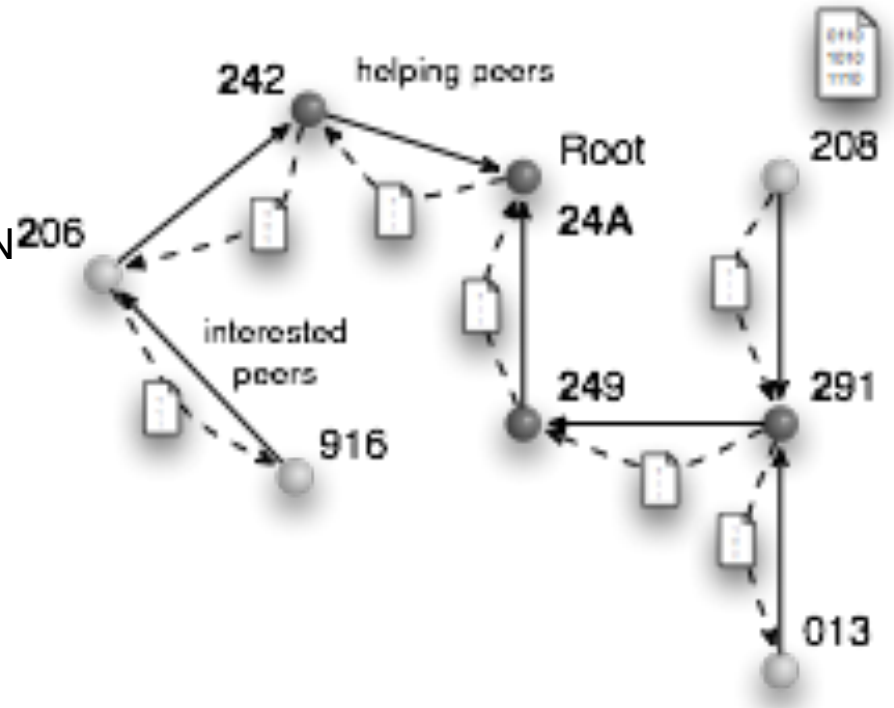
# Peer-to-Peer Networks

## 10 Fast Download

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# Scribe & Friends

- ▶ **Multicast-Tree in the Overlay Network**
- ▶ **Scribe [2001] is based on Pastry**
  - Castro, Druschel, Kermarrec, Rowstron
- ▶ **Similar approaches**
  - CAN Multicast [2001] based on CAN
  - Bayeux [2001] based on Tapestry
- ▶ **Other approaches**
  - Overcast [00] and Narada [00]
  - construct multi-cast trees using unicast connections
  - do not scale



# Pastry

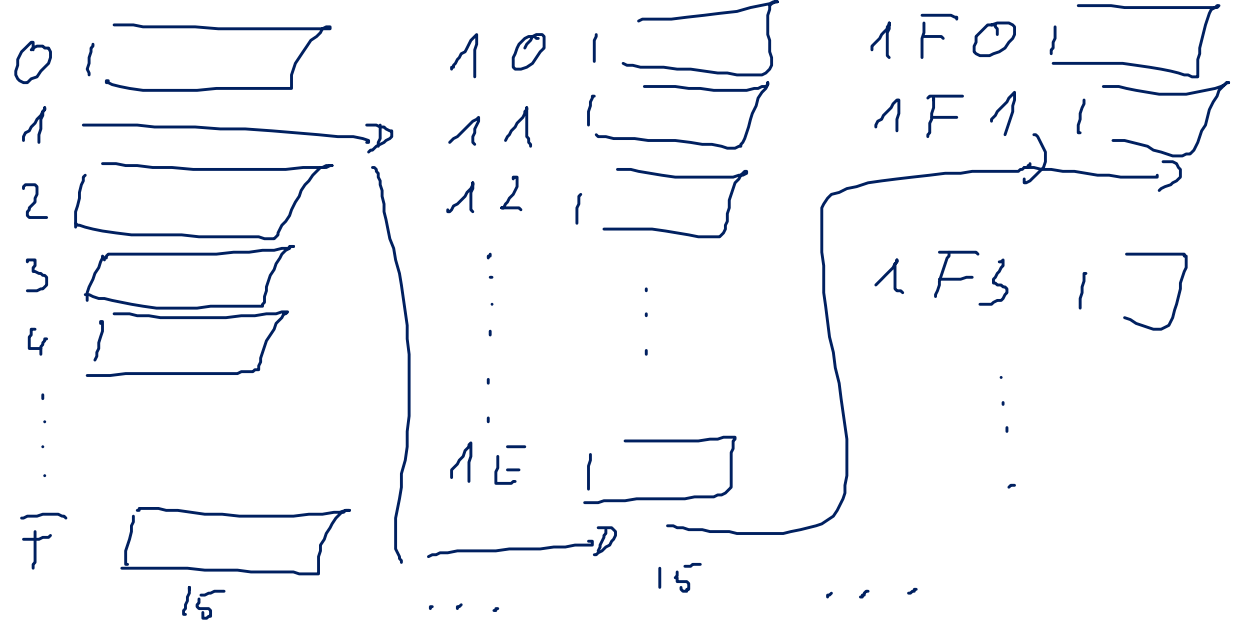
→ ZIP-rod thing

## Plaxton Rocky

Address

1F2A..

