



Peer-to-Peer Networks

14 Security

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- Ian Clarke, Oskar Sandberg, Brandon Wiley, Theodore Hong, 2000
- Goal
 - peer-to-peer network
 - allows publication, replication, data lookup
 - anonymity of authors and readers
- Files
 - are encoding location independent
 - by encrypted and pseudonymously signed index files
 - author cannot be identified
 - are secured against unauthorized change or deletion
 - are encoded by keys unknown by the storage peer
 - secret keys are stored elsewhere
 - are replicated
 - on the look up path
 - and erased using “Least Recently Used” (LRU) principle

- Network Structure

- ↳ is similar to Gnutella

- Free-Net is like Gnutella Pareto distributed

- Storing Files

- Each file can be found, decoded and read using the encoded address string and the signed subspace key

- Each file is stored together with the information of the index key but without the encoded address string

- ↳ The storage peer cannot read his files

- unless he tries out all possible keywords (dictionary attack)

- Storing of index files

- The address string coded by a cryptographic secure hash function leads to the corresponding peer

- who stores the index data

- address string

- and signed subspace key

- Using this index file the original file can be found

- Lookup
 - steepest-ascent hill-climbing
 - lookup is forwarded to the peer whose ID is closest to the search index
 - with TTL field
 - i.e. hop limit
- Files are moved to new peers
 - when the keyword of the file is similar to the neighbor's ID
- New links
 - are created if during a lookup close similarities between peer IDs are discovered

Efficiency of Free-Net

$${}_2 \log_2 T = 2^a \cdot \log_2 n + b$$

- Network structure of Free-Net is similar to Gnutella
- The lookup time is polynomial on the average

$$T = n^a \cdot 2^b = O(n^a)$$

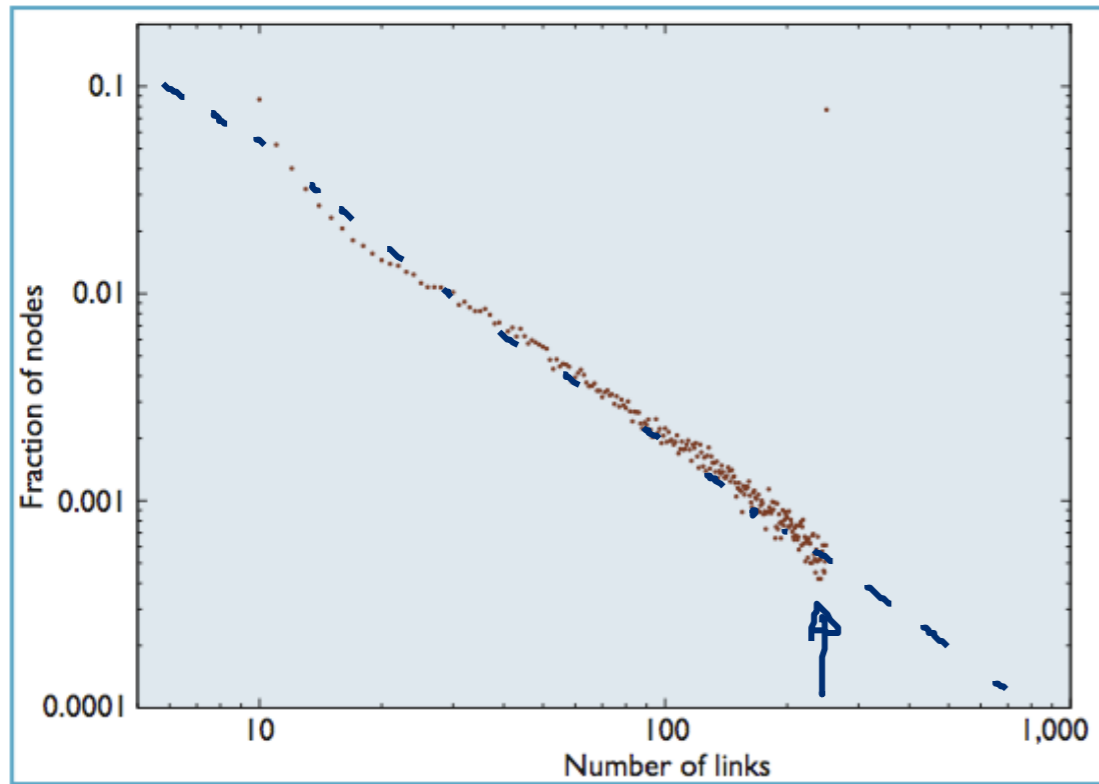


Figure 2. Degree distribution among Freenet nodes. The network shows a close fit to a power-law distribution.

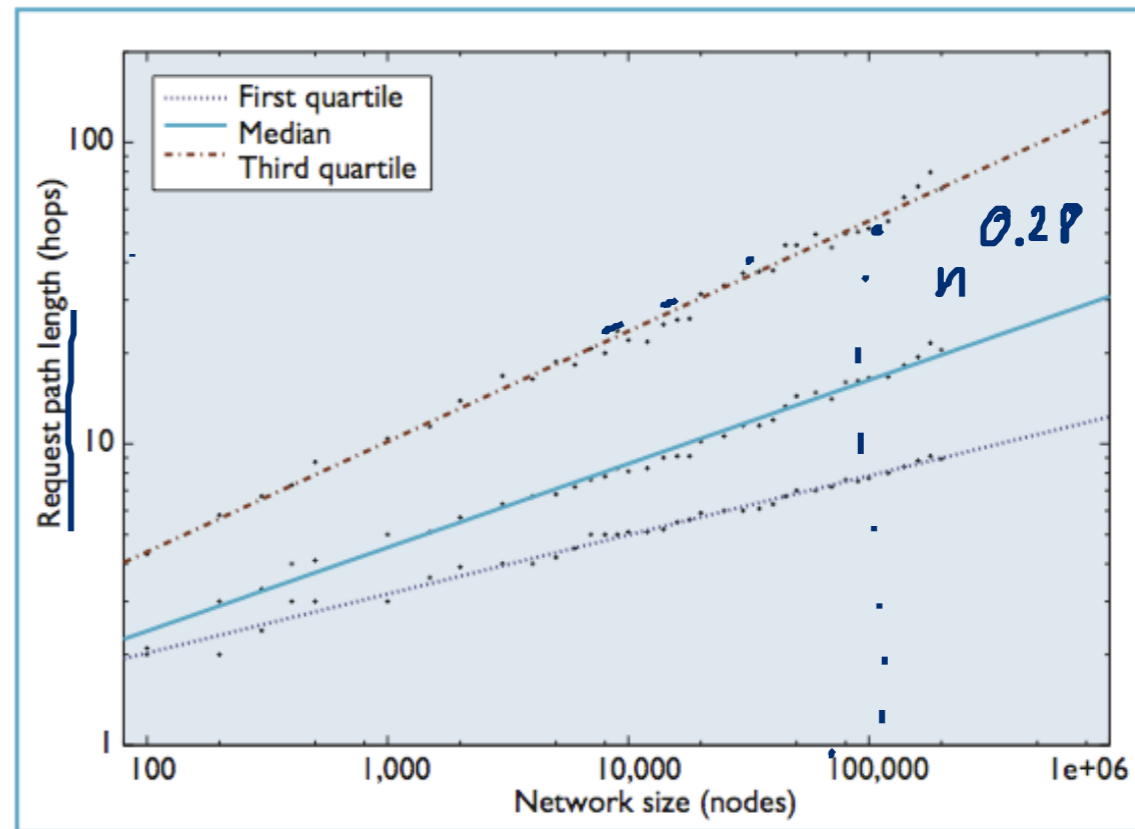


Figure 3. Request path length versus network size. The median path length in the network scales as $N^{0.28}$.

$(\text{hop}) : O(\log n)$
 $(AV) : O(n^{1/d})$

$$0.28 \sim \frac{1}{4}$$

Dark-Net & Friend-to-Friend

- Dark-Net is a private Peer-to-Peer Network

- Members can trust all other members

- E.g.

