



Peer-to-Peer Networks

14 Security

Christian Schindelhauer
Technical Faculty
Computer-Networks and Telematics
University of Freiburg

$$P \stackrel{?}{=} NP$$

- ~~Symmetric~~ Cryptography
 - AES
 - Affine Cryptosystems
- ~~Public-Key~~ Cryptography
 - RSA
 - ElGamal
- ~~Digital~~ Signatures
- ~~Public-Key~~-Exchange
 - Diffie-Hellman
- ~~Interactive~~ Proof Systems
 - Zero-Knowledge-Proofs
 - Secret Sharing
 - Secure Multi-Party Computation

Challenge-Response

Blakley 's Secret Sharing

- George Blakley, 1979

- Task

- n persons have to share a secret

$$\begin{matrix} n = 5 \\ k = 2 \end{matrix}$$

- only when k of n persons are present the secret is allowed to be revealed

- Blakley 's scheme

- in a k-dimensional space the intersection of k non-parallel k-1-dimensional spaces define a point

- this point is the information

- with k-1 sub-spaces one gets only a line

- Construction

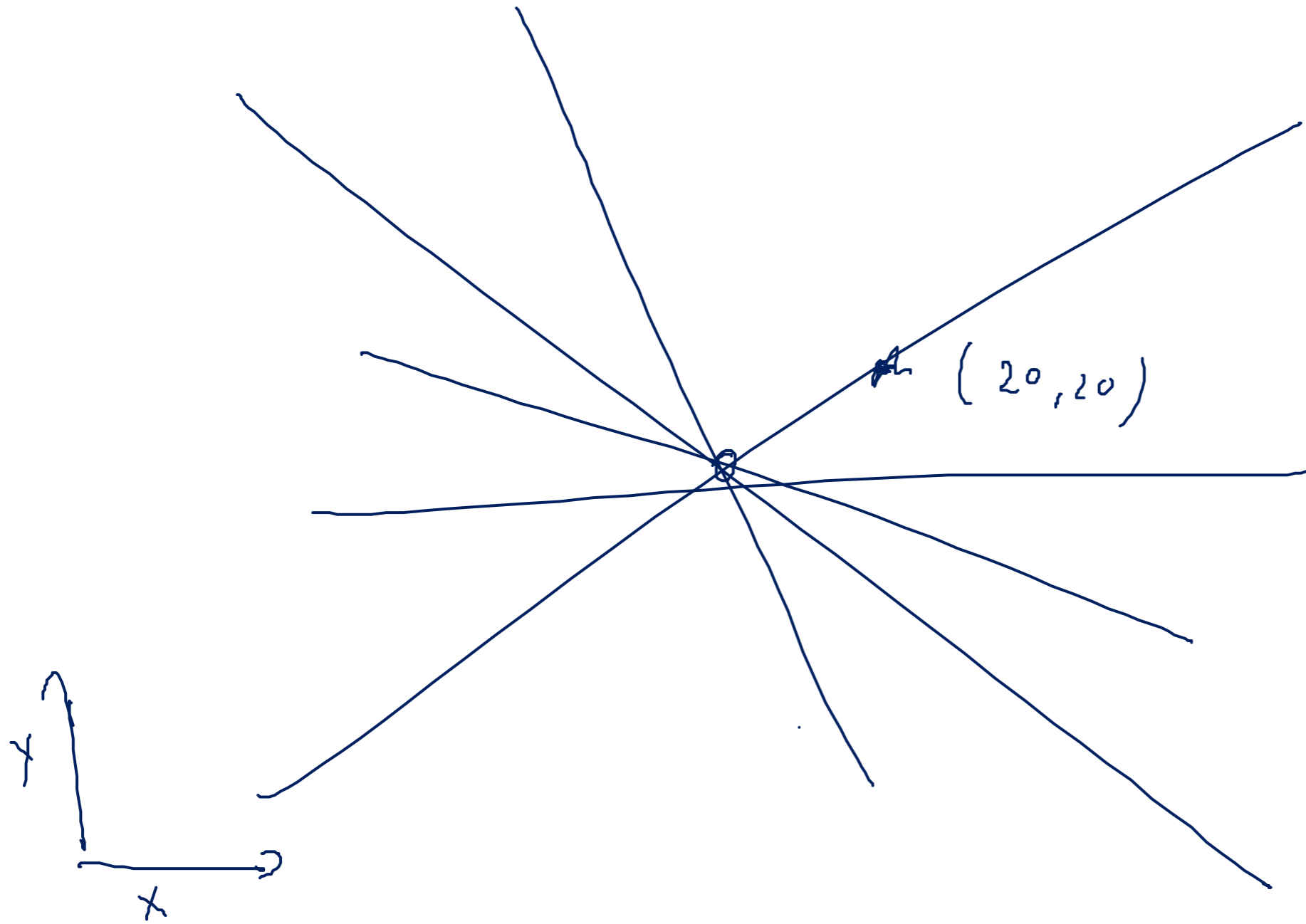
- A third (trusted) instance generate for a point n in R^k k non-parallel k-1-dimensional hyper-spaces

Shamir 's Secret Sharing Systems

- Adi Shamir, 1979
- Task
 - n persons have to share a secret s
 - only k out of n persons should be able to reveal this secret
- Construction of a trusted third party
 - chooses random numbers a_1, \dots, a_{k-1}
 - defines
$$f(x) = \boxed{s} + a_1x + a_2x^2 + \dots + a_{k-1}x^{k-1}$$
 - chooses random x_1, x_2, \dots, x_n
 - sends $(x_i, f(x_i))$ to player i