1st Link



2nd Link

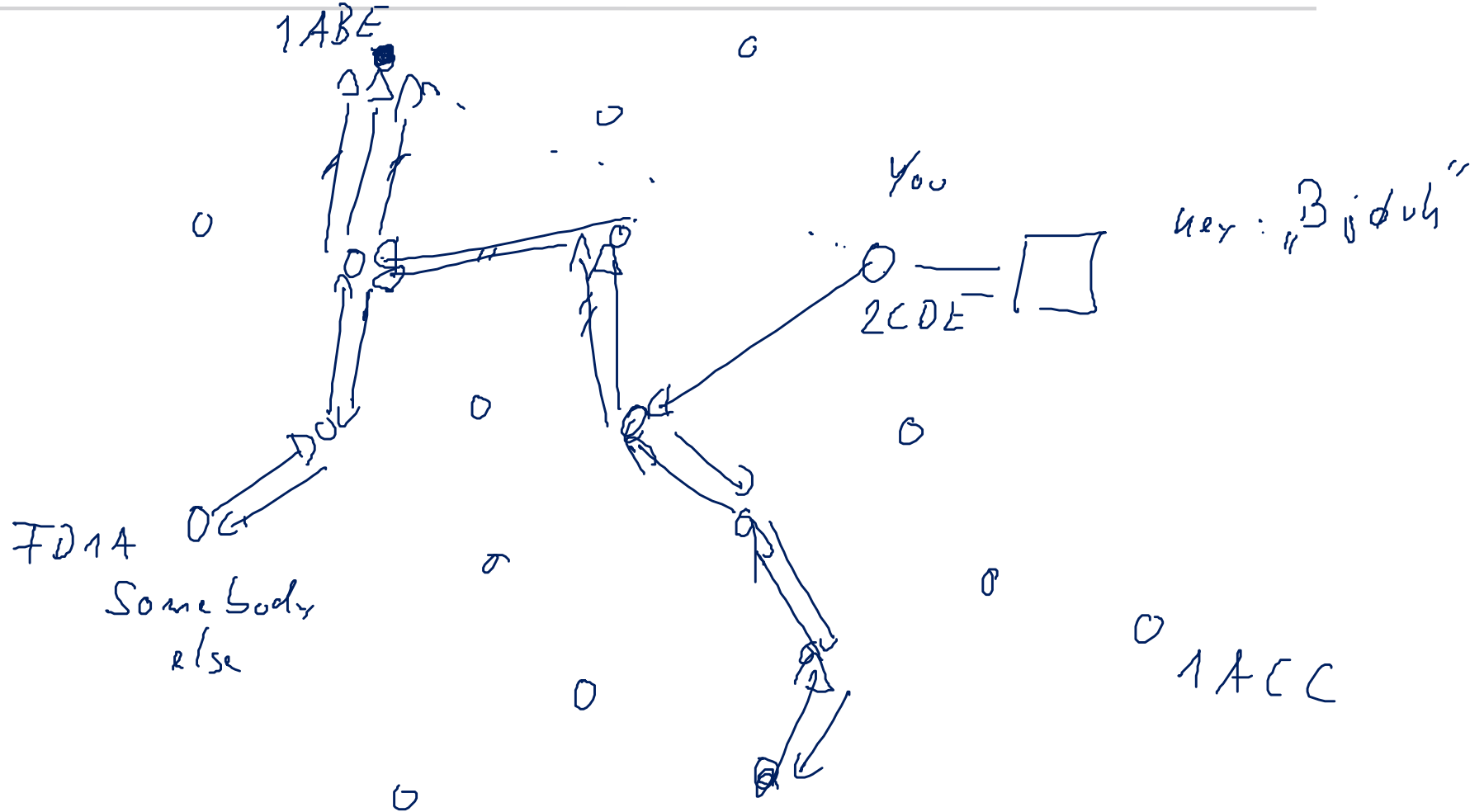


3rd Link

Magic

# DMT

closest to  $h(\text{"Bjduh"}) = 1ABC$



# How Scribe Works

▶ Create

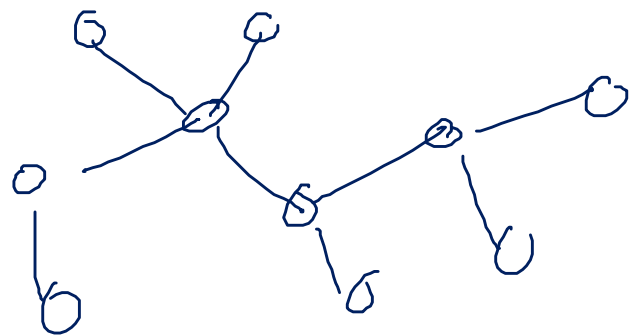
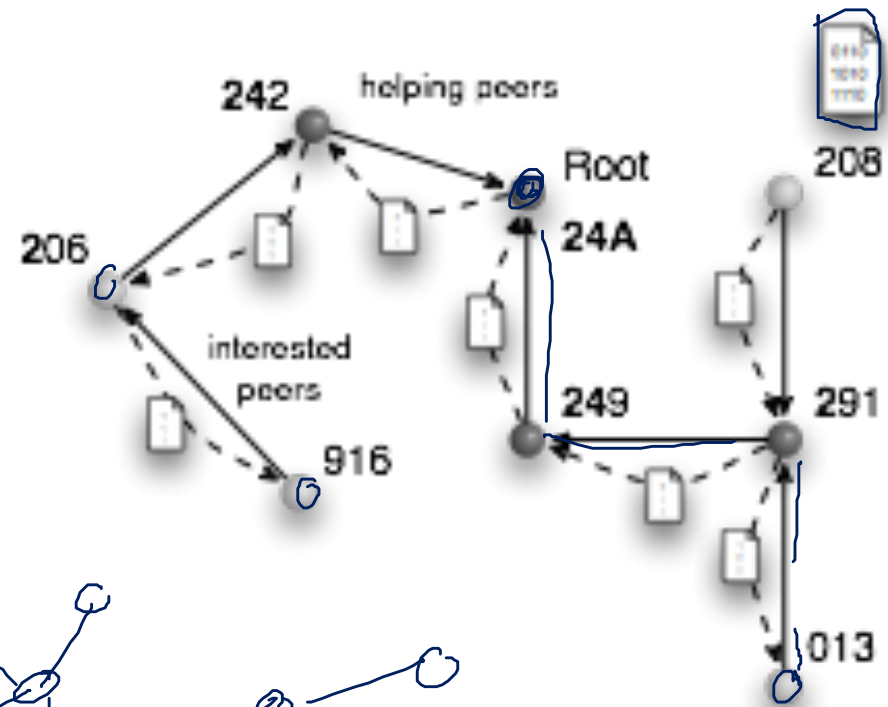
- GroupID is assigned to a peer according to Pastry index