- friends (in real life)
- sports club

- Dark-Net control access by

- secret addresses,

- secret software,

- authentication using password, or

- central authentication

or BitTorrent Sync

- Example:

- WASTE

- P2P-Filesharing up to 50 members
- by Nullsoft (Gnutella)

- CSpace

- using Kademia

Solutions to the Sybil Attack

- Survey paper by Levine, Shields, Margolin, 2006

4. Trusted certification

- only approach to completely eliminate Sybil attacks
 - according to Douceur
- relies on centralized authority

→ Skype
 → central service

• No solution

- know the problem and deal with the consequences

• Resource testing

- real world friends
- test for real hardware or addresses
 - e.g. heterogeneous IP addresses
- check for storing ability


• Recurring cost and fees

- give the peers a periodic task to find out whether there is real hardware behind each peer
 - wasteful use of resources
- charge each peer a fee to join the network

→ Trusted devices

- use special hardware devices which allow to connect to the network

Find x s.t.
 $h(x) = y$
 $x \in \{0, 15^{100000}\}$



PAST
 - smartcard

Solutions to the Sybil Attack

- Survey paper by Levine, Shields, Margolin, 2006

◦ In Mobile Networks

- use observations of the mobile node

- e.g. GPS location, neighbor nodes, etc.

◦ Auditing

- perform tests on suspicious nodes
- or reward a peer who proves that it is not a clone peer

◦ Reputation Systems

- assign each peer a reputation which grows over the time with each positive fact
- the reputation indicates that this peer might behave nice in the future
- Disadvantage:
 - peers might pretend to behave honestly to increase their reputation and change their behavior in certain situations
 - problem of Byzantine behavior

The Problem of Byzantine Generals

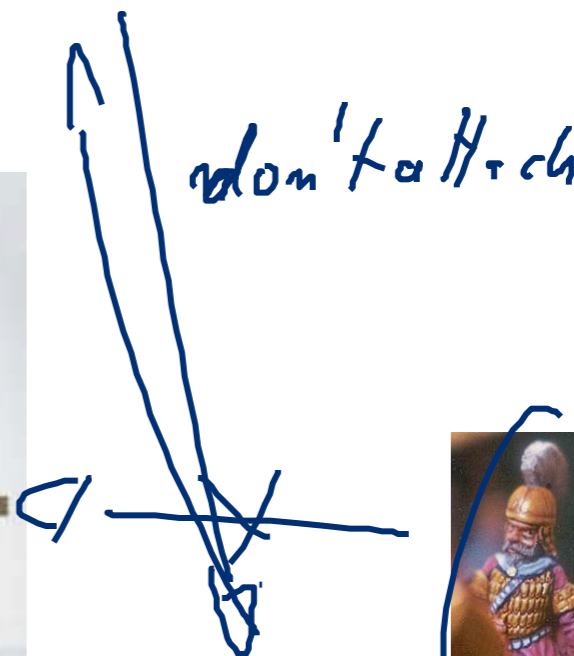
Distributed Systems

Byzanz

- 3 armies prepare to attack a castle
- They are separated and communicate by messengers
- If one army attacks alone, it loses
- If two armies attack, they win
- If nobody attacks the castle is besieged and they win
- One general is a renegade
 - nobody knows who

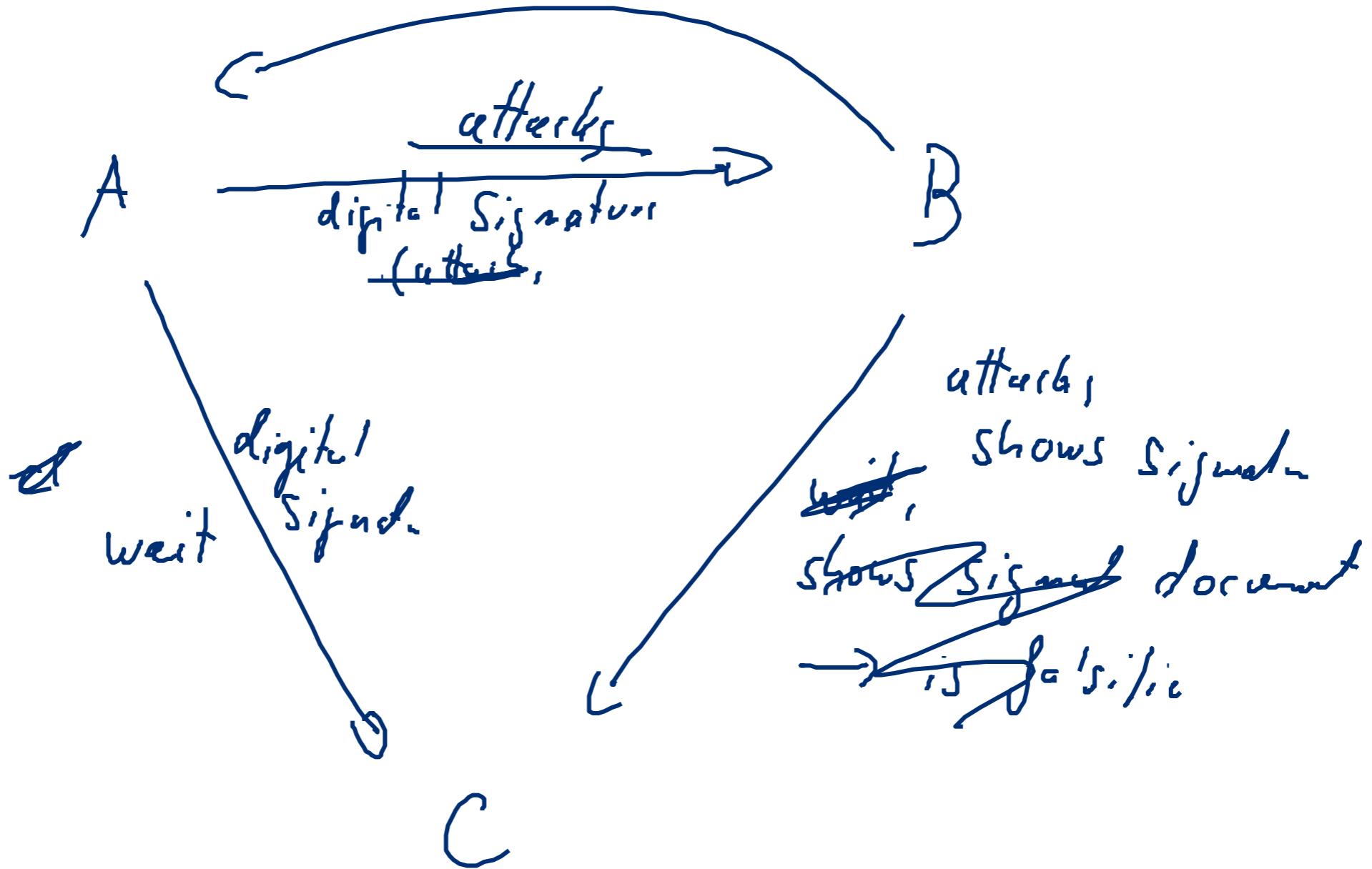


C



B!





The Problem of Byzantine Generals

- The evil general X tries
 - to convince A to attack
 - to convince B to wait
- A tells B about X's command
- B tells B about his version of X's command
 - contradiction
- But is A, B, or X lying?