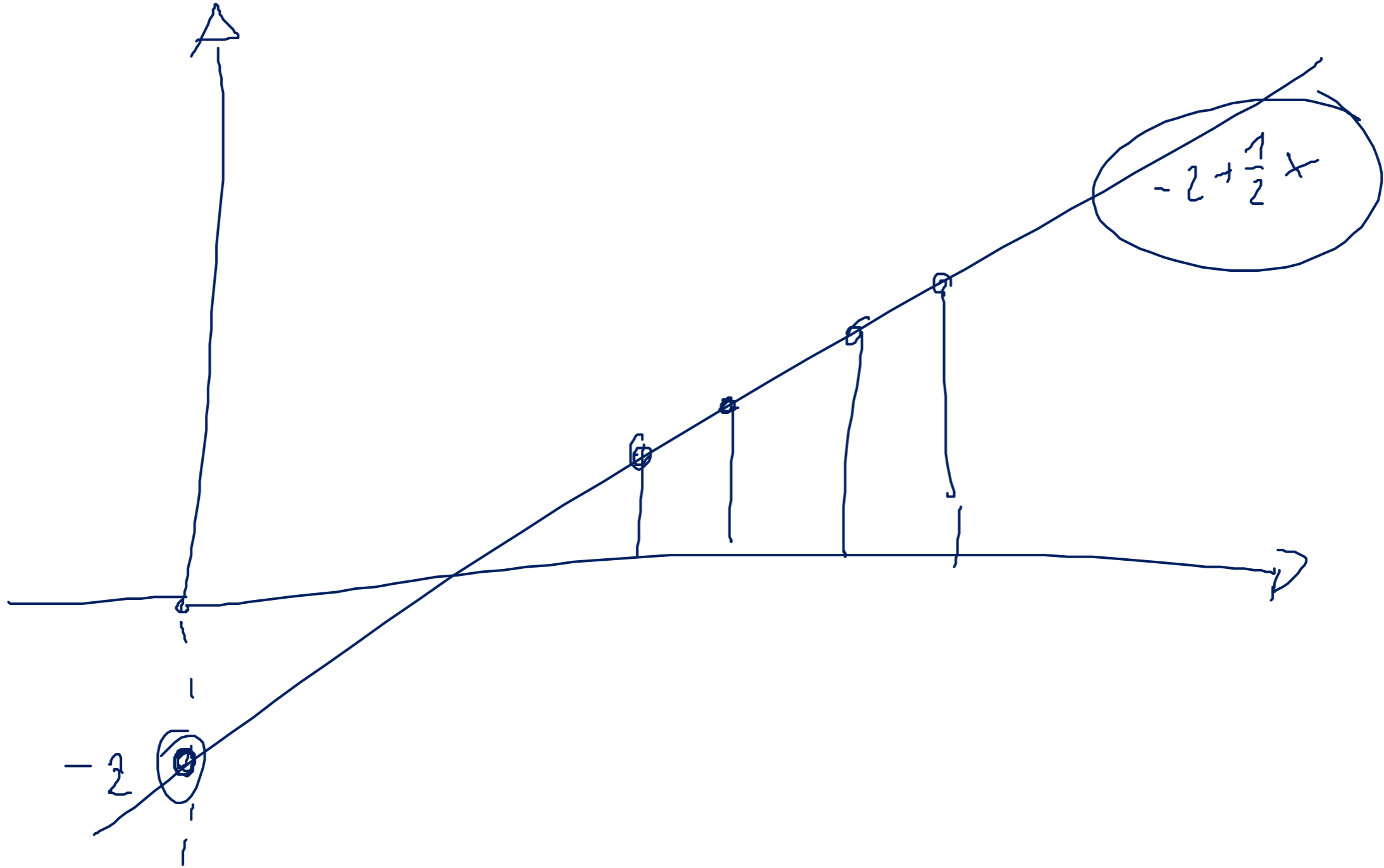
Shamir 's Secret Sharing Systems

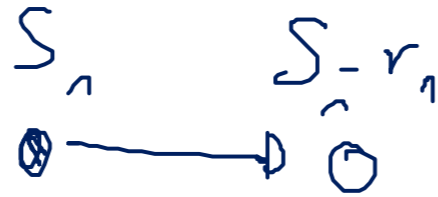
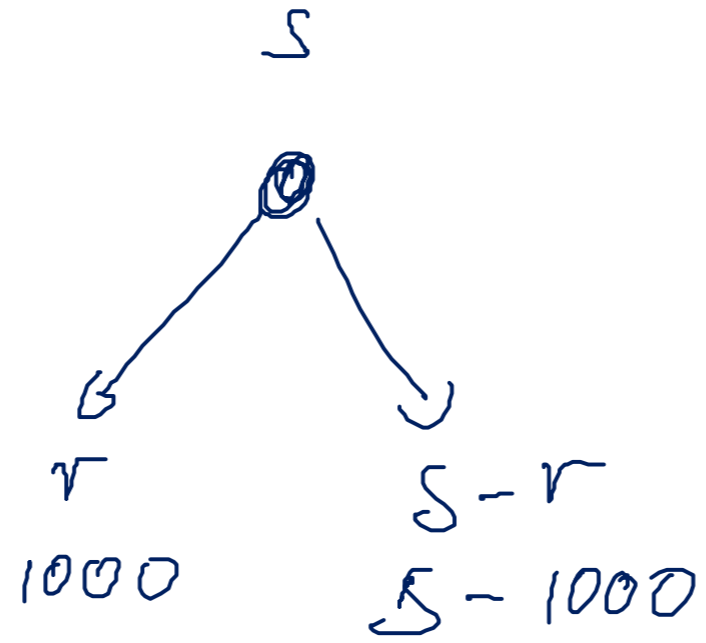
- If k persons meet
 - then they can compute the function f by the fundamental theorem of algebra
 - a polynomial of degree d is determined by $d+1$ values
 - for this they exchange their values and compute by interpolation
 - (e.g. using Lagrange polynoms)
- If $k-1$ persons meet
 - they cannot compute the secret at all
 - every value of s remains possible
- Usually, Shamir 's and Blakley 's scheme are used in finite fields
 - i.e. Galois fields (known from CRC)
 - this simplifies the computation and avoids rounding errors in the context of floating numbers