▶ Join

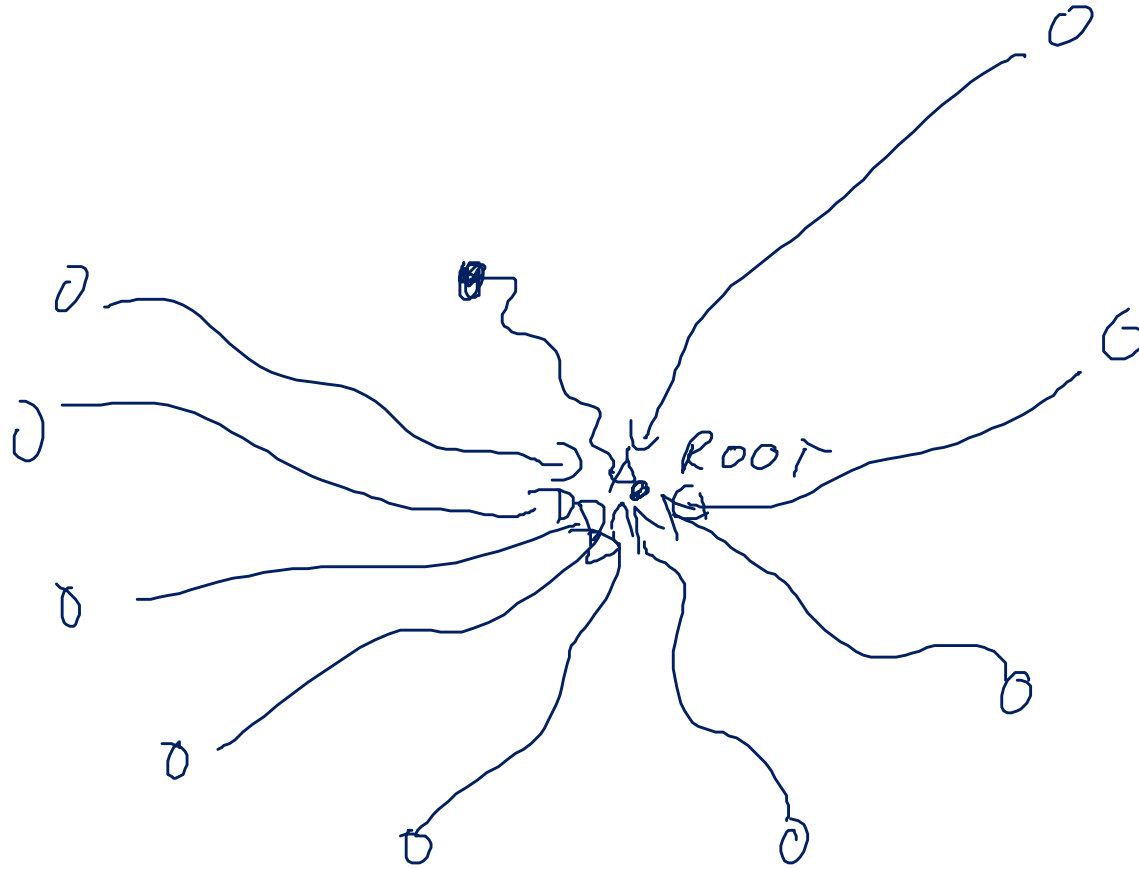
- Interested peer performs lookup to group ID
- When a peer is found in the Multicast tree then a new sub-path is inserted

▶ Download

- Messages are distributed using the multicast tree
- Nodes duplicate parts of the file