A



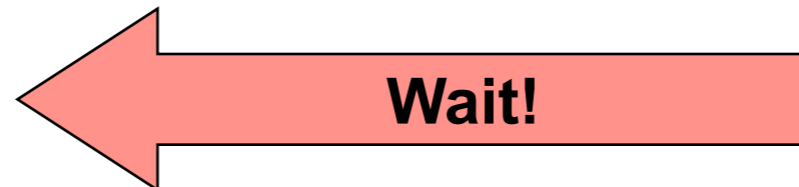
X



UN
FRE

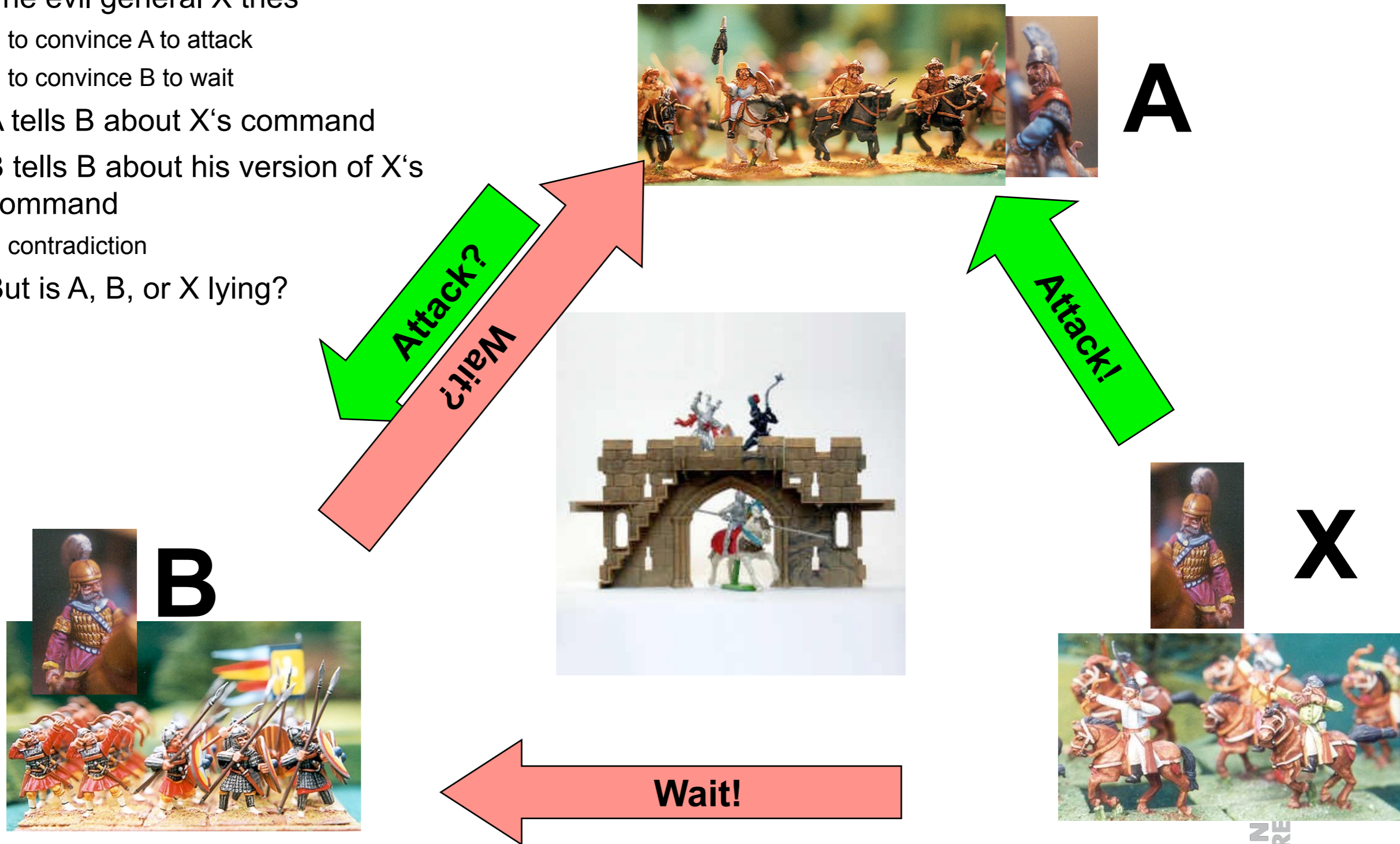


B



The Problem of Byzantine Generals

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Cryptography

AES

$$\text{Encode}(m, k_s) = c$$



$$\text{Decode}(c, k_s)$$

$$\text{Decode}(c, \begin{pmatrix} 1 \\ 2 \\ \vdots \end{pmatrix}) = m$$

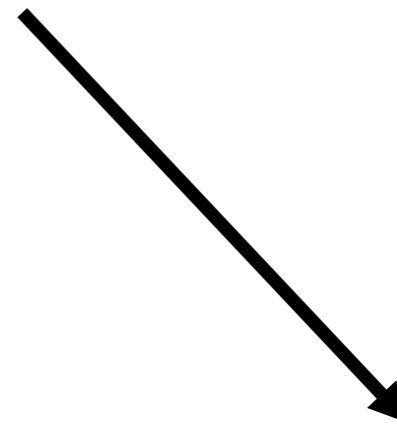
does it make sense?

Byzantine Agreement

- Theorem
 - The problem of three byzantine generals cannot be solved (without cryptography)
 - It can be solved for 4 generals
- Consider: 1 general, 3 officers problem
 - If the general is loyal then all loyal officers will obey the command
 - In any case distribute the received commands to all fellow officers
 - What if the general is the renegade?

General A: Attack!

A: Attack!



A: don't care!

A: Attack



Evildoer

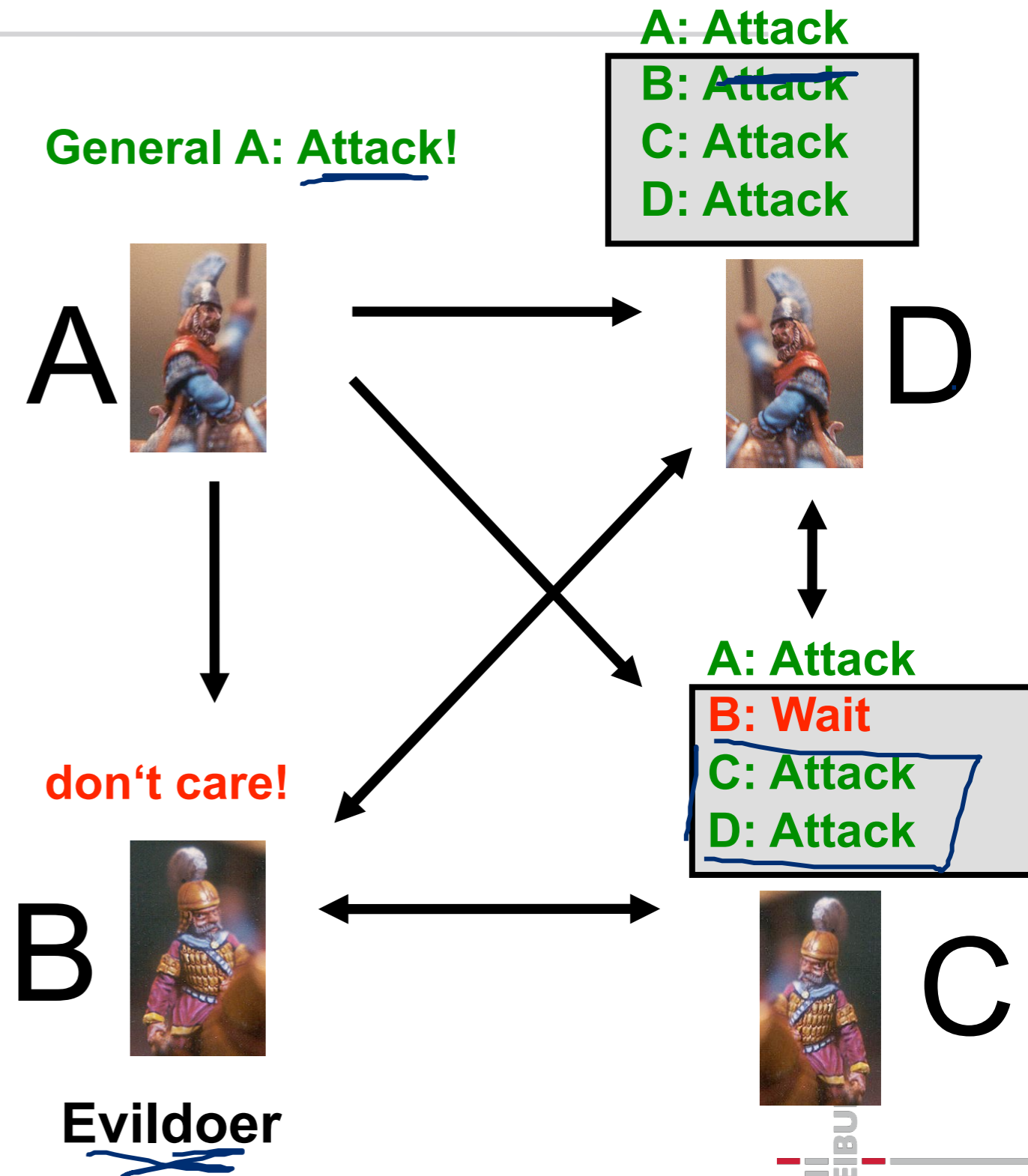
Byzantine Agreement

- Theorem

- The problem of four byzantine generals can be solved (without cryptography)

