Chapter 6: Introduction

Why transactional?

Transactions form a reasonable *abstraction concept* for many classes of real-life data processing problems.

- Transactions cope in a very elegant way with the subtle and often difficult issues of keeping data consistent in the presence of highly concurrent data accesses and despite all sorts of failures.
- This is achieved in a generic way invisible to the application logic so that application developers are freed from the burden of dealing with such system issues.
  - The application program simply has to indicate the boundaries of a transaction by issuing `BEGIN TRANSACTION` and `COMMIT TRANSACTION` calls.
  - The execution environment considers all requests receiving from the application programs execution within this dynamic scope as belonging to the same transaction.
  - For the transaction’s requests and effects on the underlying data certain properties are guaranteed: ACID properties.
Challenges inherent to the transaction concept demonstrated by some examples

(Expl.1a) Debit/credit

Consider a debit/credit-program of a bank which transfers a certain amount of money between two accounts. Executing the program will give us the following transaction $T$:

```
BEGIN
% Withdraw
READ current value VA of account A from disk into T's local main memory;
  decrement VA by amount X;
WRITE new value $VA' = VA - X$ of account A from T's local main memory onto disk;
% Deposit
READ current value VB of account B from disk into T's local main memory;
  increment VB by amount X;
WRITE new value $VB' = VB + X$ of account B from T's local main memory onto disk;
COMMIT;
```

- Assume when executing $T$ the system runs into a failure, e.g. after writing $A$ and before reading $B$. A customer of the bank has lost $X$ money!
- Assume debit/credit-transaction $T_1$ is running concurrently to a transaction $T_2$, which computes the balance of the accounts $A$ and $B$. Then the READ and WRITE accesses of both transactions may be interleaved. Assume that $T_2$ is executed after $T_1$ writing $A$ and before $T_1$ writing $B$, then the balance computed will be incorrect.
(Expl. 1b) Distributed debit/credit

Assume that different branches of the bank are involved, where each branch maintains its own server. Assume further, at Branch1 a debit/credit-transaction is started and at Branch2 a balancing transaction, where both involve the same accounts. Transactions shall have access to accounts on remote server via remote procedure calls (RPC), a synchronous communication mechanism transparent to the programmer. We assume procedures \texttt{withdraw(account, amount)}, \texttt{deposit(account, amount)} and \texttt{getBalance(account)}.

A possible interleaving when both transactions are running in parallel.

\begin{tabular}{c|c}
\hline
\textit{Branch1(accountA)} & \textit{Branch2(accountB)} \\
\hline
$T_1$ : withdraw(A,10) & \hspace{1cm} \hspace{1cm} $T_2$ : getBalance(B) \\
$T_1$ : call(deposit(B,10)) & $T_2$ : call(getBalance(A)) \\
\hline
$T_2$ : getBalance(A) & $T_1$ : deposit(B,10) \\
\hline
$T_2$ : display A+B & \hspace{1cm} \hspace{1cm} time \\
\hline
\end{tabular}

An incorrect balance will be displayed!
(Expl.1c) Distributed debit/credit

Assume that different branches of the bank are involved, where each branch maintains its own servers. Assume further, at Branch1 a debit/credit-transaction is started and at Branch2 a balancing transaction is started, where both involve the same accounts. Finally assume, that each transaction implements exclusive access to both accounts during execution. Communication is explicitly implemented by exchanging messages between the involved servers.

A possible interleaving when both transactions are running in parallel.

<table>
<thead>
<tr>
<th>Branch1</th>
<th>Branch2</th>
</tr>
</thead>
<tbody>
<tr>
<td>$T_1: {{\text{lock}(A); \text{withdraw}(A,10)} \parallel {\text{send} \ {\text{lock}(B); \text{deposit}(B,10)} \text{ to Branch2}}}$</td>
<td>$T_2: {{\text{lock}(B); \text{getBalance}(B)} \parallel {\text{send} \ {\text{lock}(A); \text{getBalance}(A)} \text{ to Branch1}}}$</td>
</tr>
<tr>
<td>$T_1: {\text{wait for ACK of deposit at Branch2}}$</td>
<td>$T_2: {\text{wait for balance of A}}$</td>
</tr>
<tr>
<td>$T_2: {\text{wait until lock}(A) \text{ granted}}$</td>
<td>$T_1: {\text{wait until lock}(B) \text{ granted}}$</td>
</tr>
</tbody>
</table>

A deadlock has occurred which is difficult to detect!
Consider the following purchasing activity, which covers several different servers located at different sites:

- A client connects to a bookstore’s server and starts browsing and querying the catalog.
- The client gradually fills a shopping card with items intended to purchase.
- When the client is about to check out she makes final decisions what to purchase.
- The client provides all necessary information for placing a legally binding order, e.g. shipping address and credit card.
- The merchant’s server forwards the payment information to the customer’s bank or to a clearinghouse. When the payment is accepted, the inventory is updated, shipping is initiated and the client is notified about successful completion of her order.

The final step of the purchasing is the most critical one. Several servers maintained by different institutions are involved.