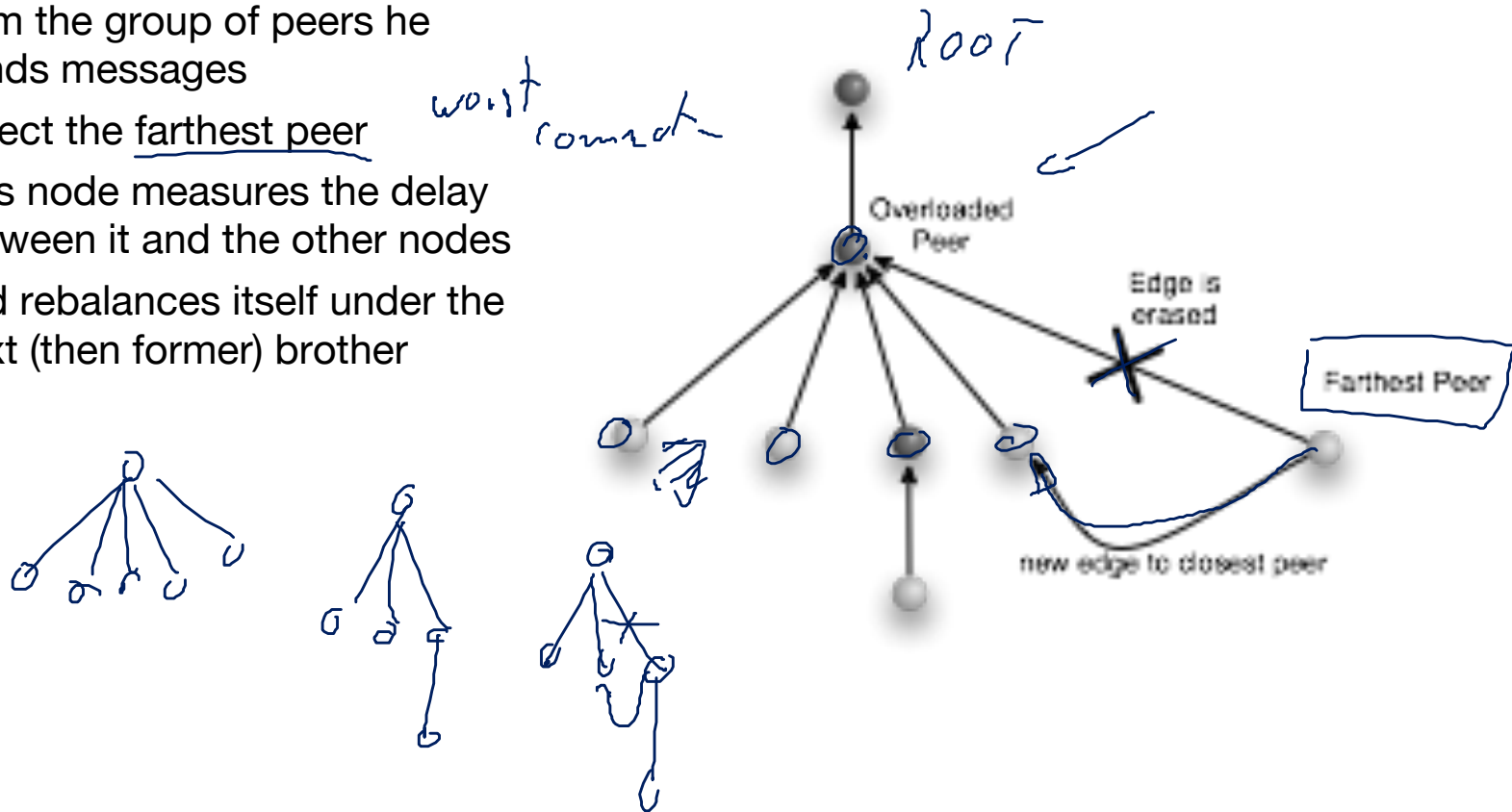
$$\underline{15} \cdot \frac{\log n}{\log 16}$$