- Algorithm

- General A sends his command to all other generals
 - A sticks to his command if he is honest
- All other generals forward the received commands to all other generals
- Every generals computes the majority decision of the received commands and follows this command



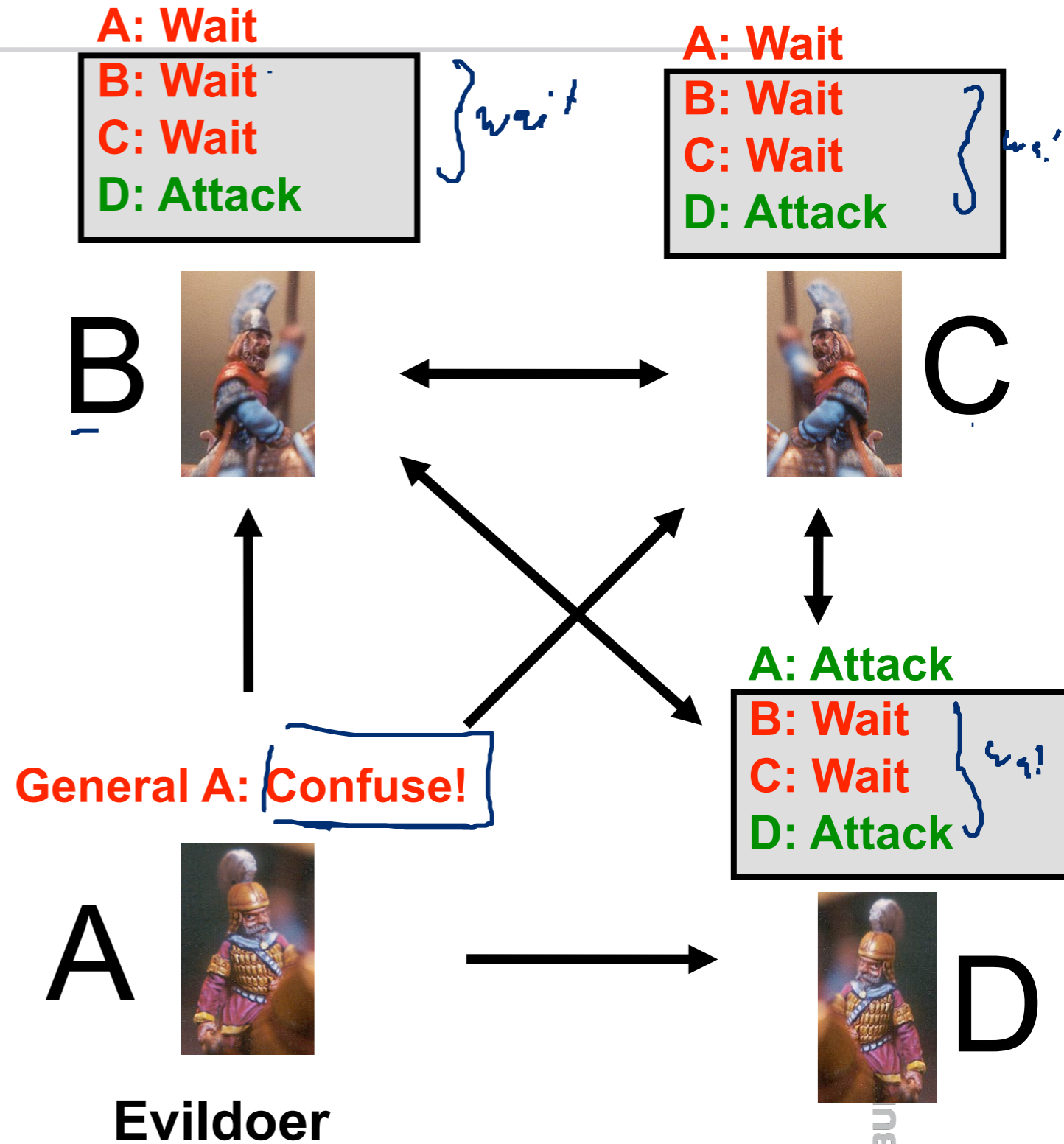
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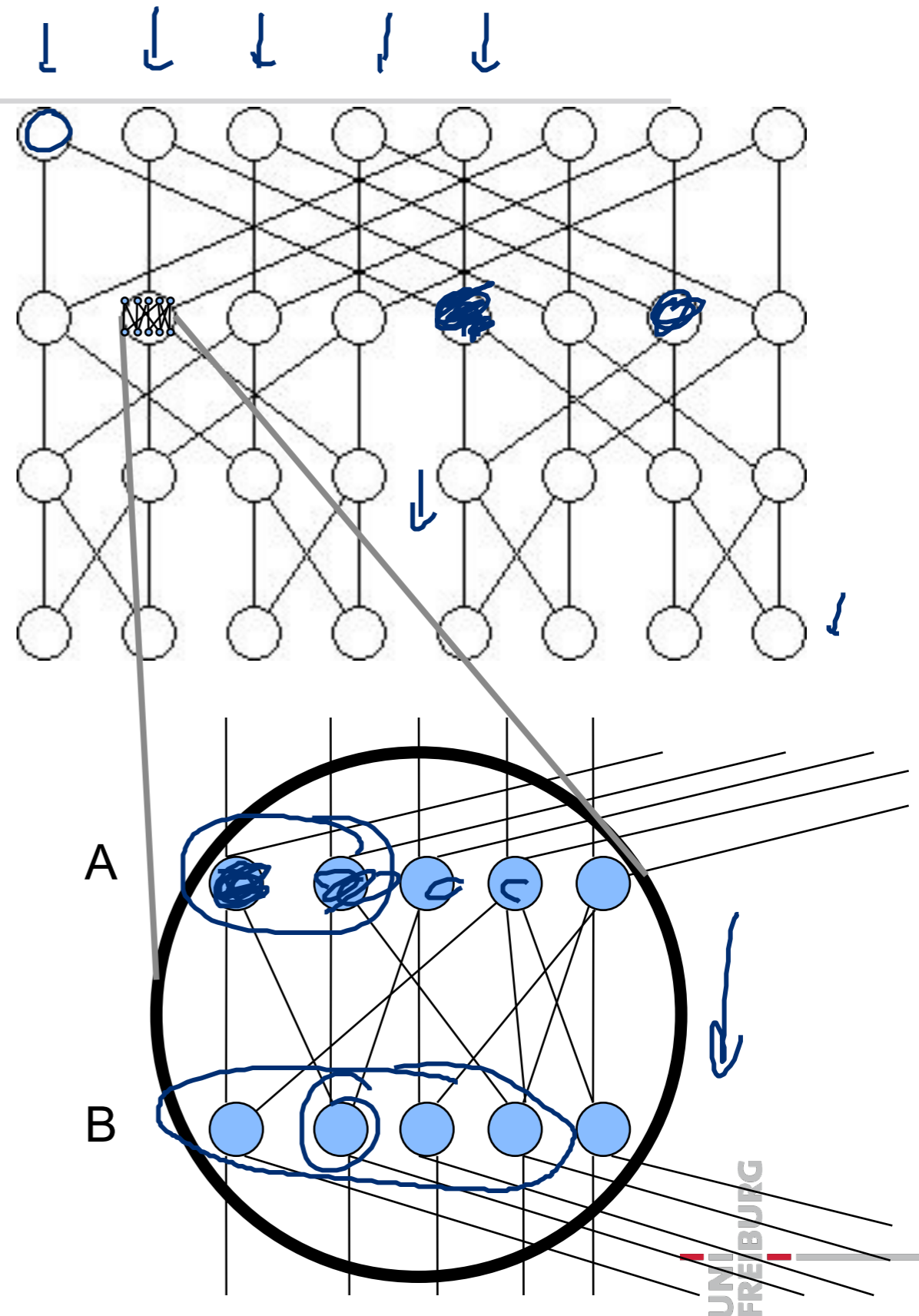
General Solution of Byzantine Agreement

$$\begin{array}{c} 3m+1 \\ \hline m \text{ bad} \quad 2m+1 \text{ honest} \end{array}$$