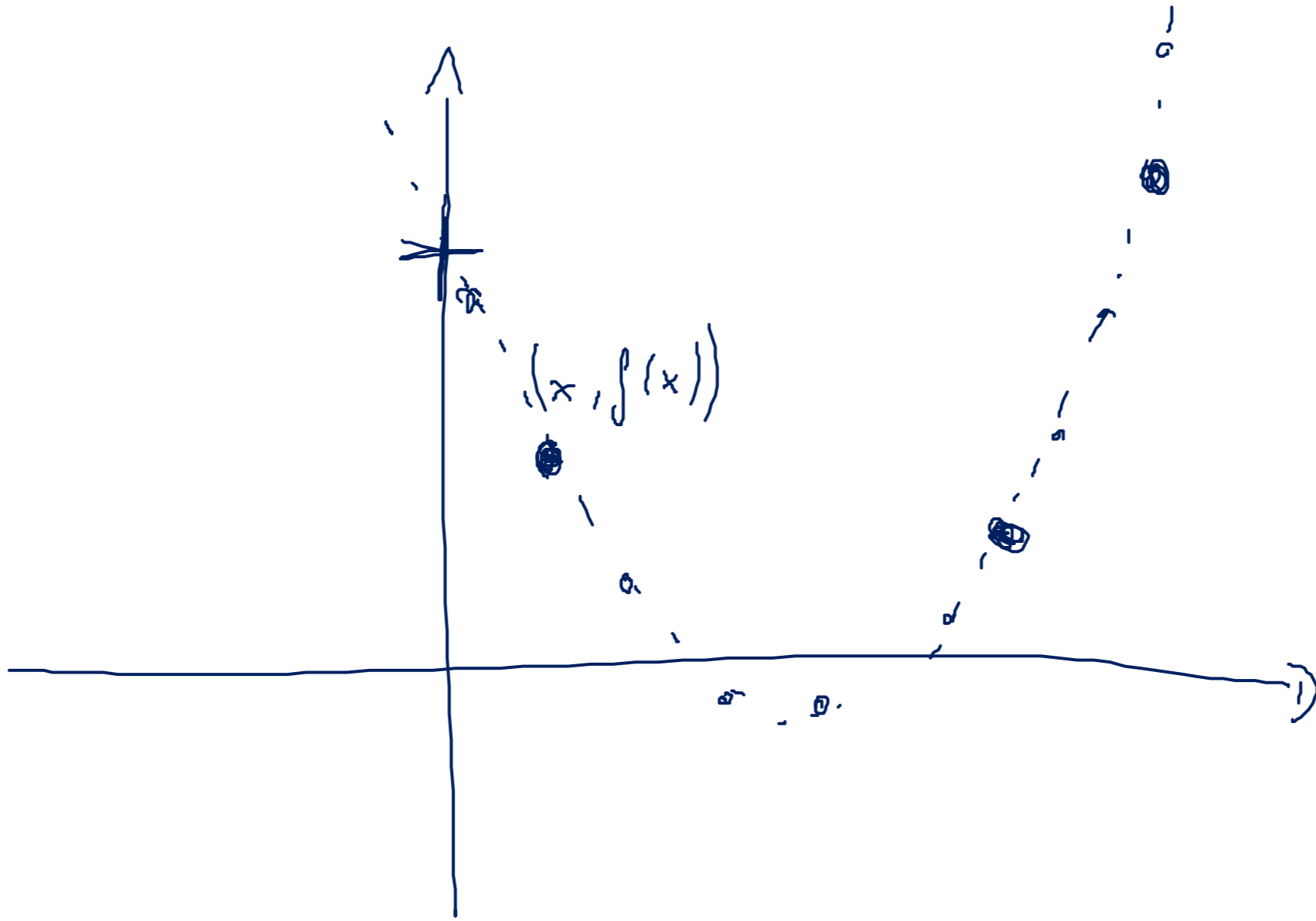
$\mu = 3$

$$\zeta = 2$$

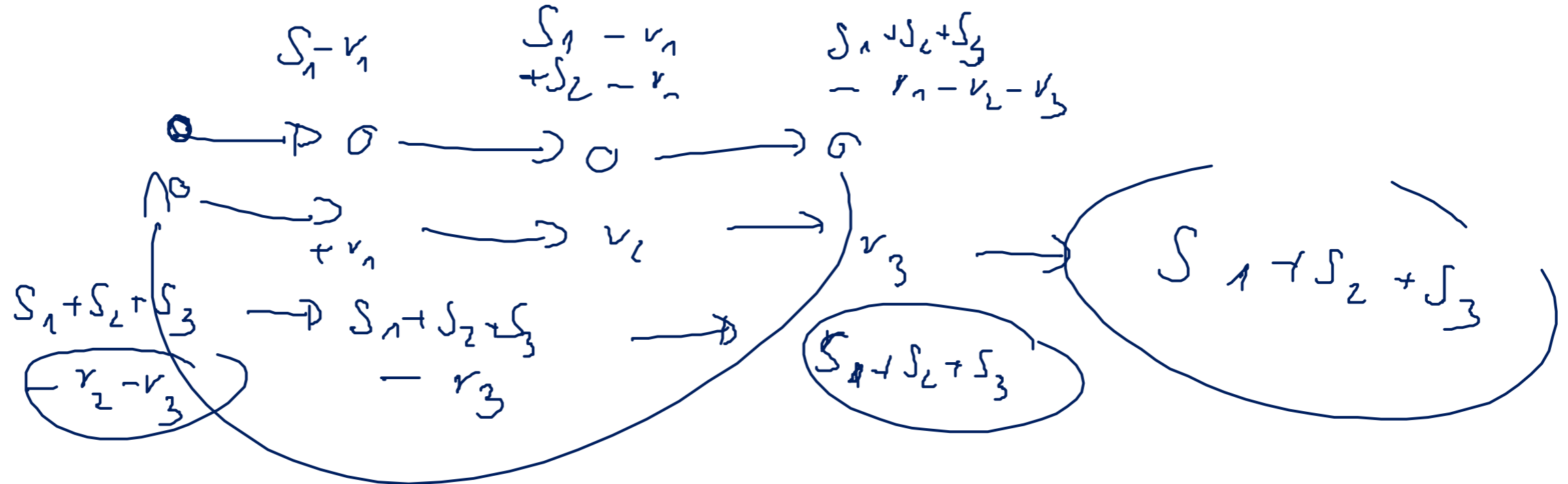




$$f(x) = s + a_1 x + a_2 x^2$$

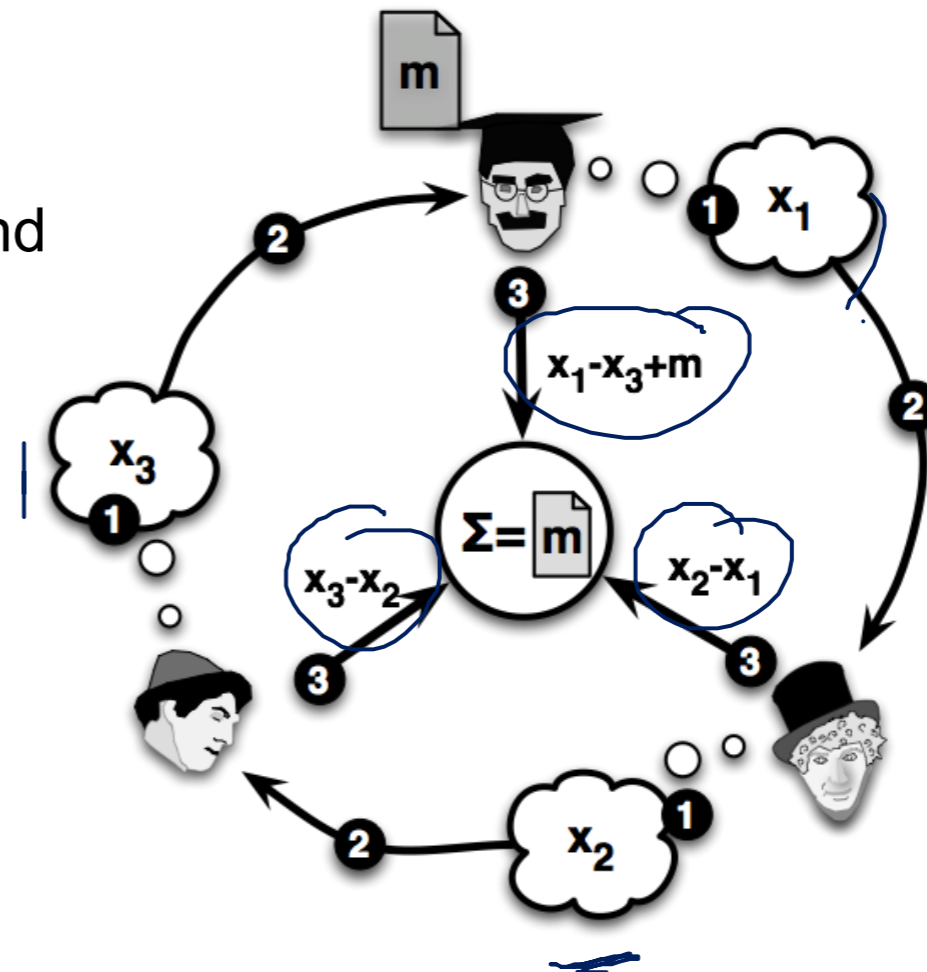


$$\begin{aligned}
 &S_1 + S_2 \\
 &\neq v_1 - v_2
 \end{aligned}$$



Dining Cryptographers

- Anonymous publications without any tracing possibility
- $n \geq 3$ cryptographers sit at a round table
- neighbored cryptographers can communicate secretly
- Each peer chooses secret number x_i and communicates it to the right neighbor
- If i wants to send a message m
 - he publishes $s_i = x_i - x_{i-1} + m$
 - else
 - he publishes $s_i = x_i - x_{i-1}$
- Now they compute the sum $s = s_1 + \dots + s_n$
 - if $s = 0$ then there is no message
 - else the sum of all messages



➤ Symmetric encryption algorithms, e.g.