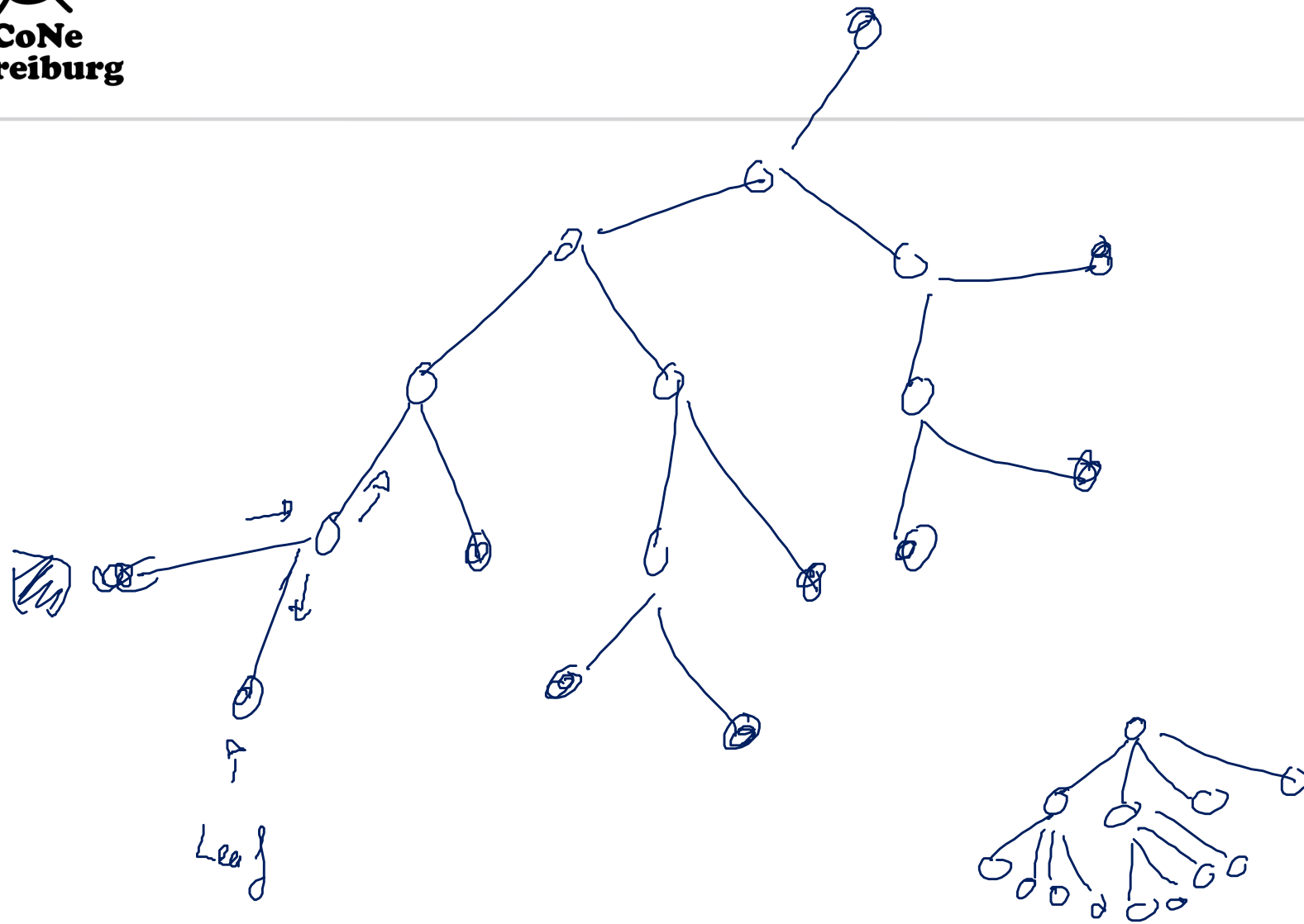


# Scribe Optimization

## ► Bottleneck-Remover

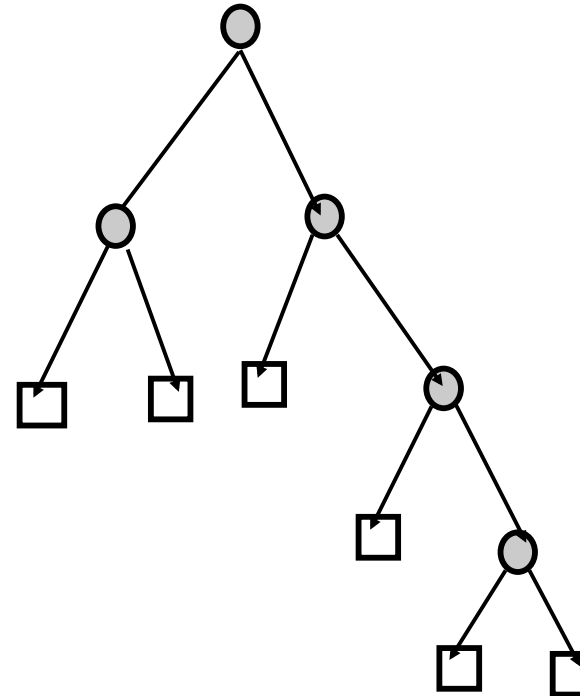
- If a node is overloaded then from the group of peers he sends messages
- Select the farthest peer
- This node measures the delay between it and the other nodes
- and rebalances itself under the next (then former) brother

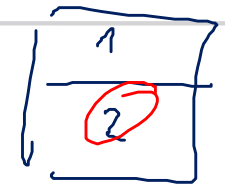
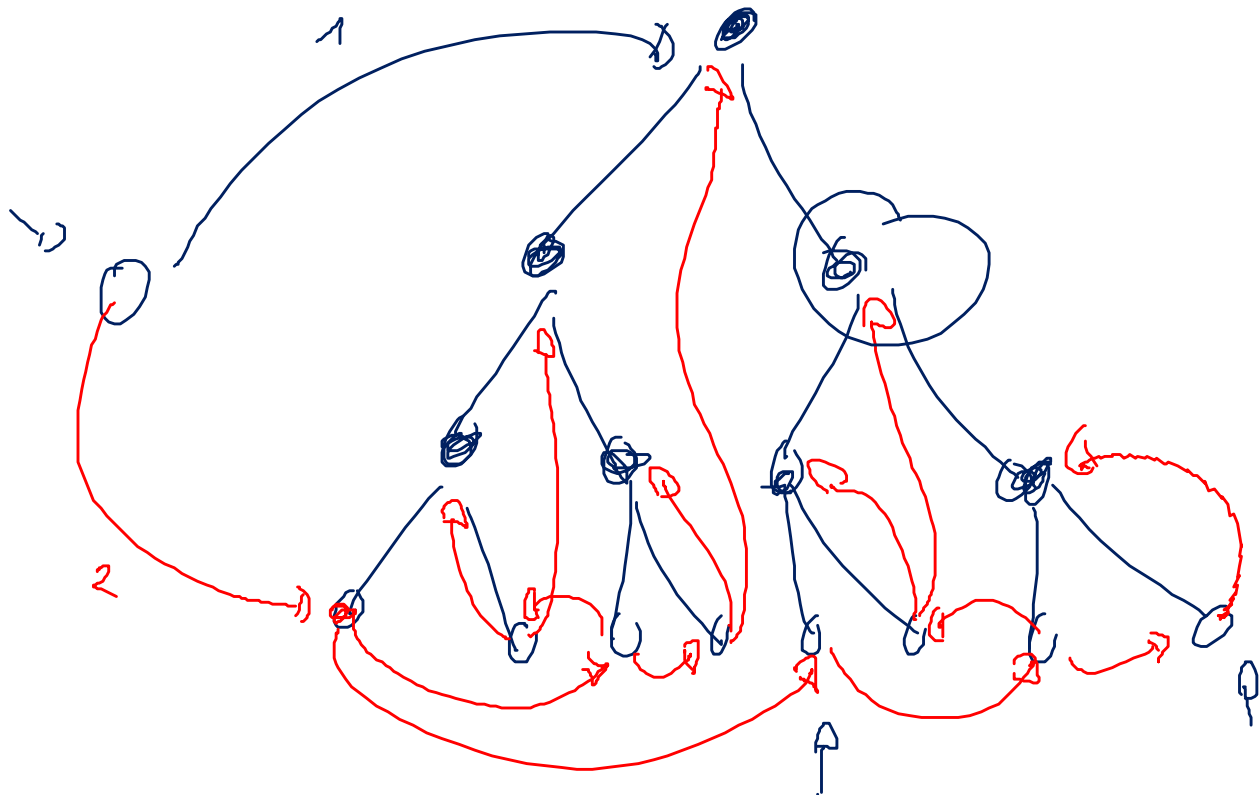






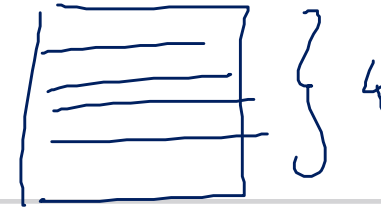
- ▶ **Multicast trees discriminate certain nodes**
- ▶ **Lemma**
  - In every binary tree the number of leaves = number of internal nodes +1
- ▶ **Conclusion**
  - Nearly half of the nodes distribute data
  - While the other half does not distribute any data
  - An internal node has twice the upload as the average peer
- ▶ **Solution: Larger degree?**
- ▶ **Lemma**
  - In every node with degree  $d$  the number of internal nodes  $k$  and leaves  $b$  we observe
    - $(d-1)k = b - 1$
- ▶ **Implication**
  - Less peers have to suffer more upload