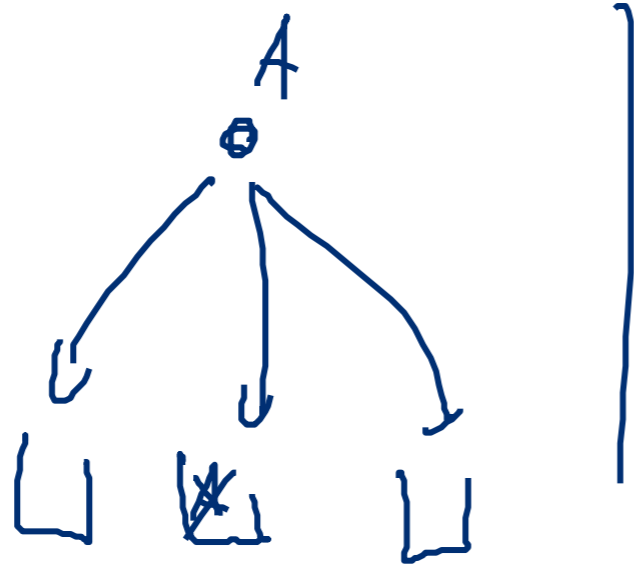
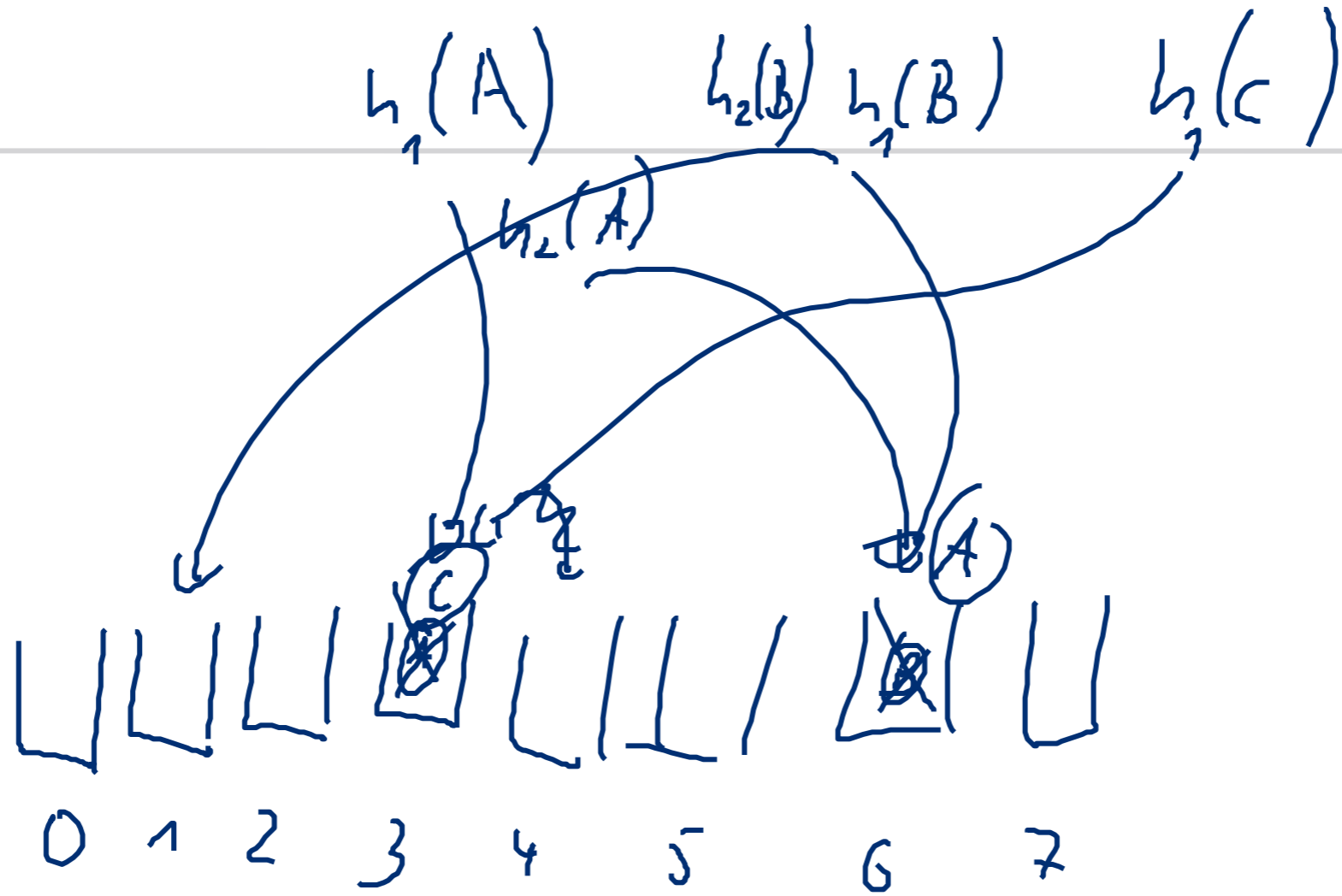
- Theorem
 - If m generals are traitors then 2m+1 generals must be honest to get a Byzantine Agreement
- This bound is sharp if one does not rely on cryptography
- Theorem
 - If a digital signature scheme is working, then an arbitrarily large number of betraying generals can be dealt with
- Solution
 - Every general signs his command
 - All commands are shared together with the signature
 - Inconsistent commands can be detected
 - The evildoer can be exposed

- Digital signature can solve the problem of malign peers
- Problem: Number of messages
 - $O(n^2)$ messages in the whole network (for n peers)
- In „Scalable Byzantine Agreement“ von Clifford Scott Lewis und Jared Saia, 2003
 - a scalable algorithm was presented
 - can deal with $n/6$ evil peers
 - if they do not influence the network structure
 - use only $O(\log \overline{n})$ messages per node in the expectation
 - find agreement with high probability

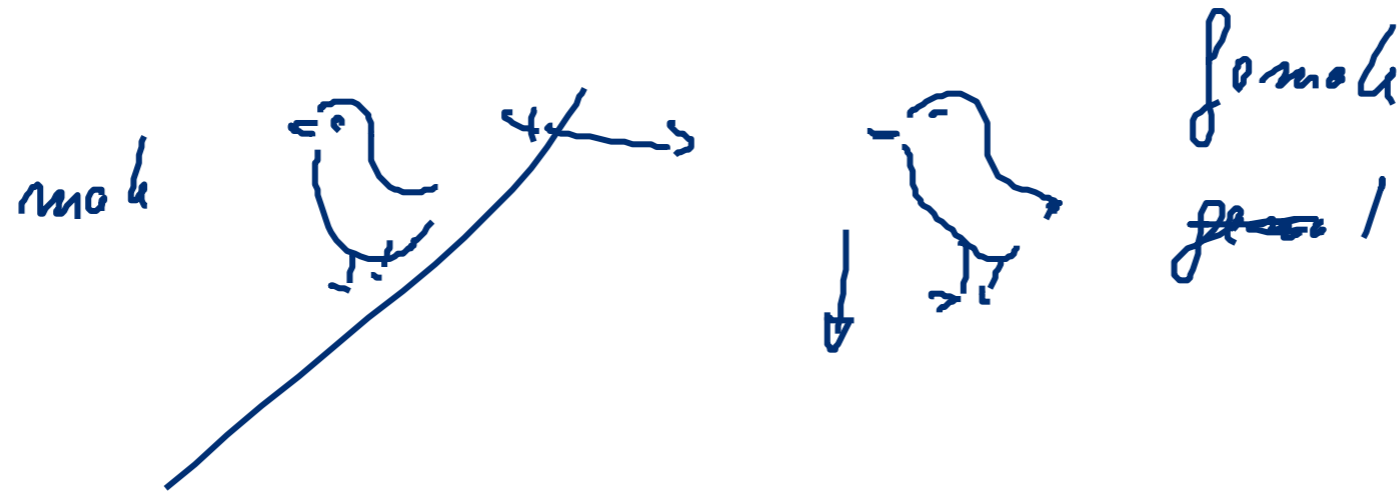
- Butterfly network with clusters of size $c \log n$
 - clusters are bipartite expander graphs
 - Bipartite graph
 - is a graph with disjoint node sets A and B where no edges connect the nodes within A or within B
 - Expander graph
 - A bipartite graph is an expander graph if for each subset X of A the number of neighbors in B is at least $c|X|$ for a fixed constant $c > 0$
 - and vice versa for the subsets in B



- Advantage
 - Very efficient, robust and simple method //
- Disadvantage
 - Strong assumptions
 - The attacker does not know the internal network structure
- If the attacker knows the structure
 - Eclipse attack!