Most importantly it has to be guaranteed, that either all the tasks of the final step are processed correctly, or the whole purchasing activity is undone.
(Expl.3) Mobile computing

Assume that the described purchasing activity is performed via a smartphone. Then the described picture is even more complicated.

- The smartphone might be temporarily disconnected from the mobile net. Thus it is not guaranteed, that the state of the catalog as seen by the client reflects the state of the catalog at the server.

- If the client enters a dead spot during processing of the final step of the purchasing activity, confusion may arise, e.g. the purchasing is started again resulting in double orders.
Transaction Concept

ACID properties

A tomicity: A transaction is executed completely or not at all.
C onsistency: Consistency constraints defined on the data are preserved.
I solation: Each transaction behaves as if it were operating alone on the data.
D urability: All effects will survive all software and hardware failures.

⇒ Concurrency Control (I) and Recovery (A, D) provide the mechanisms needed to cope with the problems demonstrated by Expl.1-3.
Concurency Control Refresh

## Basics

- Set of transactions \( \mathcal{T} = \{ T_1, \ldots, T_n \} \).

- A transaction is given as a sequence of read (R) - and write (W)-actions over database objects \( \{ A, B, C, \ldots \} \), e.g.

  \[
  T_1 = R_1A \ W_1A \ R_1B \ W_1B \\
  T_2 = R_2A \ W_2A \ R_2B \ W_2B \\
  T_3 = R_3A \ W_3B 
  \]

- Let \(WX\) be the \(j\)-th action of transaction \(T\) and assume that \(RA_1, \ldots, RA_n\) are the read actions of \(T\) being processed in the indicated order before \(WX\). Then the value of \(X\) written by \(T\) is given by \(f_{T,j}(a_1, \ldots, a_n)\), where \(f_{T,j}\) is an arbitrary, however unknown function and the \(a\)'s are the values read in the indicated order by the preceding read actions.

- A concurrent execution of a set of transactions is called schedule and is given as a - possibly interleaved - sequence of the respective actions, e.g.

  \[
  S_1 = R_1A \ W_1A \ R_3A \ R_1B \ W_1B \ R_2A \ W_2A \ W_3B \ R_2B \ W_2B \\
  S_2 = R_1A \ W_1A \ R_3A \ R_1B \ W_1B \ R_2A \ W_2A \ W_3B \ R_2B \ W_2B \\
  S_3 = R_3A \ R_1A \ W_1A \ R_1B \ W_1B \ R_2A \ W_2A \ R_2B \ W_2B \ W_3B 
  \]

- A schedule is called serial, if it is not interleaved.
Correctness

- A schedule is called (conflict-)serializable,\(^1\) if there exists a (conflict-)equivalent serial schedule over the same set of transactions.

- For a given schedule \(S\) over a set of transactions, the conflict graph \(G(S)\) is given as \(G(S) = (V, E)\), where the node set \(V\) is the set of transactions in \(S\) and the set of edges \(E\) is given by so called conflicts as follows:
  
  - \(S = \ldots W_i A \ldots R_j A \ldots \Rightarrow T_i \rightarrow T_j \in E\), if there is no other write-action to \(A\) between \(W_i A\) und \(R_j A\) in \(S\).
  - \(S = \ldots W_i A \ldots W_j A \ldots \Rightarrow T_i \rightarrow T_j \in E\), if there is no other write-action to \(A\) between \(W_i A\) und \(W_j A\) in \(S\).
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- A schedule is serializable, iff its conflict graph is acyclic.

\(^1\)We consider only conflict-serializability and therefore talk about serializability in the sequel, for short.
Example

Schedule $S_1$: $R_1A$ $W_1A$ $R_3A$ $R_1B$ $W_1B$ $R_2A$ $W_2A$ $W_3B$ $R_2B$ $W_2B$

Schedule $S_2$: $R_3A$ $R_1A$ $W_1A$ $R_1B$ $W_1B$ $R_2A$ $W_2A$ $R_2B$ $W_2B$ $W_3B$

$S_1$ is serializable, $S_2$ is not.

To exclude not serializable schedules, a so called transaction manager enforces certain transaction behaviour.
2-Phase Locking (2PL)

- Serializable schedules are guaranteed, if all transactions obey the 2PL-protocol:
  
  - For each transaction \( T \), each read and write operation \( RA \) and \( WA \) has to be surrounded by a lock/unlock pair \( LA, UA \):
    
    \[
    T = \ldots R/WA \ldots \implies T = \ldots LA \ldots R/WA \ldots UA \ldots
    \]

  - For each \( A \) read or written in \( T \) there exists at most one pair \( LA \) and \( UA \).

  - For each \( T \) and any \( LA_1, UA_2 \) there holds:
    \[
    T = \ldots LA_1 \ldots UA_2 \ldots \implies \text{No more locking after the first unlock!}
    \]

  - In any schedule \( S \), the same object \( A \) cannot be locked at the same time by more than one transaction:
    
    \[
    S = \ldots L_i A \ldots L_j A \ldots \implies S = \ldots L_i A \ldots U_i A \ldots L_j A \ldots
    \]

- Every schedule according to 2PL is serializable, however:
  
  - Not every serializable schedule can be produced by 2PL.
  