Caesar

↳ Feistel cipher

- DES (Digital Encryption Standard)
- AES (Advanced Encryption Standard)

Sandspiel

■ Cryptographic hash function

- SHA-1, SHA-2
- MD5

■ Asymmetric encryption

- RSA (Rivest, Shamir, Adleman)
- El-Gamal

■ Digital signatures (electronic signatures)

- PGP (Phil Zimmermann), RSA

Symmetric Encryption

- E.g. Caesar's code, DES, AES

- Functions f and g , where

- Encryption f

- $f(\text{key}, \text{text}) = \text{code}$

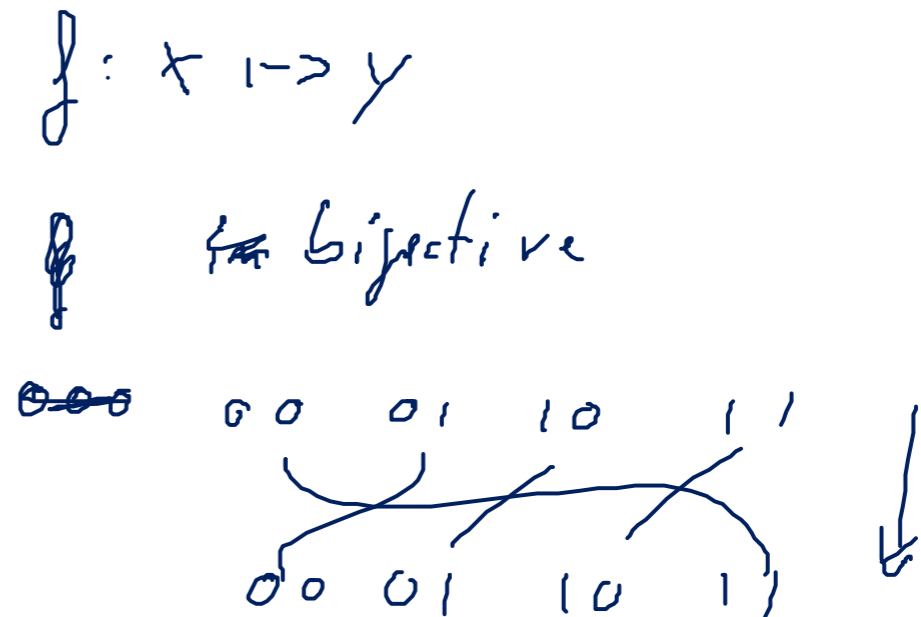
- Decoding g :

- $g(\text{key}, \text{code}) = \text{text}$

- The key

- must remain secret

- must be available to the sender and receiver



$$X \oplus y \oplus y = X$$

- Splitting the message into two halves L_1, R_1

- Keys K_1, K_2, \dots
- Several rounds: Resulting code: L_n, R_n

$$17 \cdot \left[\frac{R_1 \cdot 4_1 + R_1 \cdot 2^{-4_1} \cdot 3^2}{107} \right]$$

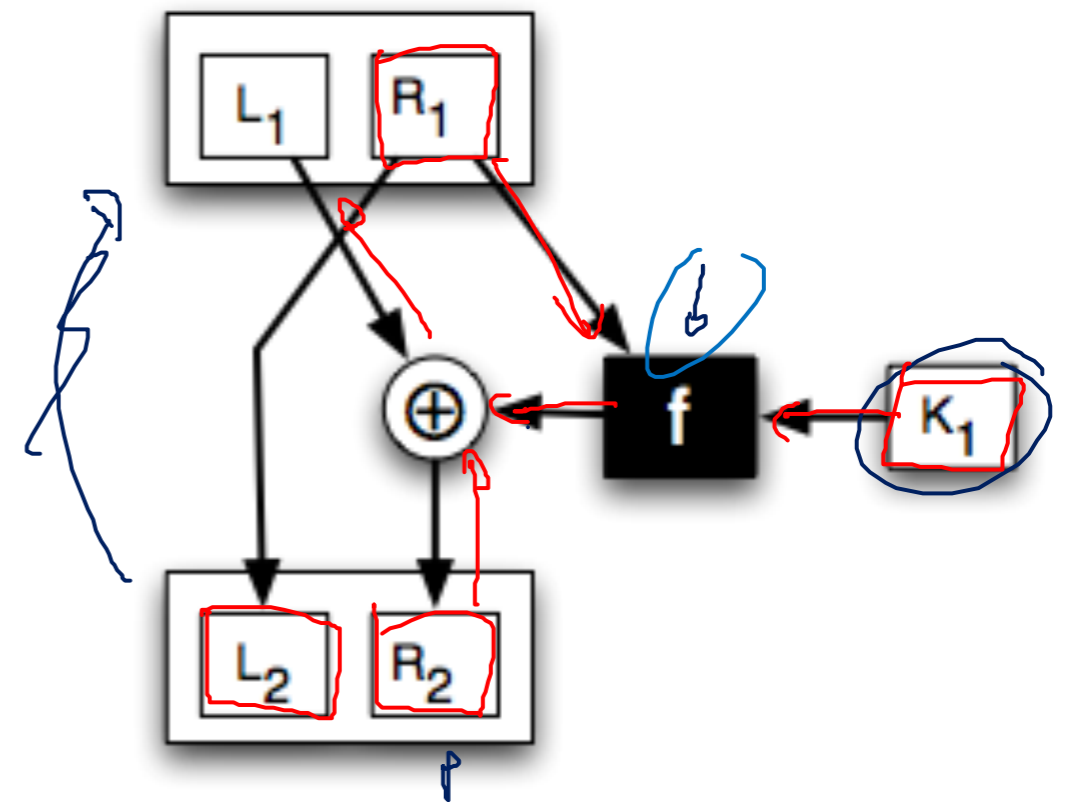
- encoding

- $L_i = R_{i-1}$
- $R_i = L_{i-1} \oplus f(R_{i-1}, K_i)$

- Decryption

- $R_{i-1} = L_i$
- $L_{i-1} = R_i \oplus f(L_i, K_i)$

- f may be any complex function



- Skipjack
 - 80-bit symmetric code
 - is based on Feistel Cipher
 - low security
- RC5
 - 1-2048 bits key length
 - Rivest code 5 (1994)
 - Several rounds of the Feistel cipher

- Carefully selected combination of
 - ⊖ Xor operations
 - ⊖ Feistel cipher
 - ⊖ permutations
 - ⊖ table lookups
 - used 56-bit key
- 1975 developed at IBM
 - Now no longer secure
 - more powerful computers
 - New knowledge in cryptology
- Succeeded by: AES (2001)