# Split-Stream



➤ **Castro, Druschel, Kermarrec, Nandi, Rowstron, Singh 2001**

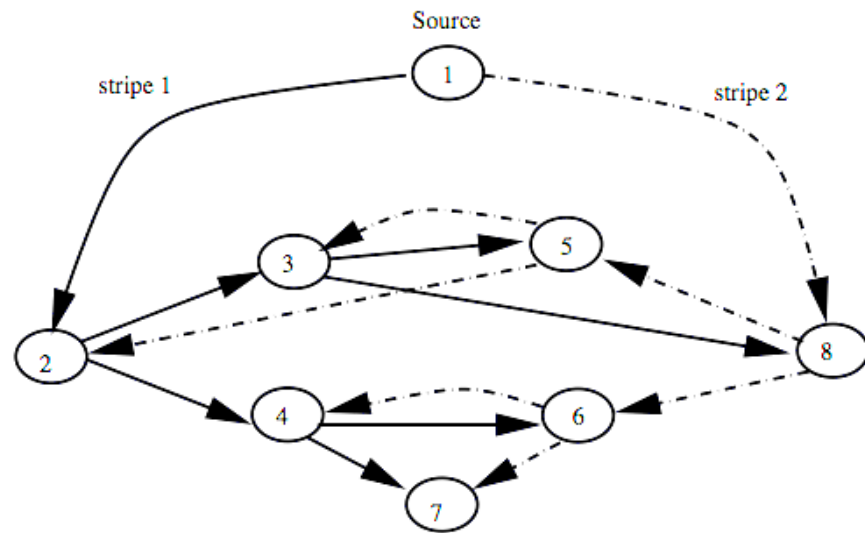
▶ **Idea**

- Partition a file of size into  $k$  small parts
- For each part use another multicast tree
- Every peer works as leaf and as distributing internal tree node
  - except the source

▶ **Ideally, the upload of each node is a most the download**

- *churn*

- *coordination*



## ➤ Bram Cohen

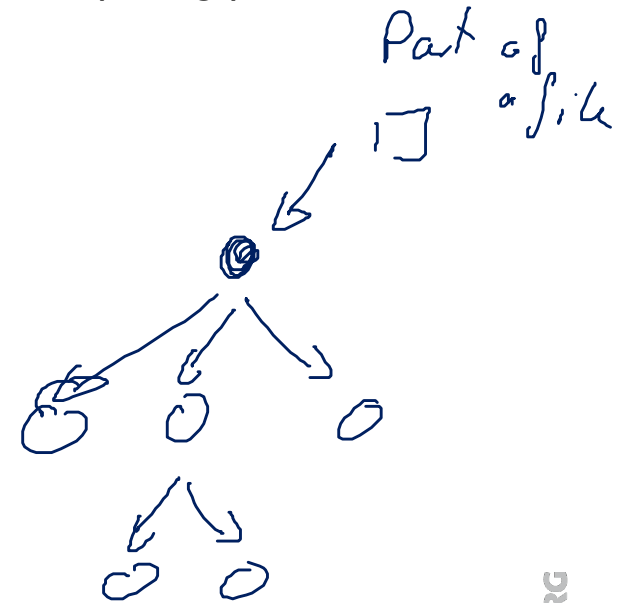
### ▶ Bittorrent is a real (very successful) peer-to-peer network

- concentrates on download
- uses (implicitly) multicast trees for the distribution of the parts of a file

### ▶ Protocol is peer oriented and not data oriented

### ▶ Goals

- efficient download of a file using the uploads of all participating peers
- efficient usage of upload
  - usually upload is the bottleneck
  - e.g. asymmetric protocols like ISDN or DSL
- fairness among peers
  - seeders against leeches
- usage of several sources







# Bittorrent

## Coordination and File

P2P Network  
Kademlia x Chord

### ▶ Central coordination (original implementation)

- by tracker host
- for each file the tracker outputs a set of random peers from the set of participating peers
  - in addition hash-code of the file contents and other control information
- tracker hosts to not store files
  - yet, providing a tracker file on a tracker host can have legal consequences

### ▶ File

- is partitions in smaller pieces
  - as described in tracker file
- every participating peer can redistribute downloaded parts as soon as he received it
- Bittorrent aims at the Split-Stream idea

### ▶ Interaction between the peers

- two peers exchange their information about existing parts
- according to the policy of Bittorrent outstanding parts are transmitted to the other peer





### ▶ Problem

- The Coupon-Collector-Problem is the reason for a uneven distribution of parts
  - if a completely random choice is used

### ▶ Measures

#### • Rarest First

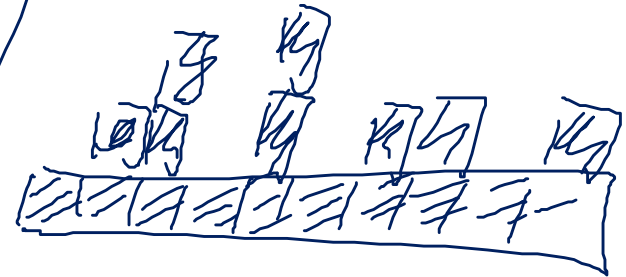
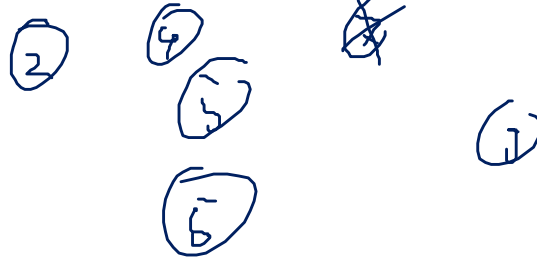
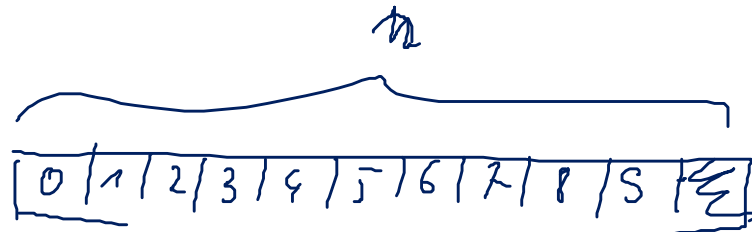
- Every peer tries to download the parts which are rarest
  - \* density is deduced from the communication with other peers (or tracker host)
- in case the source is not available this increases the chances the peers can complete the download