Corkoo



completely different
bird

Cuckoo Hashing for Security

- Awerbuch, Scheideler, Towards Scalable and Robust Overlay Networks
- Problem:
 - Rejoin attacks
- Solution:
 - Chord network combined with
 - Cuckoo Hashing
 - Majority condition:
 - honest peers in the neighborhood are in the majority
 - Data is stored with $O(\log n)$ copies

Cuckoo Hashing

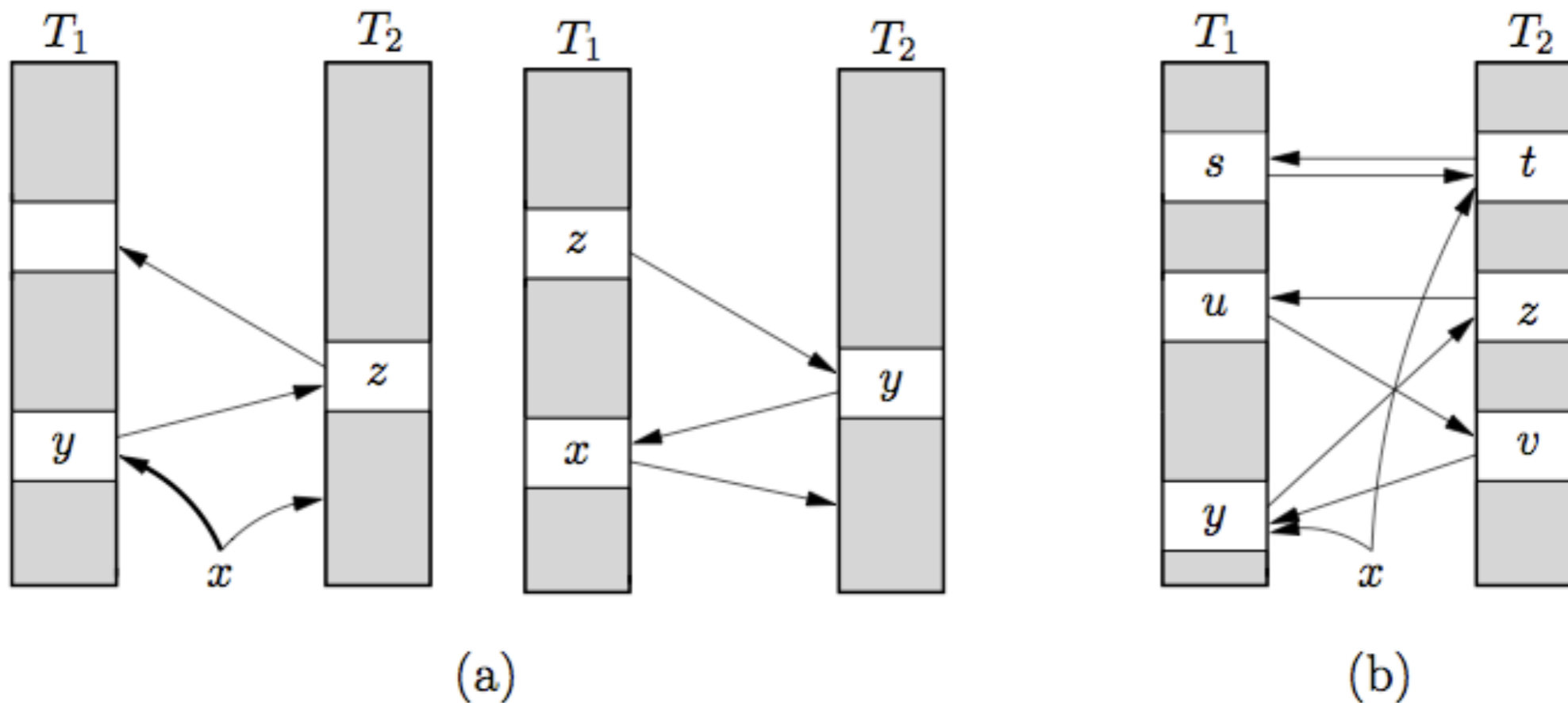


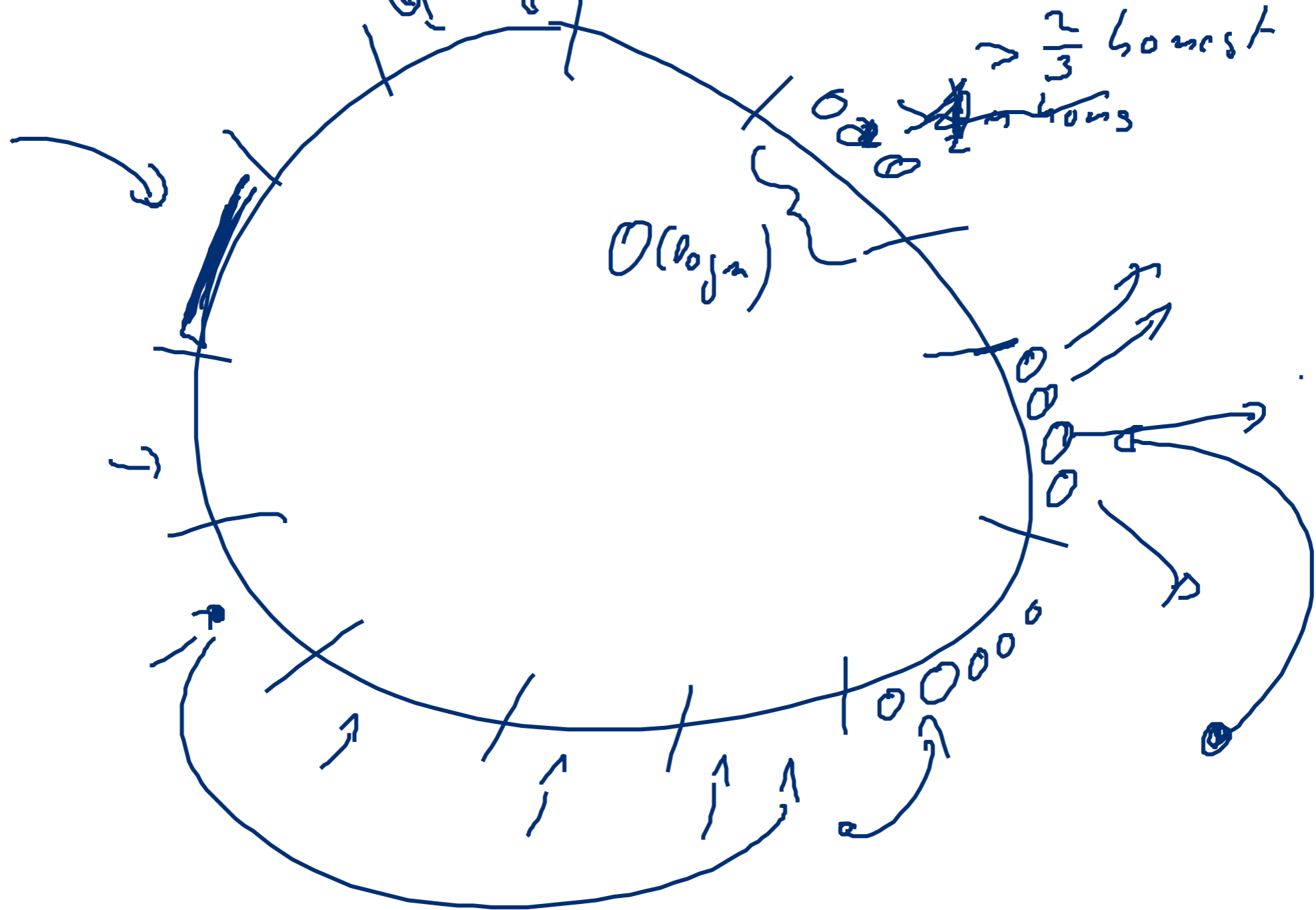
Fig. 1. Examples of CUCKOO HASHING insertion. Arrows show possibilities for moving keys. (a) Key x is successfully inserted by moving keys y and z from one table to the other. (b) Key x cannot be accommodated and a rehash is necessary.