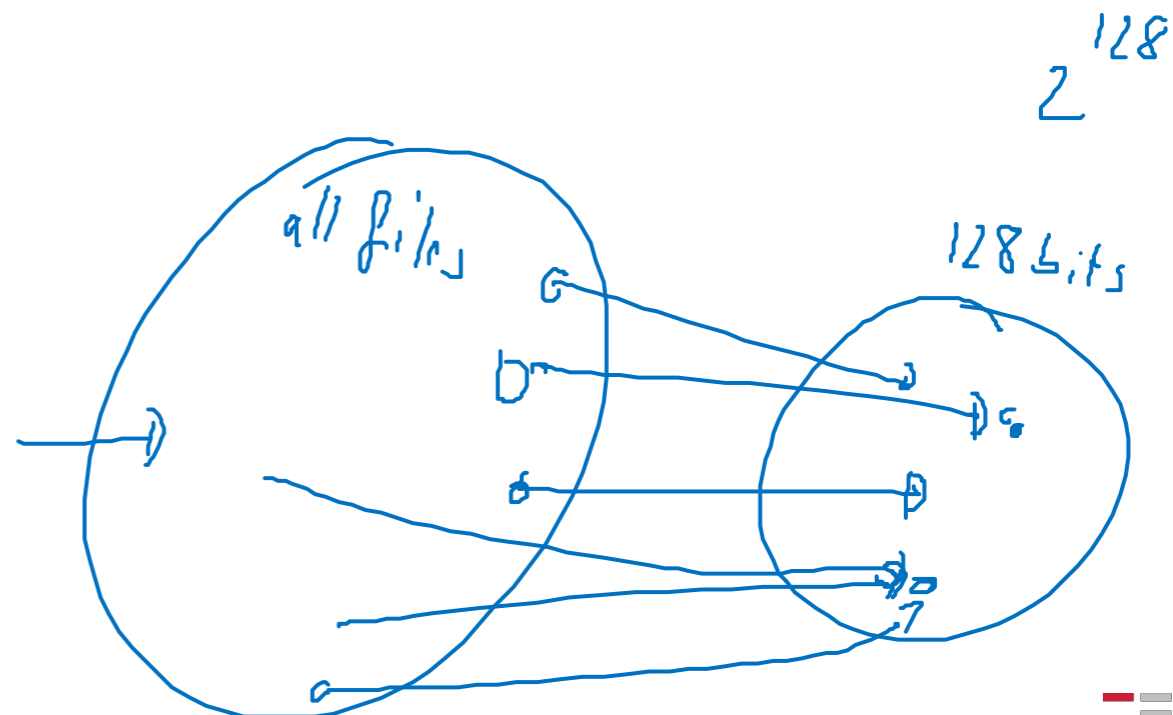
- Carefully selected combination of
 - ↳ Xor operations
 - ↳ Feistel cipher
 - ↳ permutations
 - ↳ table lookups
 - ↳ multiplication in GF [2^8]
 - ↳ 128, 192 or 256-bit symmetric key
- Joan Daemen and Vincent Rijmen
 - 2001 were selected as AES, among many
 - still considered secure

$$f / f(x) / = x$$

Cryptographic Hash Function

message digest 5

- E.g. SHA-1, SHA-2, MD5
- A cryptographic hash function h maps a text to a fixed-length code, so that
 - $h(\text{text}) = \text{code}$
 - it is impossible to find another text:
 - $h(\text{text}') = h(\text{text})$ and $\text{text} \neq \text{text}'$
- Possible solution:
 - Using a symmetric cipher