#### • Random First (exception for new peers)

- When peer starts it asks for a random part
- Then the demand for seldom peers is reduced
  - \* especially when peers only shortly join

#### • Endgame Mode

- if nearly all parts have been loaded the downloading peers asks more connected peers for the missing parts
- then a slow peer can not stall the last download



Coupon-collector



$\rightarrow \Theta(m \cdot \log n)$

▶ **Goal**

- self organizing system
- good (uploading, seeding) peers are rewarded
- bad (downloading, leeching) peers are penalized

▶ **Reward**

- good download speed
- un-choking

▶ **Penalty**

- Choking of the bandwidth

▶ **Evaluation**

- Every peers Peers evaluates his environment from his past experiences

▶ **Every peer has a choke list**

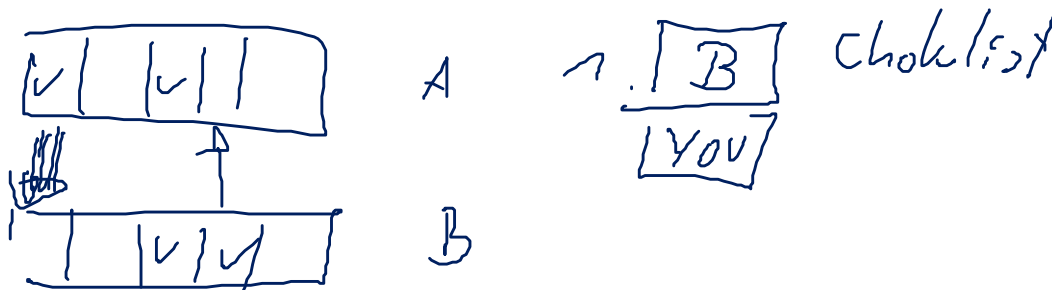
- requests of choked peers are not served for some time
- peers can be unchoked after some time

▶ **Adding to the choke list**

- Each peer has a fixed minimum amount of choked peers (e.g. 4)
- Peers with the worst upload are added to the choke list
  - and replace better peers