occupied

From Cuckoo Hashing
Rasmus Pagh, Flemming Friche Rodler
2004

Rejoin

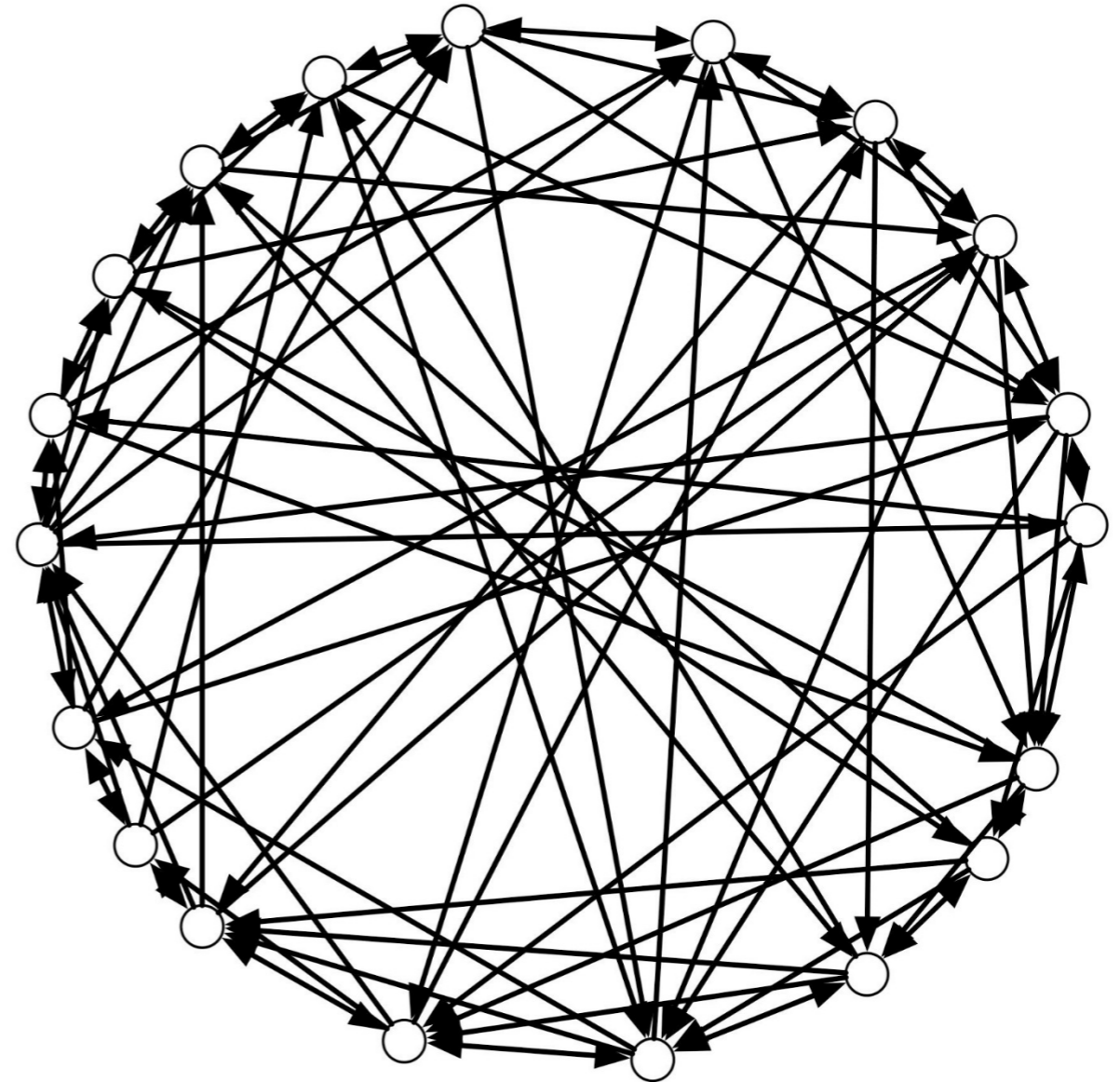
$> \frac{3}{4}$ honest



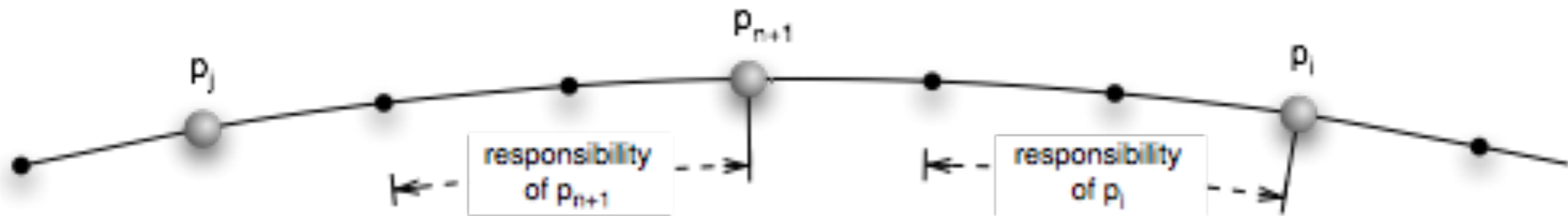
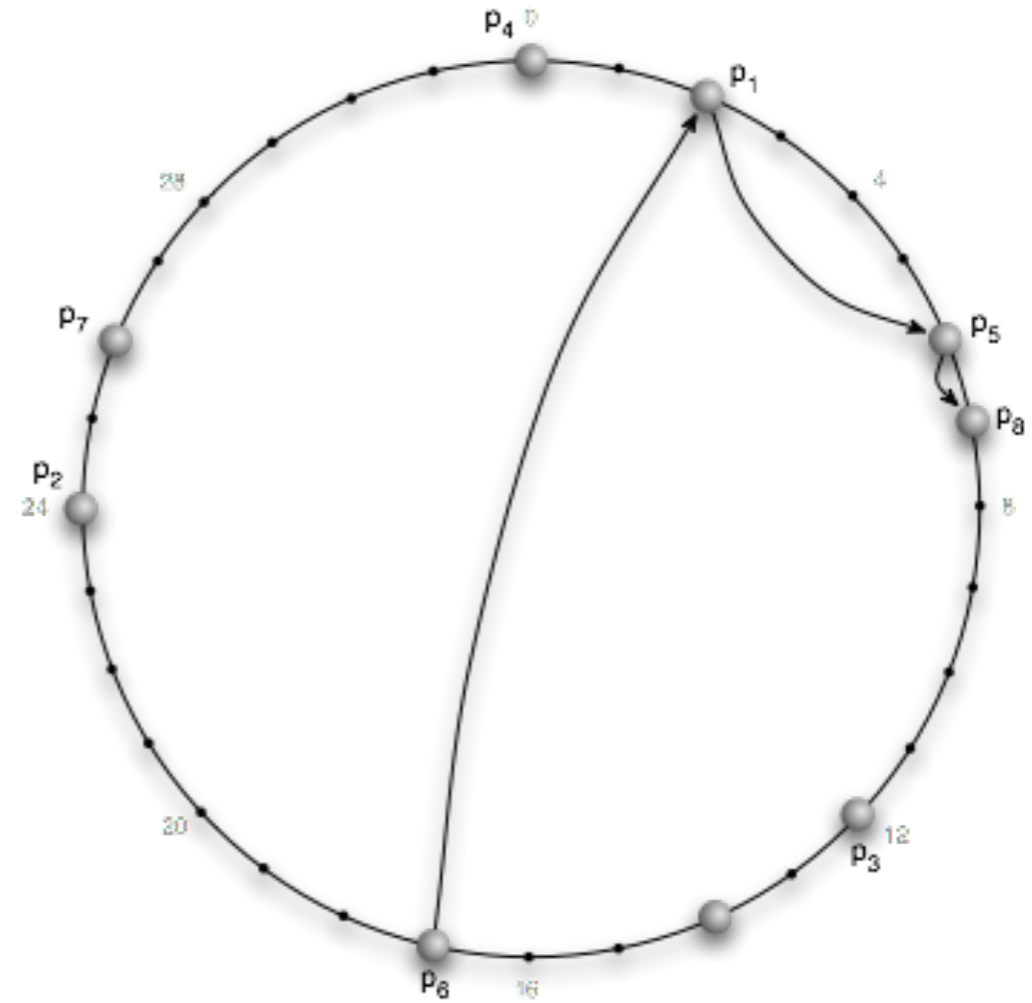
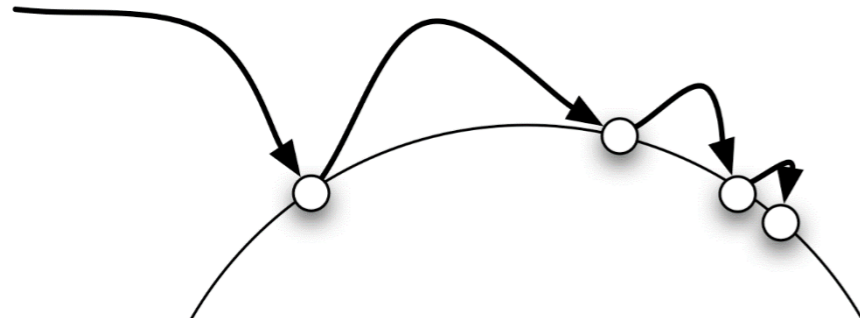
Efficiency of Cuckoo Hashing