Asymmetric Encryption

5756531072
n

$\sim \frac{1}{en}$

- E.g. RSA, Ronald Rivest, Adi Shamir, Lenard Adleman, 1977

- Diffie-Hellman, PGP

- Secret key: sk

p, q prime

- Only the receivers of the message know the secret key

- Public key: pk

- All participants know this key

$$n = p \cdot q$$

- Generated by

- $\text{keygen}(\text{sk}) = \text{pk}$

- Encryption function f and decryption function g

- Known to everybody

- Encryption

- $f(\text{pk}, \text{text}) = \text{code}$

- everybody can generate code

- Decryption

- $g(\text{sk}, \text{code}) = \text{code}$

- only possibly by receiver

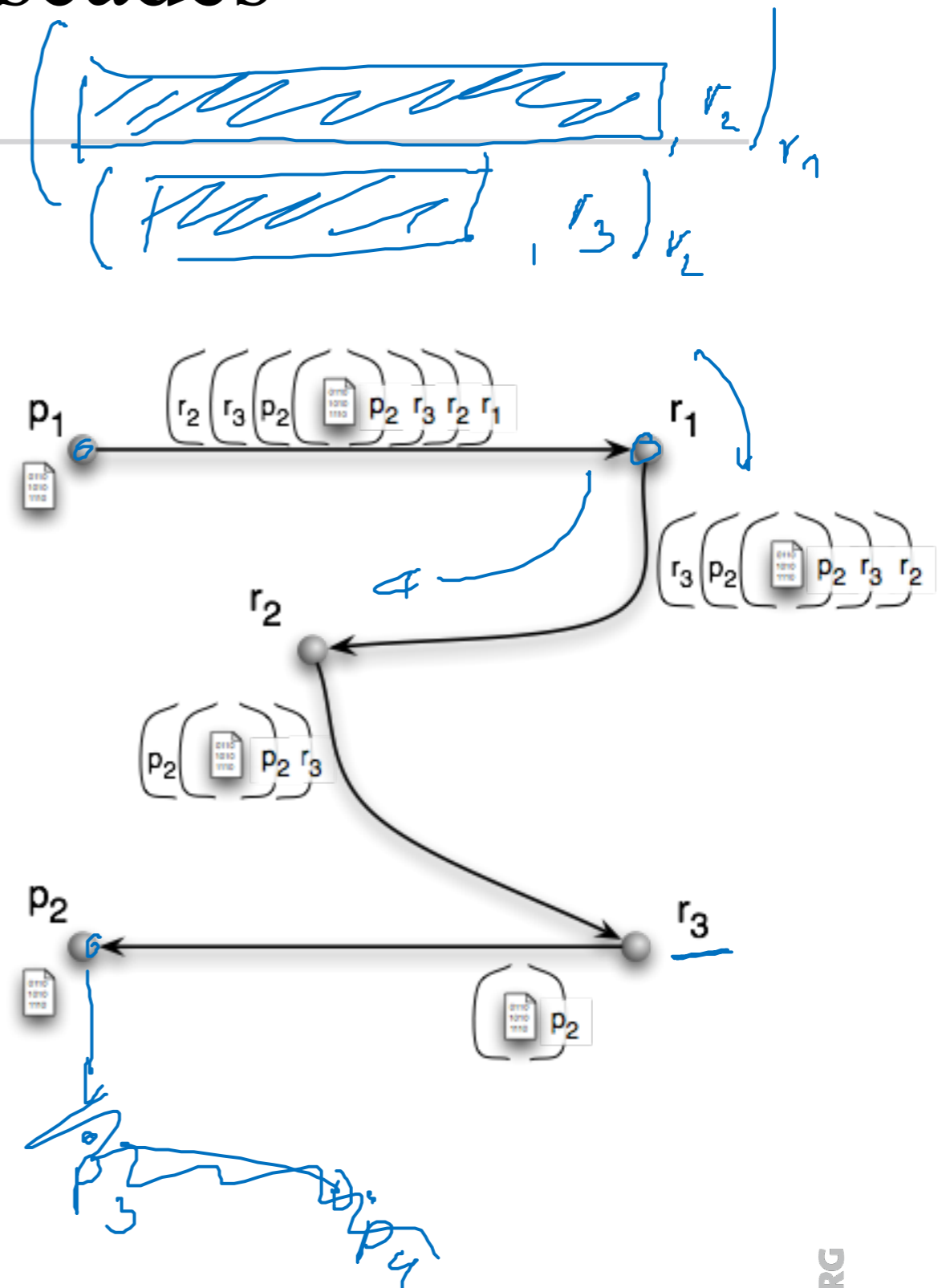
$$(m^s) \bmod n$$

$$s \cdot p \equiv 1 \pmod{(p-1)(q-1)}$$

$$(m^s)^p \bmod n = m$$

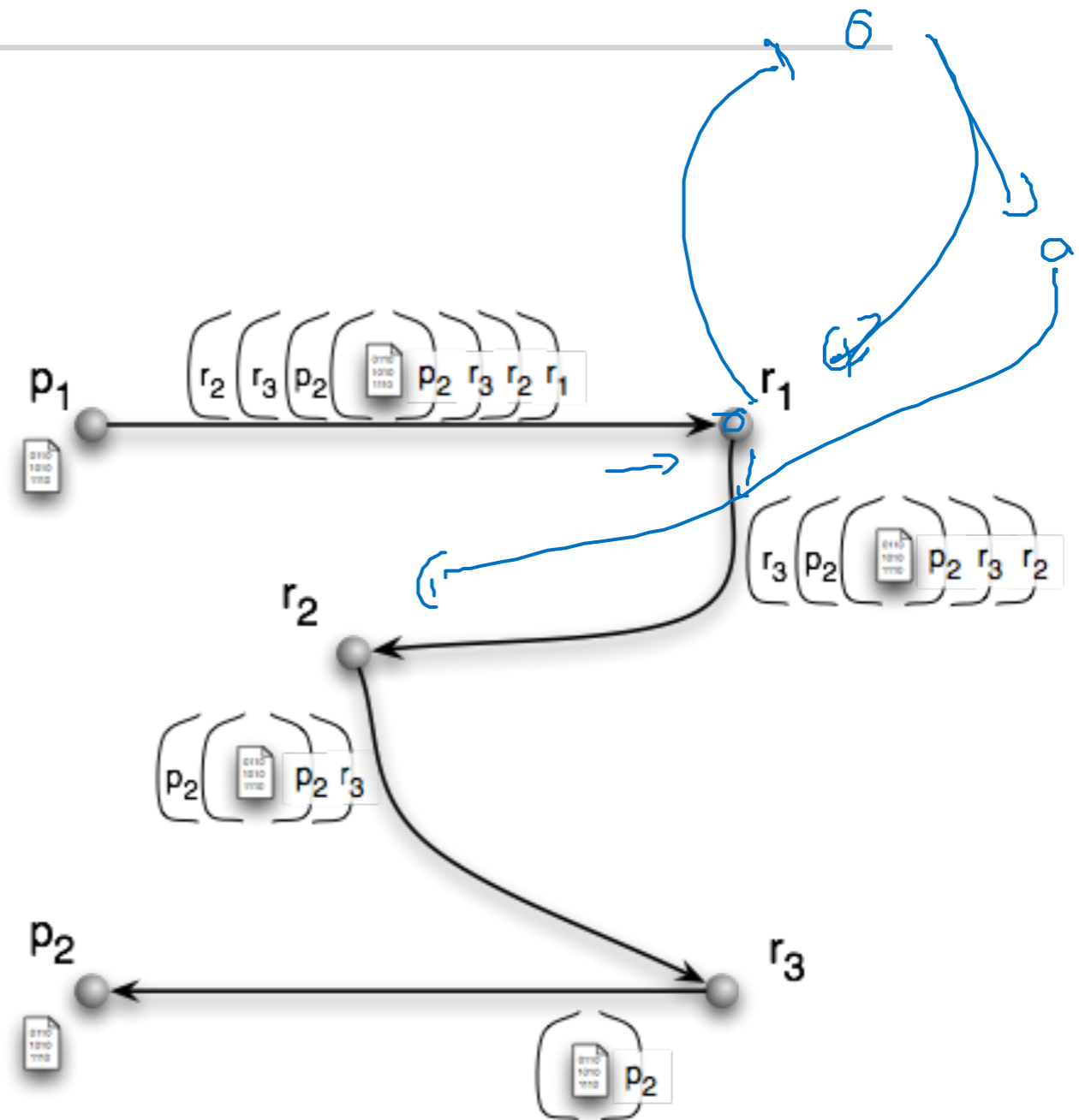
Chaum 's Mix-Cascades

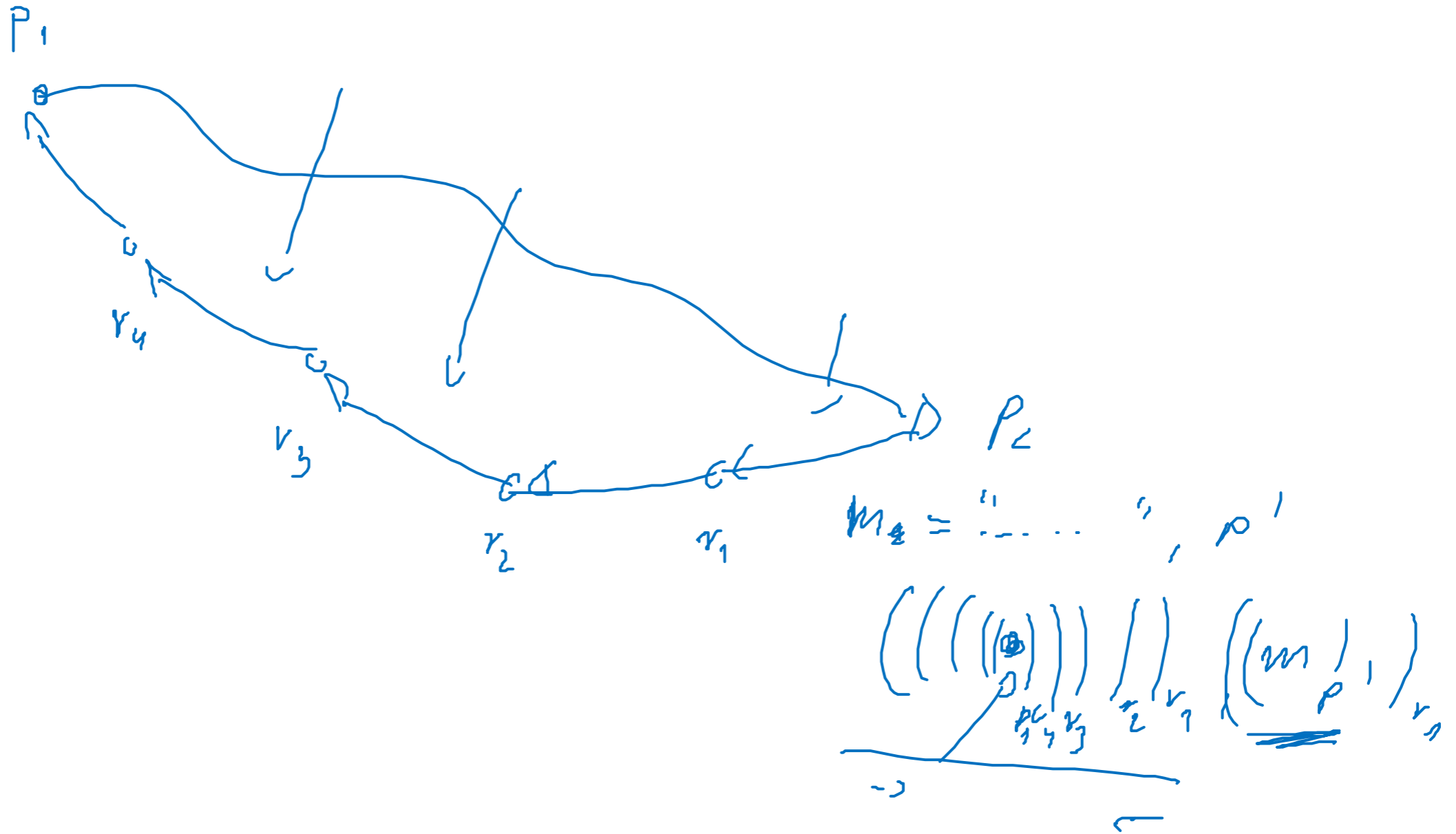
- All peers
 - publish the public keys
 - are known in the network
- The sender p_1 now chooses a route
 - $p_1, r_1, r_2, r_3, \dots, p_2$
- The sender encrypts m according to the public keys from
 - $p_2, \dots, r_3, r_2, r_1$
 - and sends the message
 - $f(pk_{k1}, (r_2, f(pk_{r2}, \dots f(pk_{rk}, (p_2, f(pk_{p2}, m))))))$
 - to r_1
- r_1 encrypts the code, deciphers the next hop r_2 and sends it to him
- ...
- until p_2 receives the message and deciphers it