  - Deadlocks may occur.
Example 1

\[ T_1 = L_1A \ R_1A \ L_1B \ U_1A \ W_1B \ U_1B, \]
\[ T_2 = L_2A \ R_2A \ W_2A \ U_2A, \]
\[ T_3 = L_3C \ R_3C \ U_3C. \]
\[ S = L_1A \ R_1A \ L_1B \ U_1A \ L_2A \ R_2A \ L_3C \ R_3C \ U_3C \ W_1B \ U_1B \ W_2A \ U_2A \]

Example 2

\[ T_1 = L_1A \ R_1A \ L_1B \ U_1A \ W_1B \ U_1B, \]
\[ T_2 = L_2A \ R_2A \ W_2A \ U_2A, \]
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The lock point of a transaction using 2PL is given by the first unlock of the transaction.
2PL guarantees serializability of schedules.

Let $S$ be a schedule of a set of 2PL-transactions $\mathcal{T} = \{T_1, \ldots, T_n\}$.

Assume, $S$ is not serializable, i.e. the conflict graph $G(S)$ is cyclic, where w.l.o.g. $T_1 \rightarrow T_2 \rightarrow \cdots \rightarrow T_k \rightarrow T_1$.

- Each edge $T \rightarrow T'$ implies $T$ and $T'$ having conflicting actions, where the action of $T$ preceds the one of $T'$.

- Because of surrounding actions by lock/unlock and the 2PL-rule, $T'$ can execute its action only after the lock-point of $T$. This implies the following structure of $S$, where $A_1, \ldots, A_k$ are data items:

$$S = \ldots U_1 A_1 \ldots L_2 A_1 \ldots,$$

$$\vdots$$

$$S = \ldots U_{k-1} A_{k-1} \ldots L_k A_{k-1} \ldots,$$

$$S = \ldots U_k A_k \ldots L_1 A_k \ldots.$$

- Let $l_1, \ldots, l_k$ be the lock points of the involved transactions. Then we have $l_1$ before $l_2$, $\ldots$, $l_{k-1}$ before $l_k$ and $l_k$ before $l_1$. However this is a contradiction to the structure of a schedule. Therefore $S$ is serializable.
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6. Introduction

Recovery Refresh

Basics

- Reliability has to be achieved even though system components are unreliable, in general.
- Log files are a prerequisite for recovery from system failures.
- Log files are maintained as follows:
  - When a transaction \( T \) starts executing, \((T, \text{Begin})\) is written into the log.
  - For each \( WA \) of a transaction \( T \), \((T, A, A_{\text{old}}, A_{\text{new}})\) is written into the log, where \( A_{\text{new}} \) is the new value (After-image) and \( A_{\text{old}} \) the previous value (before-image) of \( A \).
  - When a transaction commits its execution, \((T, \text{Commit})\) is written into the log and otherwise \((T, \text{Abort})\).
- The write-ahead-log-rule (WAL) has to be observed: writing into the log must precede writing into the database.
Consequence of atomicity

- Whenever a transaction has processed a commit action, all its effects are permanent and will survive all failures.
- Whenever a transaction has processed a abort action - respectively is aborted -, all its effects are removed.

Recovery from system failures: Backwards Restart-Algorithm, logging has to be done on page-level

- $\text{Redone} := \emptyset$; $\text{Undone} := \emptyset$.
- The log is processed backwards. Let $(T, A, A_{old}, A_{new})$ the next log-entry to be considered. If $A \notin \text{Redone} \cup \text{Undone}$:
  - **Redo**: If $(T, \text{Commit})$ has already been found, then process $WA$ with value $A_{new}$ and perform $\text{Redone} := \text{Redone} \cup \{A\}$.
  - **Undo**: Otherwise perform $WA$ with value $A_{old}$ and perform $\text{Undone} := \text{Undone} \cup \{A\}$. 
## Example

<table>
<thead>
<tr>
<th></th>
<th>System-failure after Restart</th>
</tr>
</thead>
<tbody>
<tr>
<td>$T_1$</td>
<td>LA RA WA CO UA</td>
</tr>
<tr>
<td>$T_2$</td>
<td>LB RB LA RA WB CO UA,B</td>
</tr>
<tr>
<td>$T_3$</td>
<td>LC RC WC</td>
</tr>
</tbody>
</table>

WA not yet materialized in the database, e.g. read accesses RA are expected.

### DB:
- $A_0$
- $B_0$
- $C_0$

<p>| | | |</p>
<table>
<thead>
<tr>
<th></th>
<th></th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td>$f_2(f_1(A_0),B_0)$</td>
<td>$f_1(A_0)$</td>
<td>$f_2(f_1(A_0),B_0)$</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

### Local Memory/System Buffer:
- $f_1(A_0)$
- $f_2(f_1(A_0),B_0)$
- $f_3(C_0)$

### Log (reduced):
- $(T_1, A, A_0, f_1(A_0))$
- $(T_1, C_0)$
- $(T_2, B, B_0, f_2(f_1(A_0), B_0))$
- $(T_2, C_0)$
- $(T_3, C, C_0, f_3(C_0))$