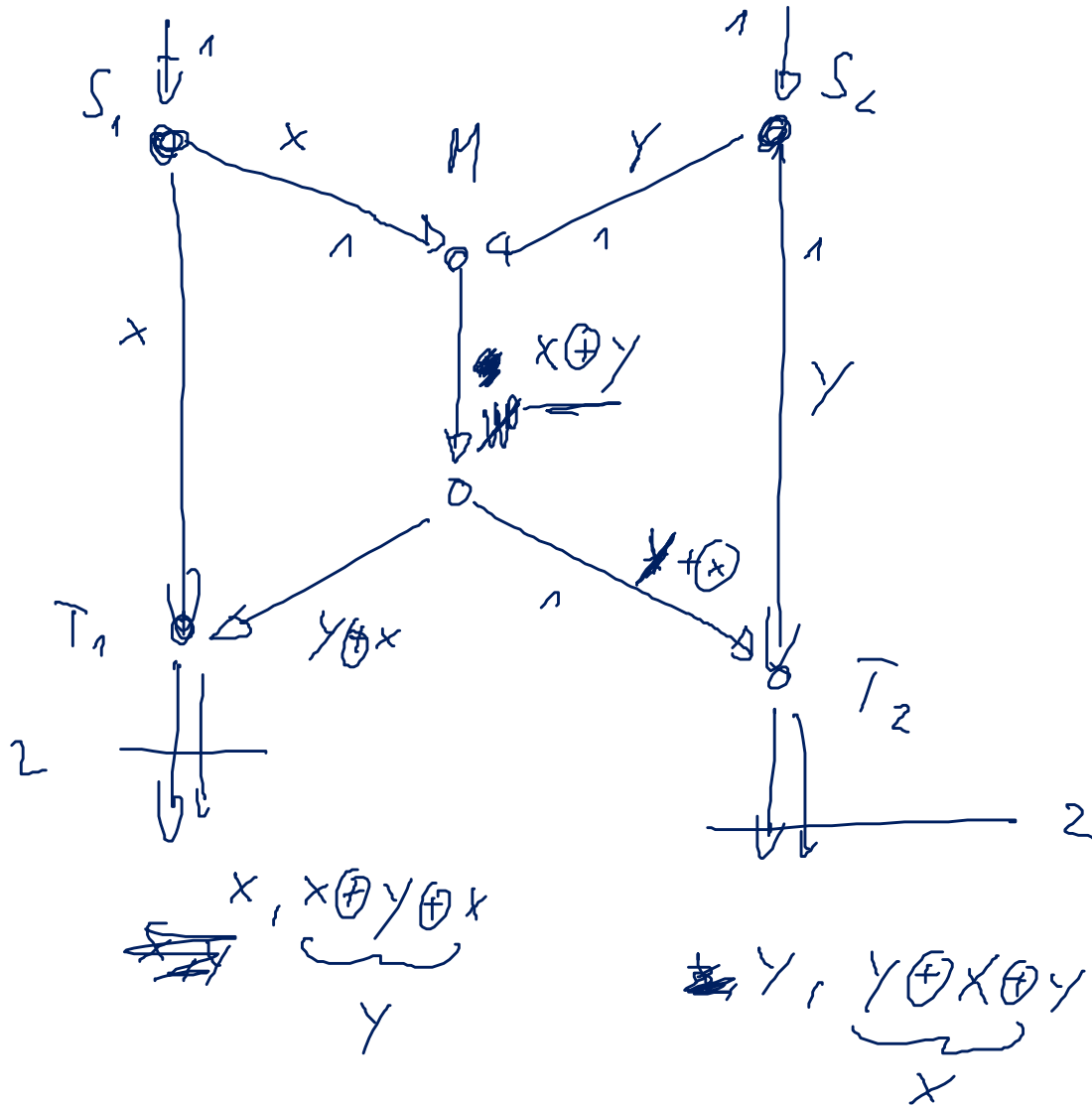
▶ **Optimistic Unchoking**

- Arbitrarily a candidate is removed from the list of choking candidates
  - the prevents maltreating a peer with a bad bandwidth



$x \in \{0,1\}$

$y \in \{0,1\}$

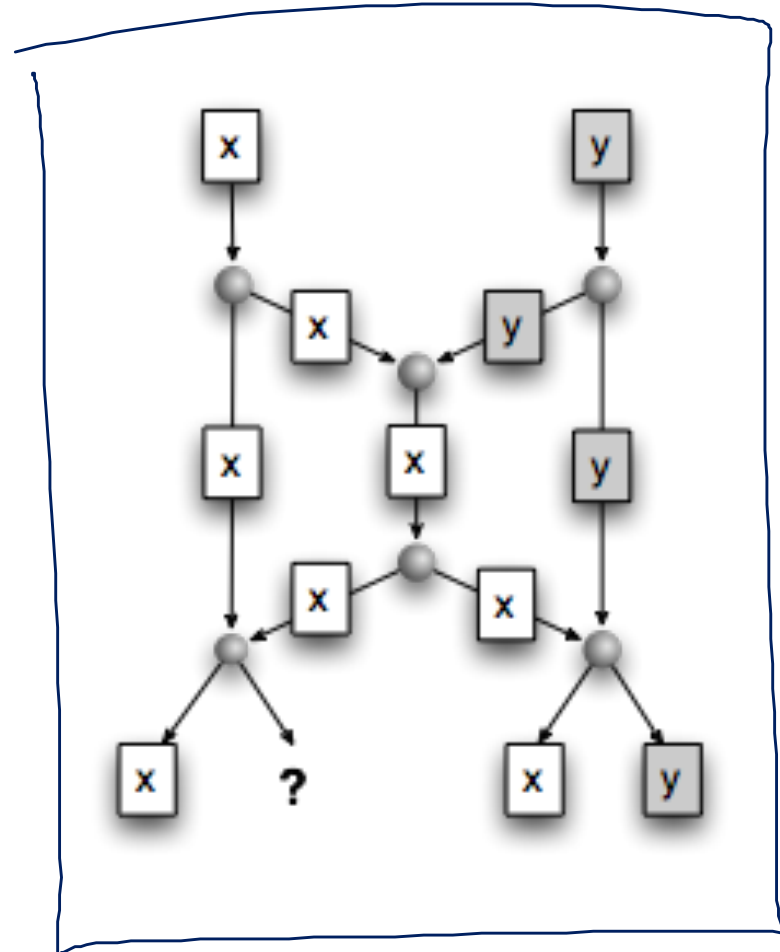


$x \oplus y$	0	1
0	0	1
1	1	0

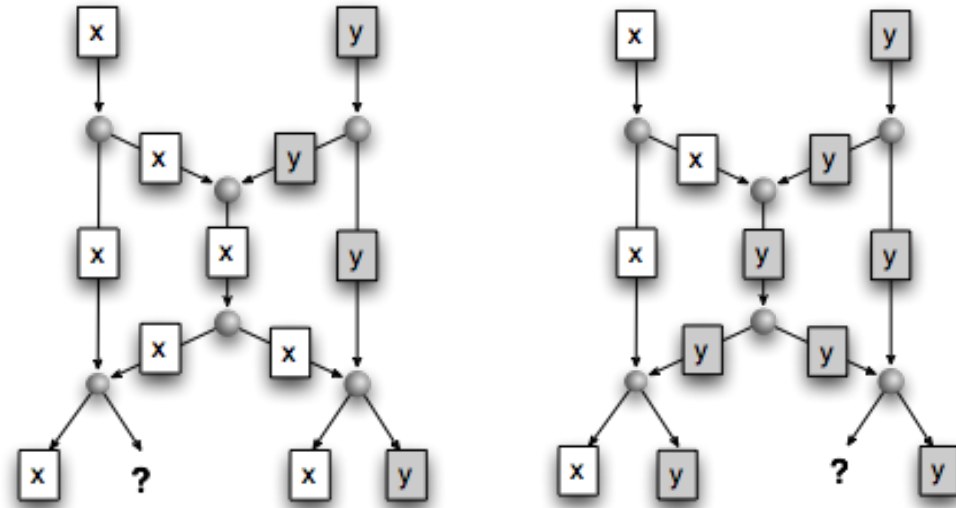
- ▣ R. Ahlswede, N. Cai, S.-Y. R. Li, and R. W. Yeung, "Network Information Flow", (IEEE Transactions on Information Theory, IT-46, pp. 1204-1216, 2000)

- Example

- Bits  $x$  and  $y$  need to be transmitted
- Every line transmits one bit
- If only bits are transmitted
  - then only  $x$  or  $y$  can be transmitted in the middle?
- By using  $X$  we can have both results at the outputs



- R. Ahlswede, N. Cai, S.-Y. R. Li, and R. W. Yeung, "Network Information Flow", (IEEE Transactions on Information Theory, IT-46, pp. 1204-1216, 2000)



- Theorem [Ahlswede et al.]
  - There is a network code for each graph such that each node receives as much information as the maximum flow of the corresponding flow problem