Chaum 's Mix Cascades

- No peer on the route
 - knows its position on the route
 - can decrypt the message
 - knows the final destination
- The receiver does not know the sender
- In addition peers may voluntarily add detour routes to the message
- Chaum 's Mix Cascades
 - aka. Mix Networks or Mixes
 - is safe against all sort of attacks,
 - ↳ but not against traffic analysis





TOR - Onion Routers

- David Goldschlag, Michael Reed, and Paul Syverson, 1998
- Goal
 - Preserve private sphere of sender and receiver of a message
 - Safety of the transmitted message
- Prerequisite
 - special infrastructure (Onion Routers)
 - all except some smaller number of exceptions cooperate

- Method
 - o- Mix Cascades (Chaum)
 - o- Message is sent from source to the target using proxies (Onion Routers)
 - o- Onion Routers unpredictably choose other routers as intermediate routers
 - o- Between sender, Onion Routers, and receiver the message is encrypted using symmetric cryptography
 - o- Every Onion Router only knows the next station
 - The message is encoded like an onion
- o TOR is meant as an infrastructure improvement of the Internet
 - not meant as a peer-to-peer network
 - yet, often used from peer-to-peer networks

- Crowds

- Reiter & Rubin 1997
- anonymous web-surfing based on Onion Routers

- Hordes

- Shields, Levine 2000
- uses sub-groups to improve Onion Routing

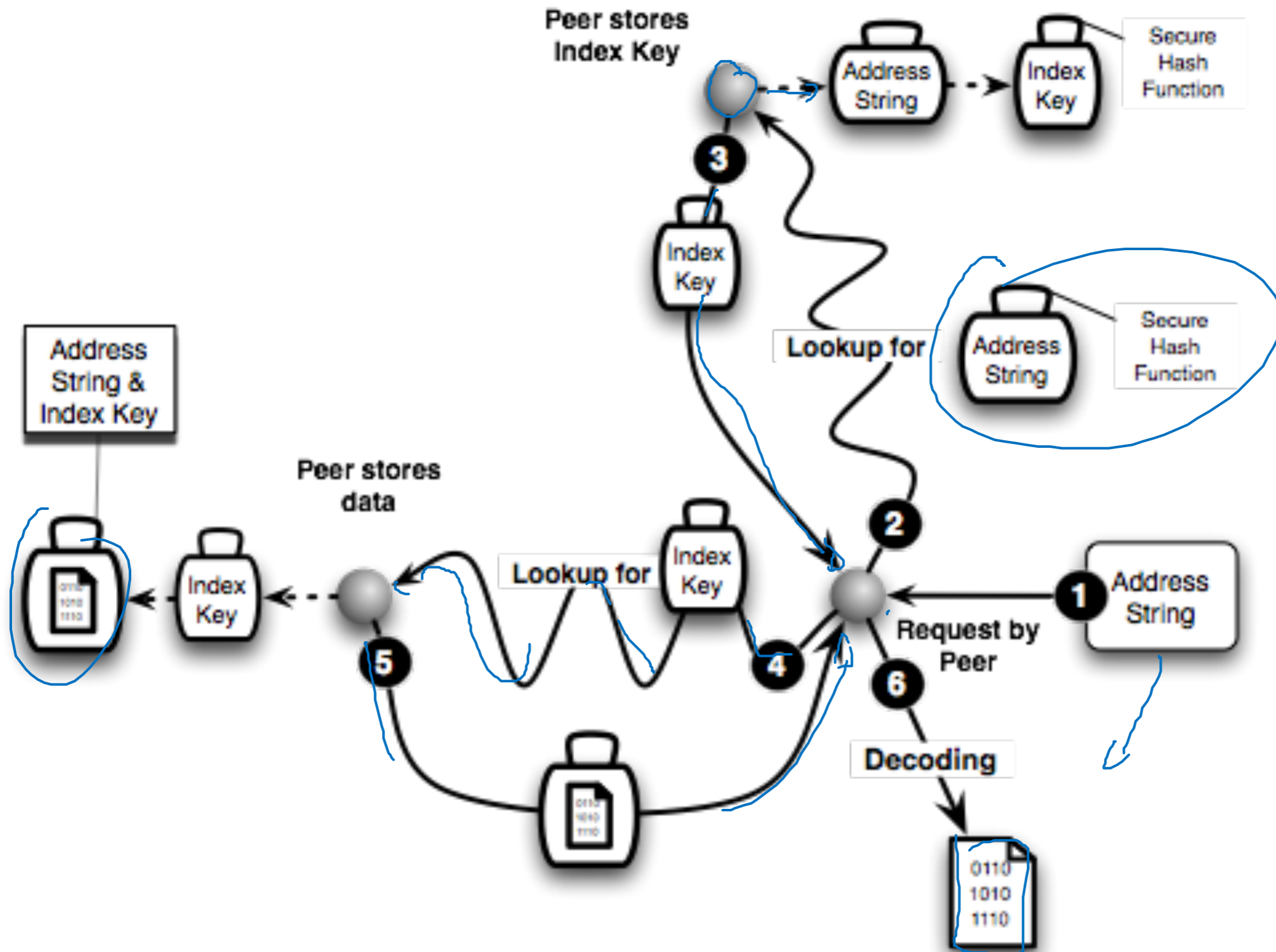
- Tarzan

- Freedman, 2002
- A Peer-to-Peer Anonymizing Network Layer
- uses UDP messages and Chaum Mixes in group to anonymize Internet traffic

↳ adds fake traffic against timing attacks

- Ian Clarke, Oskar Sandberg, Brandon Wiley, Theodore Hong, 2000
- Goal
 - peer-to-peer network
 - allows publication, replication, data lookup
 - anonymity of authors and readers
- Files
 - are encoding location independent
 - by encrypted and pseudonymously signed index files
 - author cannot be identified
 - are secured against unauthorized change or deletion
 - are encoded by keys unknown by the storage peer
 - secret keys are stored elsewhere
 - are replicated
 - on the look up path
 - and erased using “Least Recently Used” (LRU) principle