- Theorem
 - Let $\epsilon > 0$ then if at most n elements are stored, then Cuckoo Hashing needs a hash space of $2n + \epsilon$.
- Three hash functions increase the load factor from $1/2$ to 91%
- Insert
 - needs $O(1)$ steps in the expectation
 - $O(\log n)$ with high probability
- Lookup
 - needs two steps

- Ion Stoica, Robert Morris, David Karger, M. Frans Kaashoek and Hari Balakrishnan (2001)
- Distributed Hash Table
 - range $\{0, \dots, 2^m - 1\}$
 - for sufficient large m
- for this work the range is seen as $[0, 1)$
- Network
 - ring-wise connections
 - shortcuts with exponential increasing distance

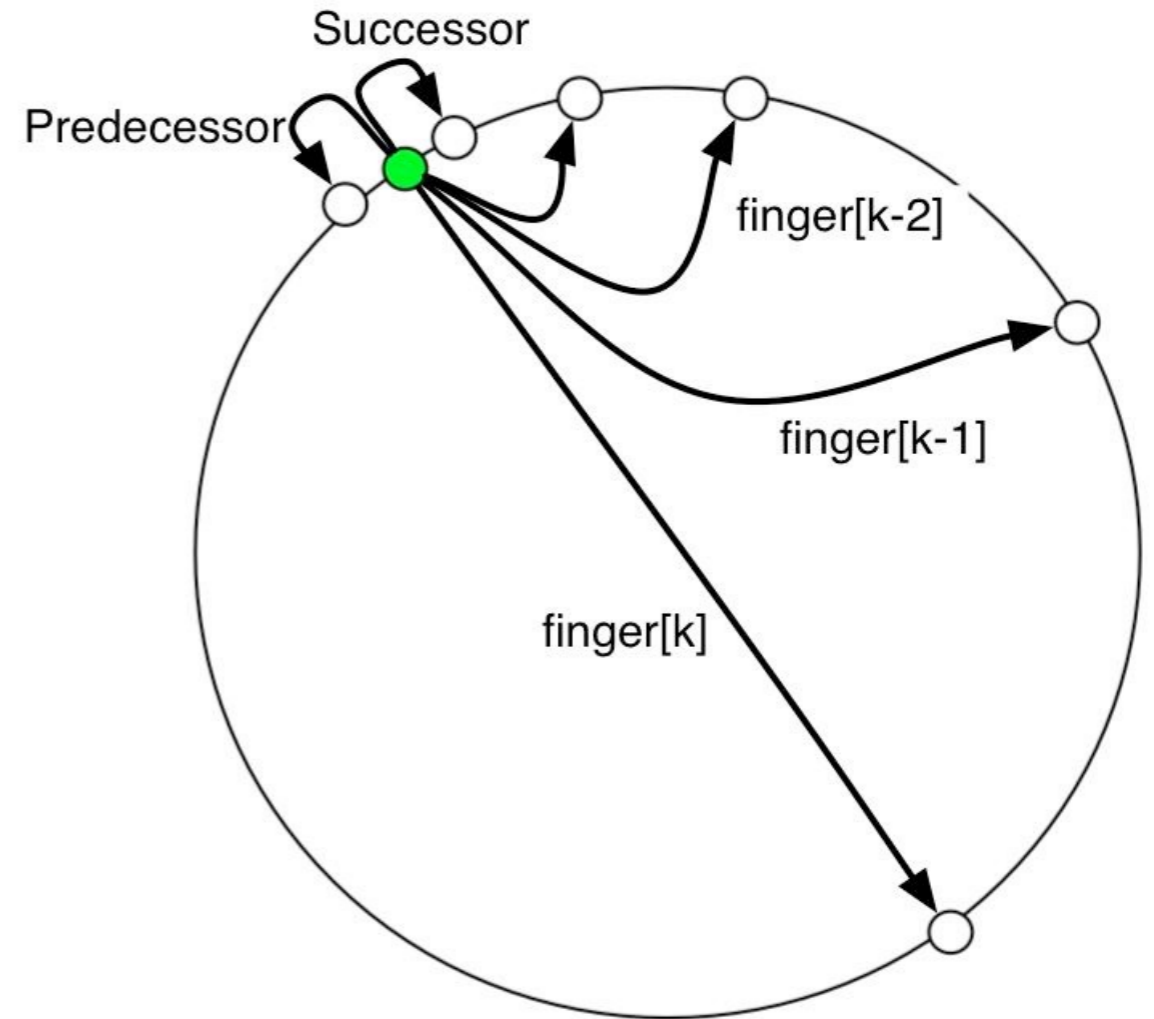


Lookup in Chord



Data Structure of Chord

- For each peer
 - successor link on the ring
 - predecessor link on the ring
 - for all $i \in \{0, \dots, m-1\}$
 - $\text{Finger}[i] :=$ the peer following the value $r_v(b+2^i)s$
- For small i the finger entries are the same
 - store only different entries
- Chord
 - needs $O(\log n)$ hops for lookup
 - needs $O(\log^2 n)$ messages for inserting and erasing of peers



Cuckoo Hashing for Security

- Given n honest peers and ϵn dishonest peers
- Goal
 - For any adversarial attack the following properties for every interval $I \subseteq [0, 1)$ of size at least $(c \log n)/n$ we have
 - Balancing condition
 - I contains $\Theta(|I| \cdot n)$ nodes
 - Majority condition
 - the honest nodes in I are in the majority
- Then all majority decisions of $O(\log n)$ nodes give a correct result

Rejoin Attacks

- Secure hash functions for positions in the Chord
 - if one position is used
 - then in an $O(\log n)$ neighborhood more than half is honest
 - if more than half of all peers are honest
- Rejoin attacks
 - use a small number of attackers
 - check out new addresses until attackers fall in one interval
 - then this neighborhood can be ruled by the attackers

The Cuckoo Rule for Chord

■ Notation

- a region is an interval of size $1/2^r$ in $[0, 1)$ for some integer r that starts at an integer multiple of $1/2^r$
- There are exactly 2^r regions
- A k -region is a region of size (closest from above to) k/n , and for any point $x \in [0, 1)$
- the k -region $R_k(x)$ is the unique k -region containing x .

■ Cuckoo rule

- If a new node v wants to join the system, pick a random $x \in [0, 1)$.
- Place v into x and move all nodes in $R_k(x)$ to points in $[0, 1)$ chosen uniformly at random
 - (without replacing any further nodes).

■ Theorem

- For any constants ϵ and k with $\epsilon < 1 - 1/k$, the cuckoo rule with parameter k satisfies the balancing and majority conditions for a polynomial number of rounds, with high probability, for any adversarial strategy within our model.
- The inequality $\epsilon < 1 - 1/k$ is sharp



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