- Network Structure
 - is similar to Gnutella
 - Free-Net is like Gnutella Pareto distributed
- Storing Files
 - Each file can be found, decoded and read using the encoded address string and the signed subspace key
 - Each file is stored together with the information of the index key but without the encoded address string
 - The storage peer cannot read his files
 - unless he tries out all possible keywords (dictionary attack)
- Storing of index files
 - The address string coded by a cryptographic secure hash function leads to the corresponding peer
 - who stores the index data
 - address string
 - and signed subspace key
 - Using this index file the original file can be found



- Lookup
 - steepest-ascent hill-climbing
 - lookup is forwarded to the peer whose ID is closest to the search index
 - with TTL field
 - i.e. hop limit
- Files are moved to new peers
 - when the keyword of the file is similar to the neighbor's ID
- New links
 - are created if during a lookup close similarities between peer IDs are discovered

Efficiency of Free-Net

- Network structure of Free-Net is similar to Gnutella
- The lookup time is polynomial on the average

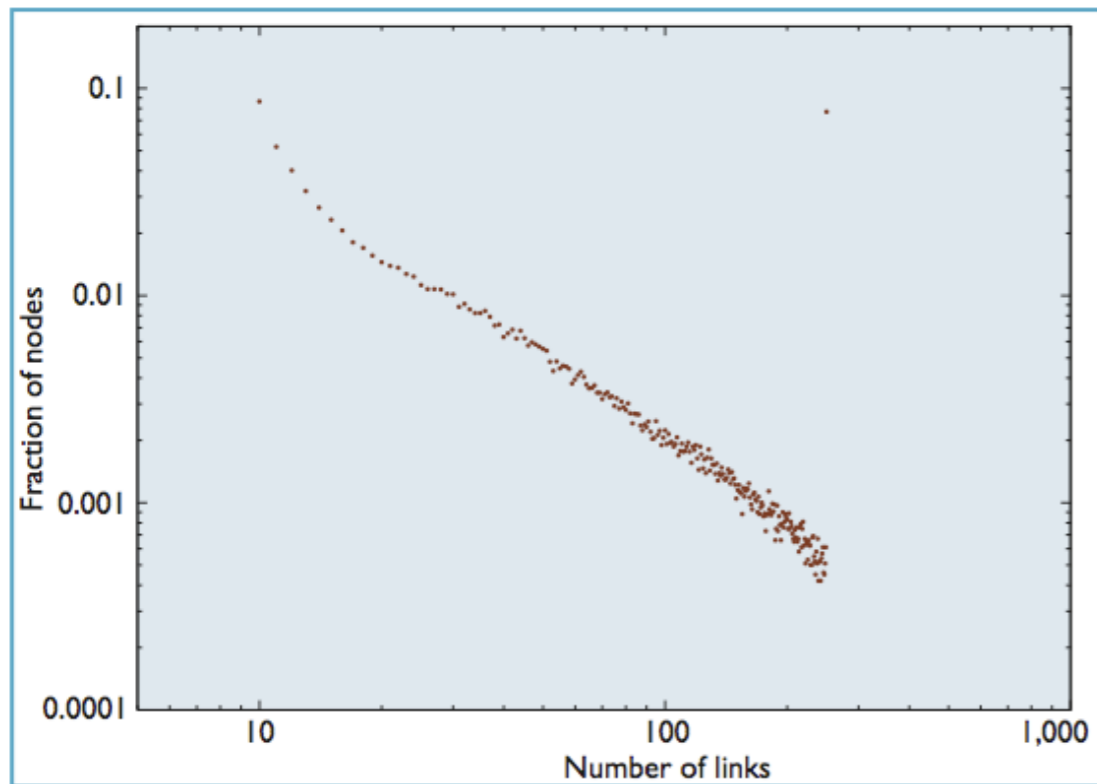


Figure 2. Degree distribution among Freenet nodes. The network shows a close fit to a power-law distribution.

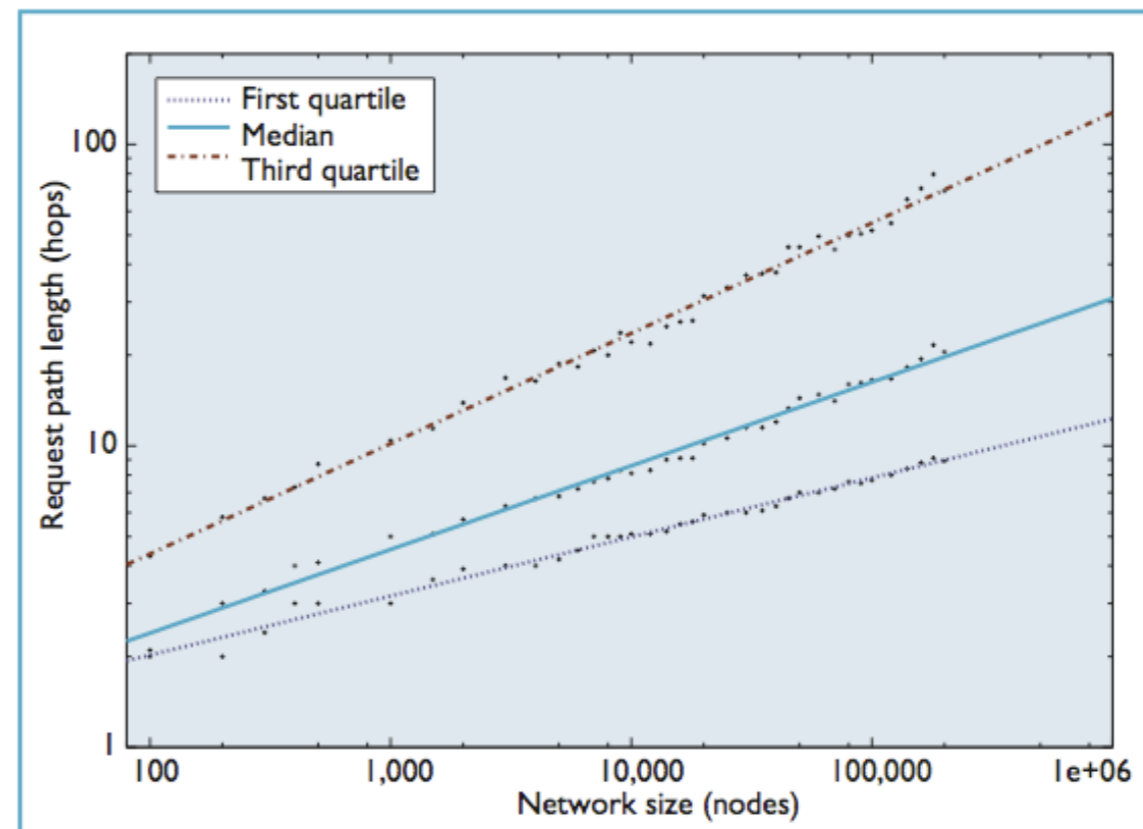


Figure 3. Request path length versus network size. The median path length in the network scales as $N^{0.28}$.



Peer-to-Peer Networks

14 Security

Christian Schindelhauer
Technical Faculty
Computer-Networks and Telematics
University of Freiburg